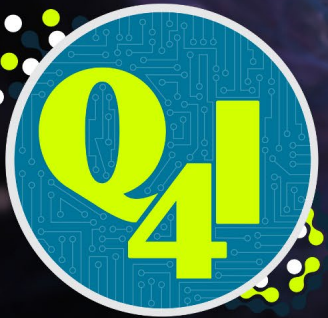


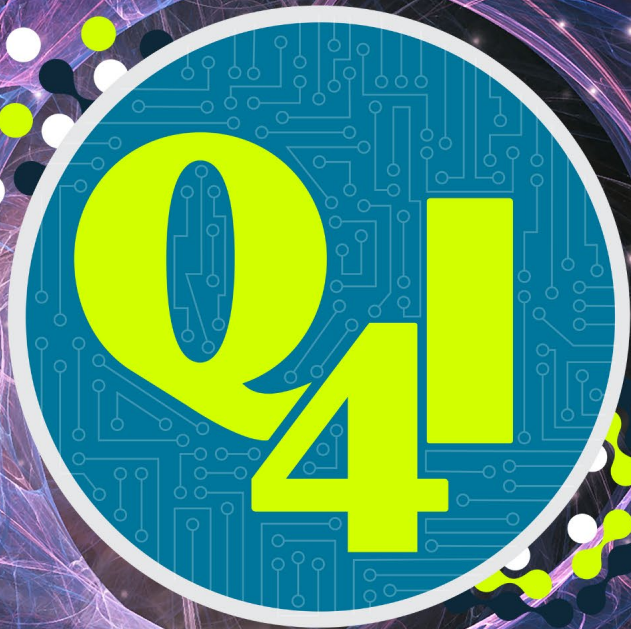


MS. JULIANE PRICE

Vocalist & Multi-Instrumentalist



6TH ANNUAL Q4I WORKSHOP | JUNE 25-27 | ROME, NY



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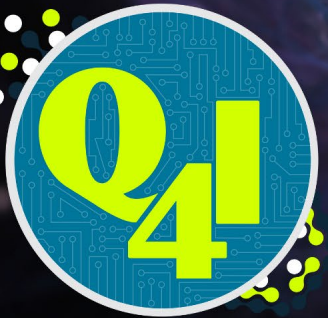
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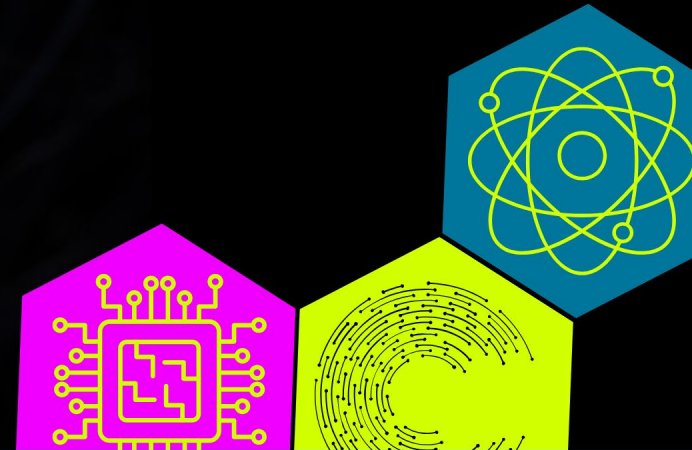
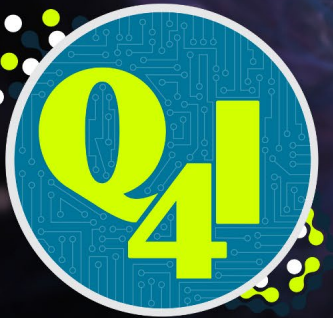
DR. MICHAEL J. HAYDUK
Deputy Director
Air Force Research Lab (AFRL)
Information Directorate (RI)
Rome, NY



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MR. ADRIEN DEVOLDER
Research Associate in Quantum Control
Univeristy of Toronto



Coherent control of molecular collisions in and beyond the ultracold regime

A. DEVOLDER, T. TSCHERBUL AND P. BRUMER



UNIVERSITY OF
TORONTO

N



Why controlling collisions?

Suppressing collisional decoherence for quantum computing/simulation

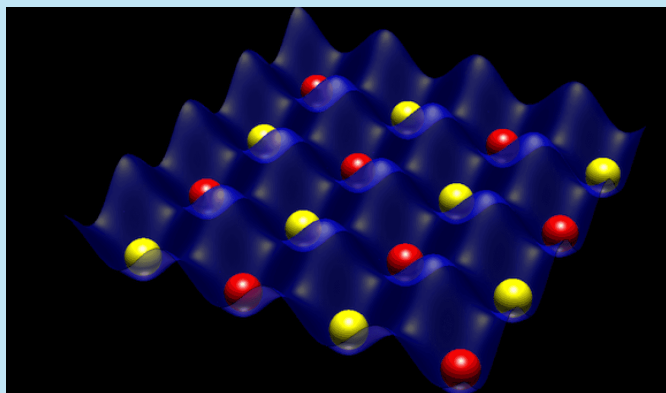


Figure from T. Porto "Cold Atoms in Optical Lattices"

Suppressing errors in precision measurement

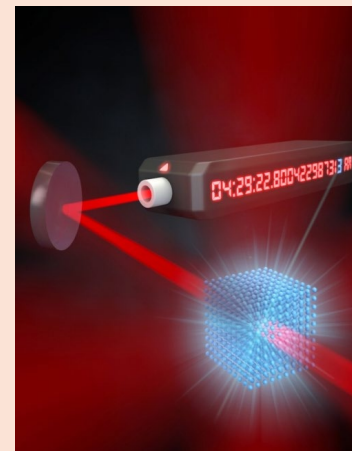


Figure from S.L. Campbell, Science, 358, 6359 (2017)

Improving the cooling of atoms/ions/molecules

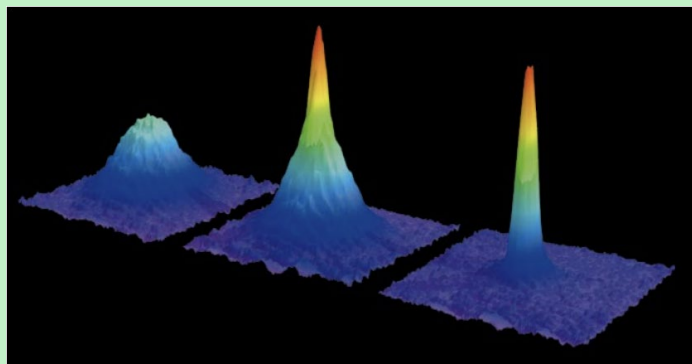


Figure from W. Ketterlee, RMP,, 562, 74, 1131-1151 (2002)

Optimizing the reaction yields

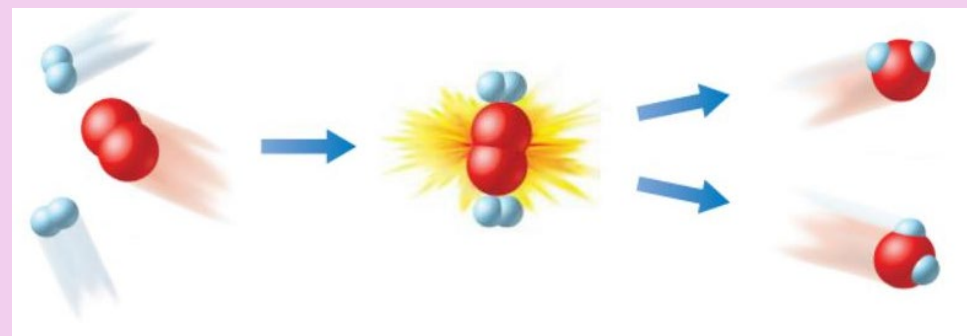


Figure from Wong Hsiung "Rate of reaction"

Collisions in quantum framework

Internal states of colliding particles (electronic, vibrational, rotational, spin states etc ...)

relative rotation of colliding particles (initial partial wave)

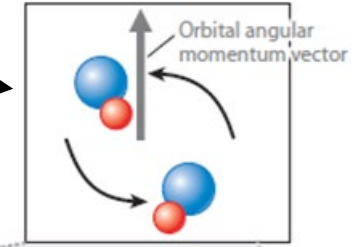
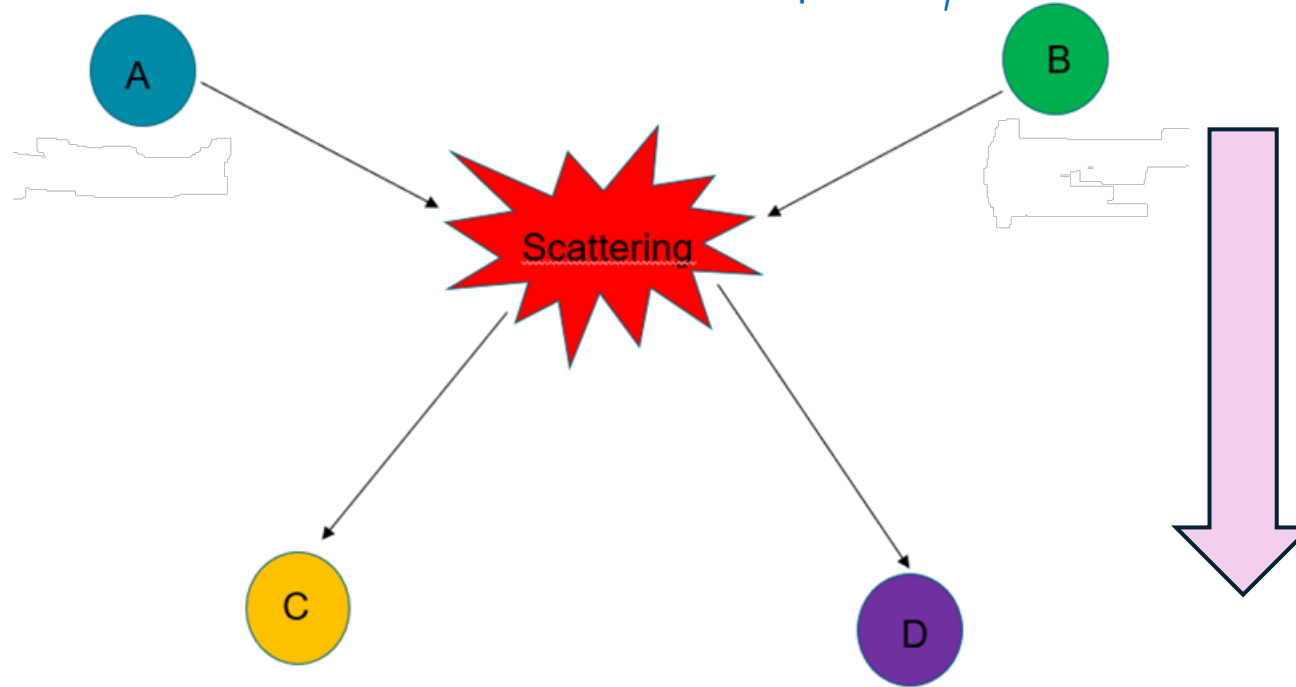


Figure from Yu Liu et al. Annu. Rev. Phys. Chem, 73, 73-96 (2022)

Before collision : $|\chi_a\rangle \otimes |\chi_b\rangle \otimes |\ell, m_\ell\rangle \otimes |e^{-ik_{AB}}\rangle$ Ingoing wave



S-matrix: transition amplitude

S-matrix is unitary

After collision :

$\sum_{c,d,\ell',m_{\ell'}} \sqrt{\frac{k_{CD}}{k_{AB}}} S_{ab\ell m_\ell \rightarrow cd\ell' m_{\ell'}} |\chi_c\rangle \otimes |\chi_d\rangle \otimes |\ell', m_{\ell'}\rangle \otimes |e^{ik_{cd}}\rangle$ Outgoing wave

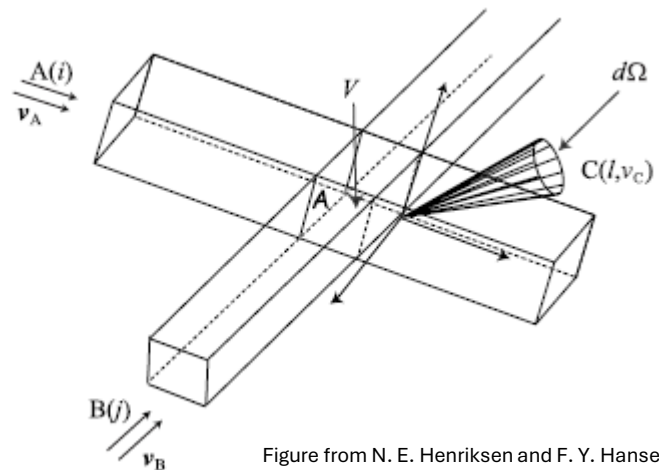
Internal states of scattered particles

relative rotation of scattered particles (final partial wave)

Main observable: Cross section

In the (current) experiments, what can we control in the preparation?

- Internal state $|\chi_a\rangle|\chi_b\rangle$
- Relative momentum k_{AB}



Measurement: number of molecules in state $|\chi_c\rangle|\chi_d\rangle$

Figure from N. E. Henriksen and F. Y. Hansen "Theories of molecular reaction dynamics"

Cross section $\sigma_{ab \rightarrow cd}$: ratio of the number of scattered particles measured in final state $|\chi_c\rangle|\chi_d\rangle$ to the number of colliding particles prepared in initial state $|\chi_a\rangle|\chi_b\rangle$

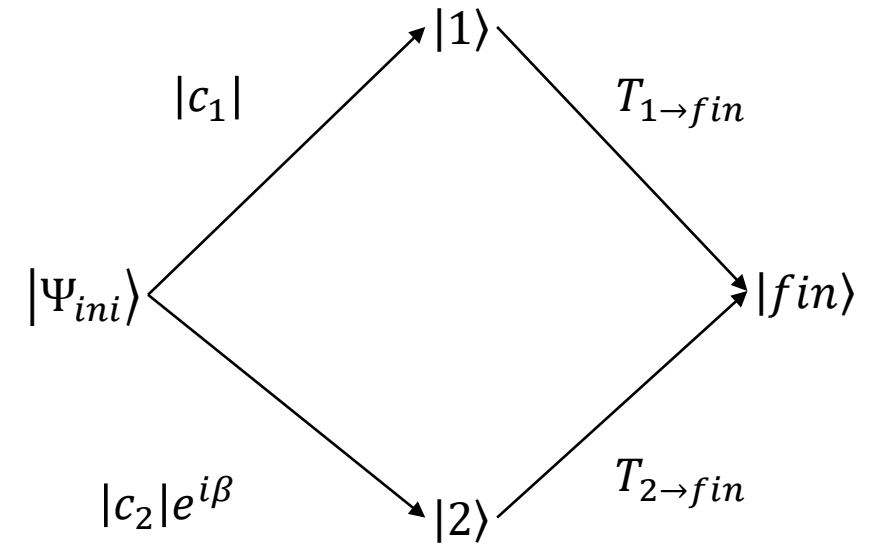
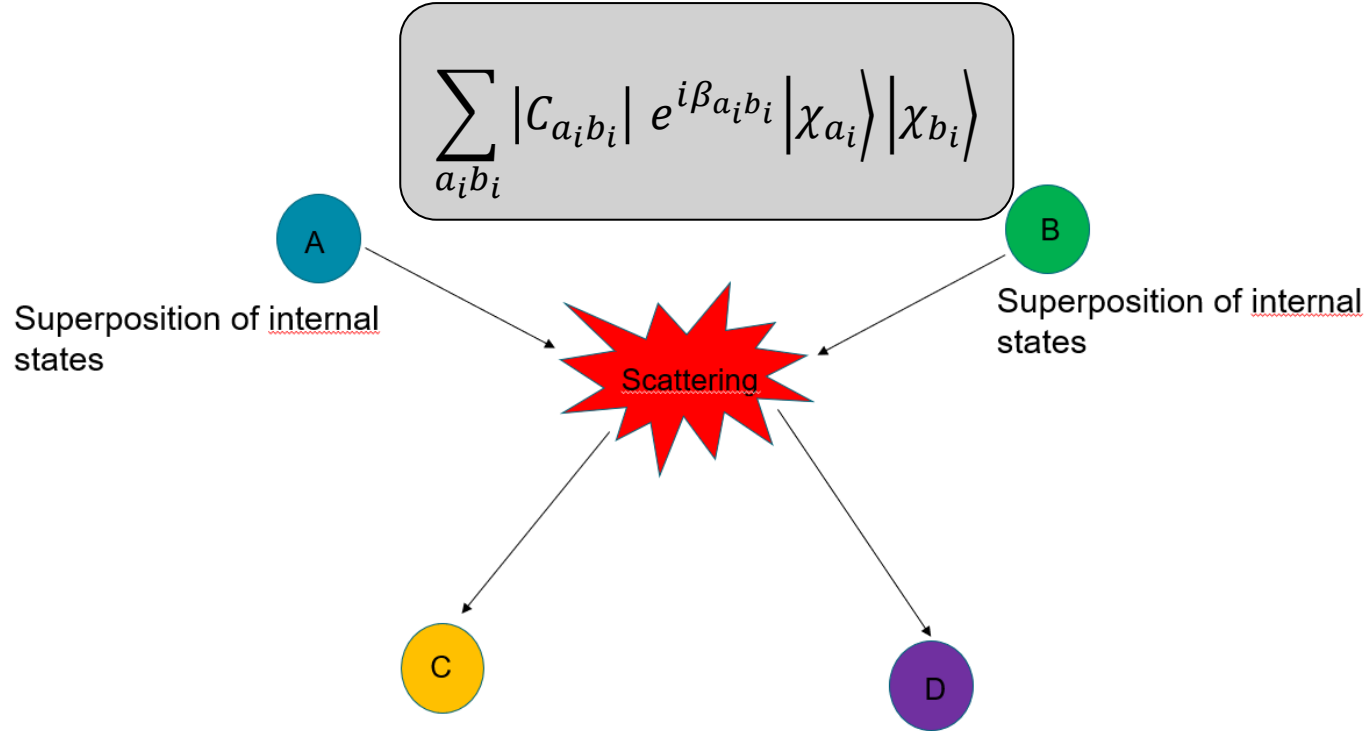
$$\sigma_{ab \rightarrow cd} = \frac{\pi}{k_{ab}^2} \sum_{\ell, m_\ell} \sum_{\ell', m'_\ell} |T_{ab\ell m_\ell \rightarrow cd\ell' m'_\ell}|^2$$

$$T_{ab\ell m_\ell \rightarrow cd\ell' m'_\ell} = \delta_{ab\ell m_\ell \rightarrow cd\ell' m'_\ell} - S_{ab\ell m_\ell \rightarrow cd\ell' m'_\ell}$$

Incoherent sum over the initial partial wave because impossibility to prepare at a specific $|\ell, m_\ell\rangle$

Incoherent sum over the final partial wave because impossibility to measure a specific $|\ell', m_{\ell'}\rangle$

Coherent control of collisions



Create different paths which interfere with each other
~ collisional interferometer

Direct term

Interference term

$$\sigma_{sup \rightarrow cd} = \frac{\pi}{k^2} \sum_{\ell, m_\ell} \sum_{\ell', m'_\ell} \left(\sum_{a_i b_i} |C_{a_i b_i}|^2 |T_{a_i b_i \ell m_\ell \rightarrow cd \ell' m'_\ell}|^2 + \sum_{a_i b_i} \sum_{a_j b_j} |C_{a_i b_i}| |C_{a_j b_j}| e^{i(\beta_{a_i b_i} - \beta_{a_j b_j})} T_{a_i b_i \ell m_\ell \rightarrow cd \ell' m'_\ell}^* T_{a_j b_j \ell m_\ell \rightarrow cd \ell' m'_\ell} \right)$$

Controlled by tuning the relative phases

Type of superpositions

Interference if :

- Same internal energy \rightarrow Superposition of degenerate magnetic sublevels (m-superposition)

$$|\psi_A\rangle = \frac{1}{\sqrt{2}} \left(\cos \eta |m_1^A\rangle + \sin \eta e^{i\beta} |m_2^A\rangle \right)$$

$$|\psi_B\rangle = \frac{1}{\sqrt{2}} \left(\sin \eta |m_1^B\rangle + \cos \eta |m_2^B\rangle \right)$$

- Same internal projection

$$|\Psi_{nent}\rangle = |\psi_A\rangle \otimes |\psi_B\rangle = \frac{1}{2} \left(\cos \eta \sin \eta |m_1^A, m_1^B\rangle + \cos^2 \eta |m_1^A, m_2^B\rangle + \sin^2 \eta e^{i\beta} |m_2^A, m_1^B\rangle + \cos \eta \sin \eta |m_2^A, m_2^B\rangle \right)$$

Interference

$$m_1^A + m_2^B = m_2^A + m_1^B$$

Example with spin-half particles:

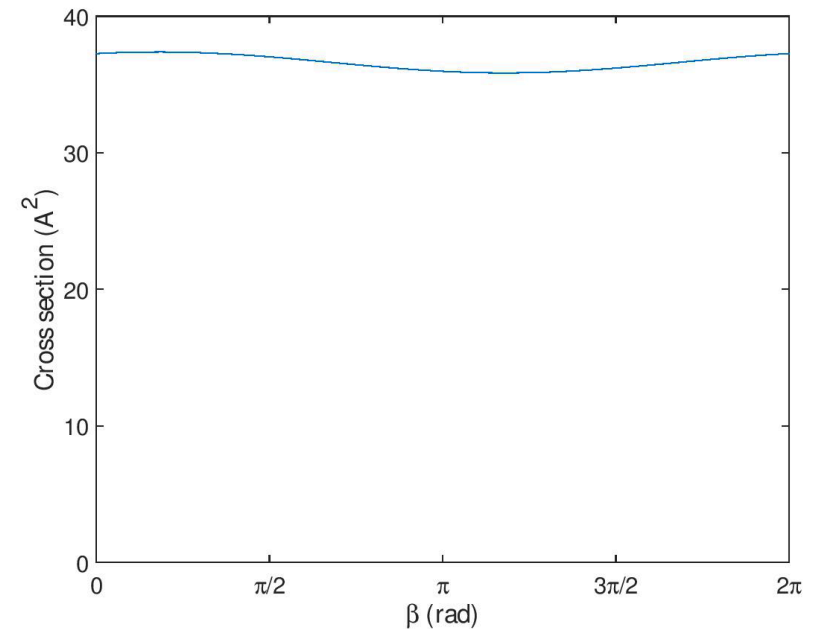
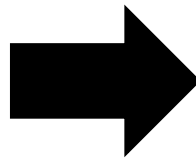
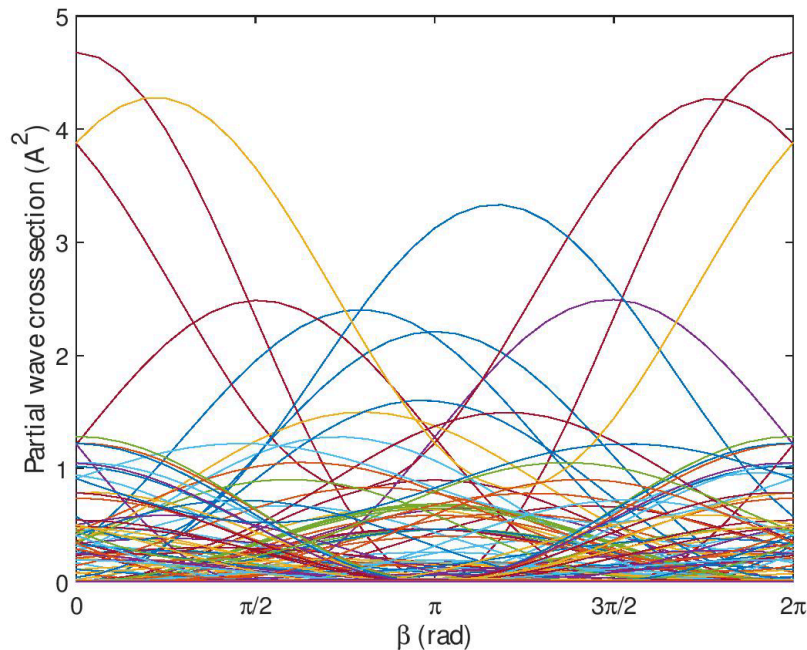
$$|\Psi_{nent}\rangle = |\psi_A\rangle \otimes |\psi_B\rangle = \frac{1}{2} \left(\cos \eta \sin \eta |\uparrow, \uparrow\rangle + \cos^2 \eta |\uparrow, \downarrow\rangle + \sin^2 \eta e^{i\beta} |\downarrow, \uparrow\rangle + \cos \eta \sin \eta |\downarrow, \downarrow\rangle \right)$$

Partial wave expansion challenge

$$\sigma_{sup \rightarrow cd} = \frac{\pi}{k_{ab}^2} \sum_{\ell, m_\ell} \sum_{\ell', m'_\ell} \left| \sum_i \cos^2 \eta T_{m_1^A m_2^B \ell m_\ell \rightarrow cd \ell' m'_\ell} + \sin^2 \eta e^{i\beta} T_{m_2^A m_1^B \ell m_\ell \rightarrow cd \ell' m'_\ell} \right|^2 + \sigma_{sat}$$

Different control between partial waves \rightarrow Cancellation of interference terms

Example with 50 partial waves (Rb-Rb scattering at 1K):



How to solve it?

Strategies

3 Strategies :

- Ultracold regime
- Resonance
- Phase-locking mechanism

Strategies

3 Strategies :

- Ultracold regime
- Resonance
- Phase-locking mechanism

Ultracold regime

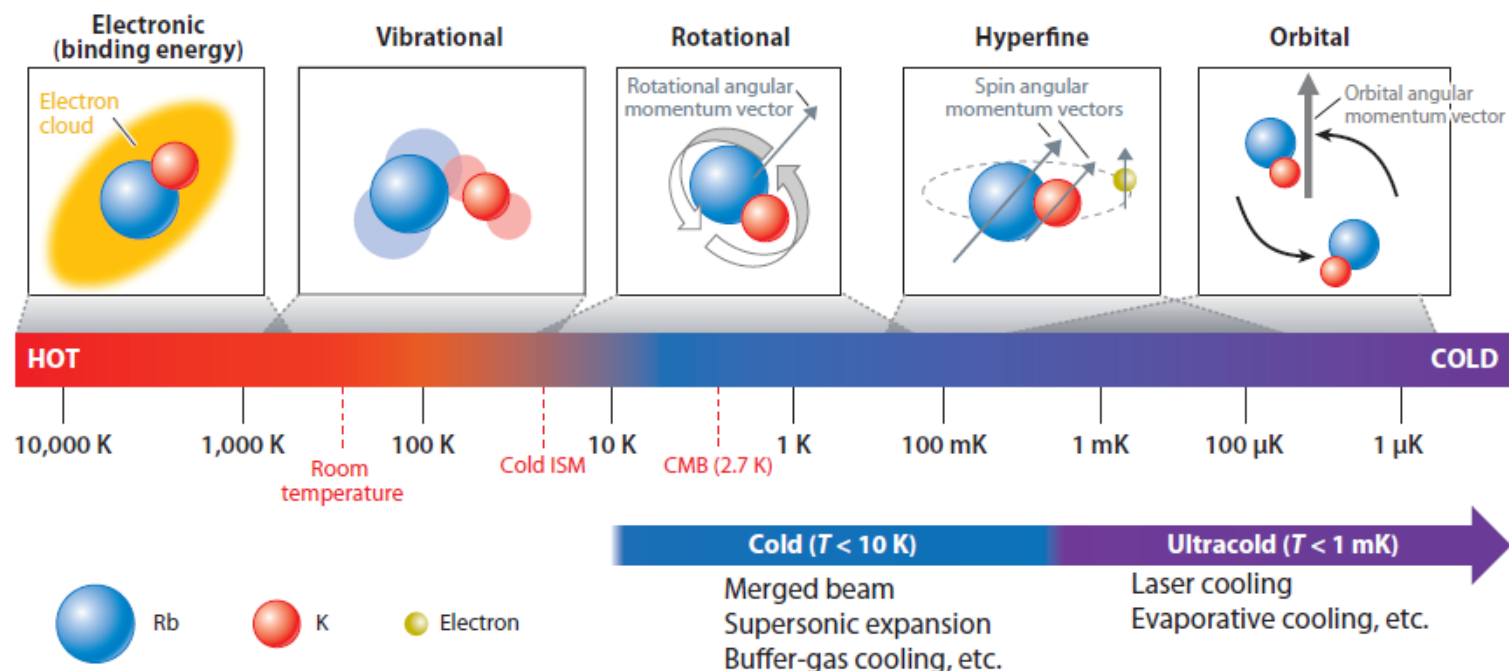


Figure from Yu Liu et al. Annu. Rev. Phys. Chem, 73, 73-96 (2022)

Why so cold ?

- Enhanced quantum behaviour at these temperature
- Better control on all degrees of freedom
- Increasing precision of measurements

Application:

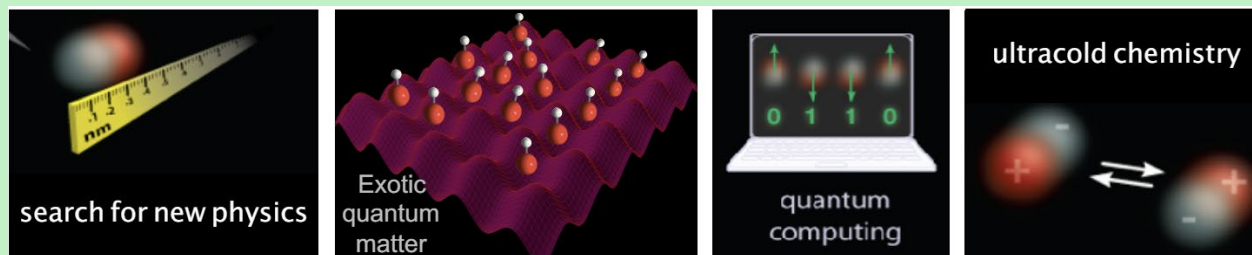


Figure from K.K. Ni "Ultracold Molecules for physics and chemistry"

Partial waves and ultracold temperature

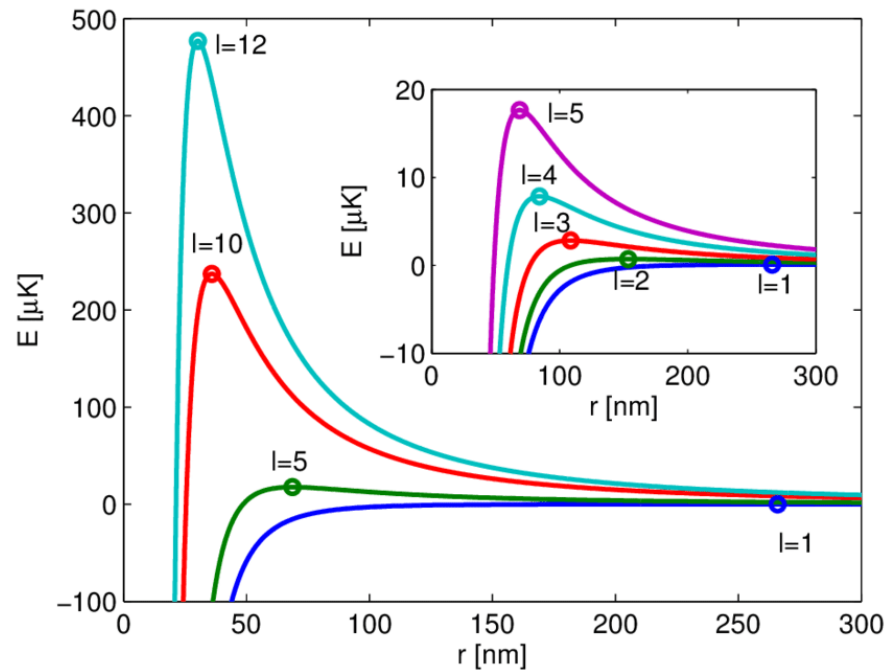


Figure from Z. Meir's thesis "Dynamics of a single, ground-state cooled and trapped ion colliding with ultracold atoms: A micromotion tale"

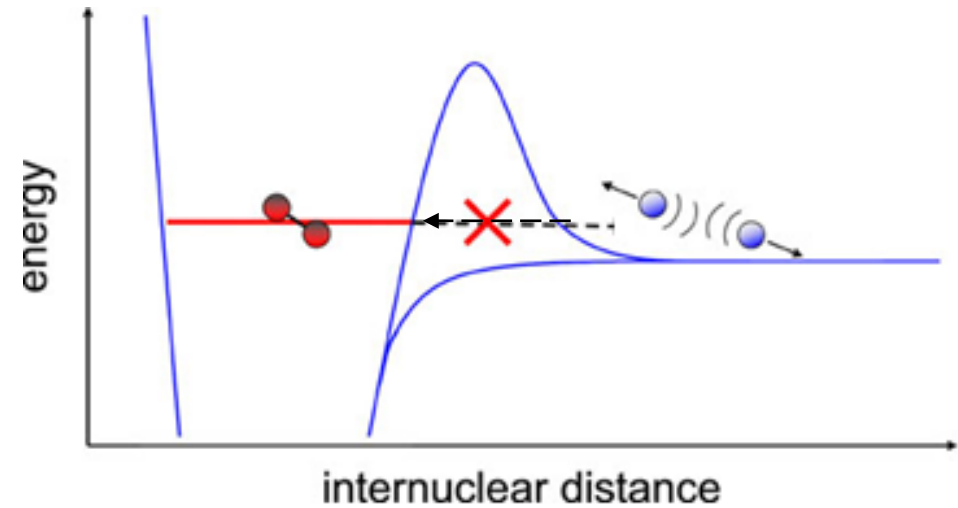
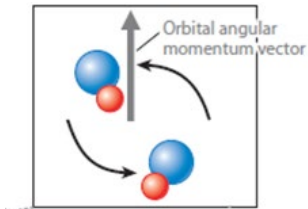


Figure from R. Krems "Molecules in Electromagnetic fields"



$$V_{eff} = V + \frac{\ell^2}{2\mu r^2}$$

If relative kinetic energy < rotational barrier height, minor contribution to σ

At ultracold temperature, only $\ell = 0$

Example : $O_2 - O_2$ scattering

One molecule in a superposition of $|M_S = -1\rangle$ and $|M_S = 0\rangle$:

$$|\Psi_1\rangle = (\cos \eta |M_S = 0\rangle + \sin \eta |M_S = -1\rangle)$$

Other molecule in a superposition of $|M_S = 0\rangle$ and $|M_S = +1\rangle$:

$$|\Psi_2\rangle = (\cos \eta |M_S = 0\rangle + \sin \eta e^{i\beta} |M_S = +1\rangle)$$

The total internal wavefunction :

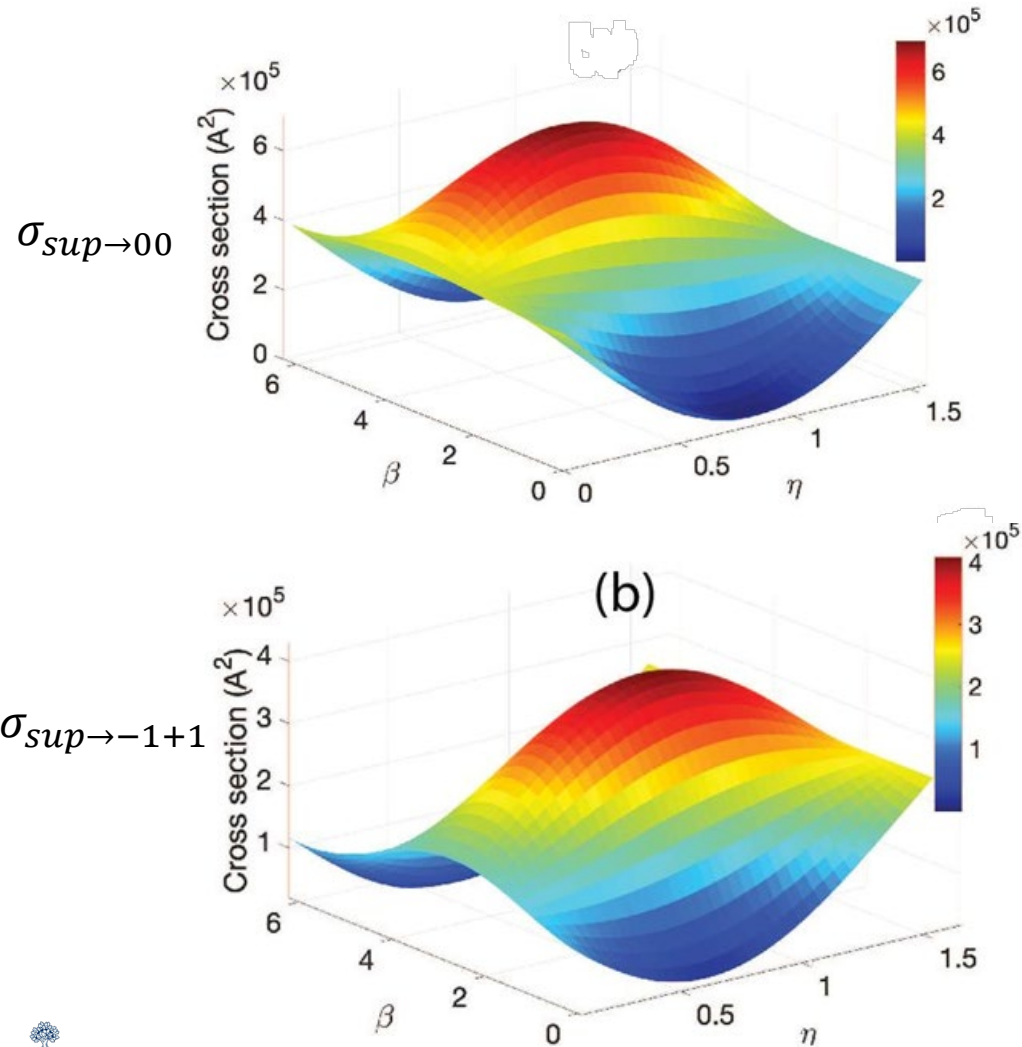
$$|\Psi_{ini}\rangle = \left[(\cos^2 \eta |0,0\rangle + \sin^2 \eta e^{i\beta} |-1,+1\rangle) + \sin \eta \cos \eta e^{i\beta} (|0,+1\rangle + |-1,0\rangle) \right]$$

Control part

Satellite terms

Final state: $|0,0\rangle$ and $|-1,+1\rangle$

Complete destructive interference of cross-sections

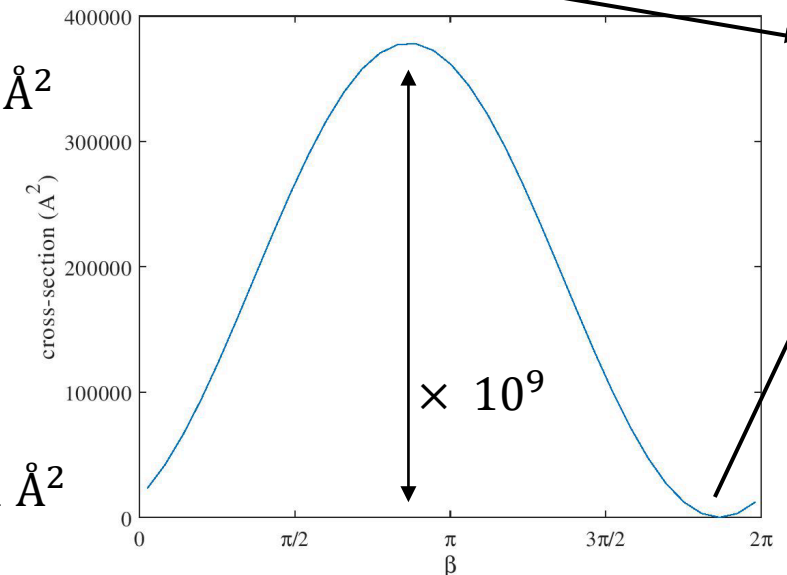
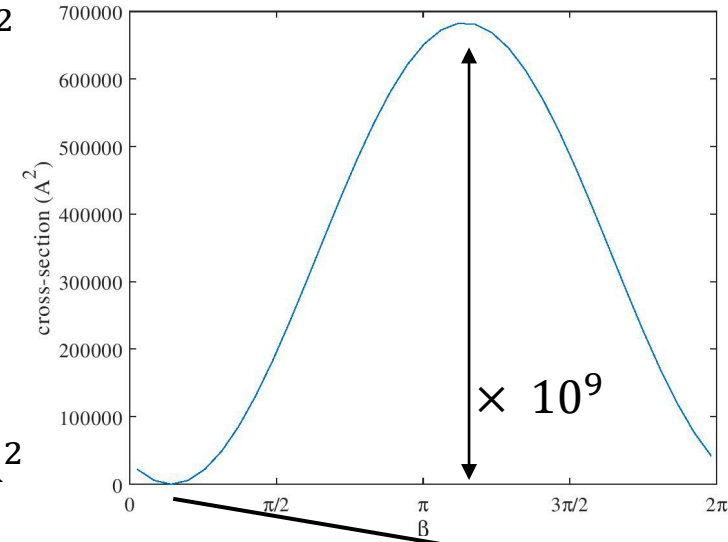


$$\sigma_{max} = 682392 \text{ \AA}^2$$

$$\sigma_{min} = 0.0002 \text{ \AA}^2$$

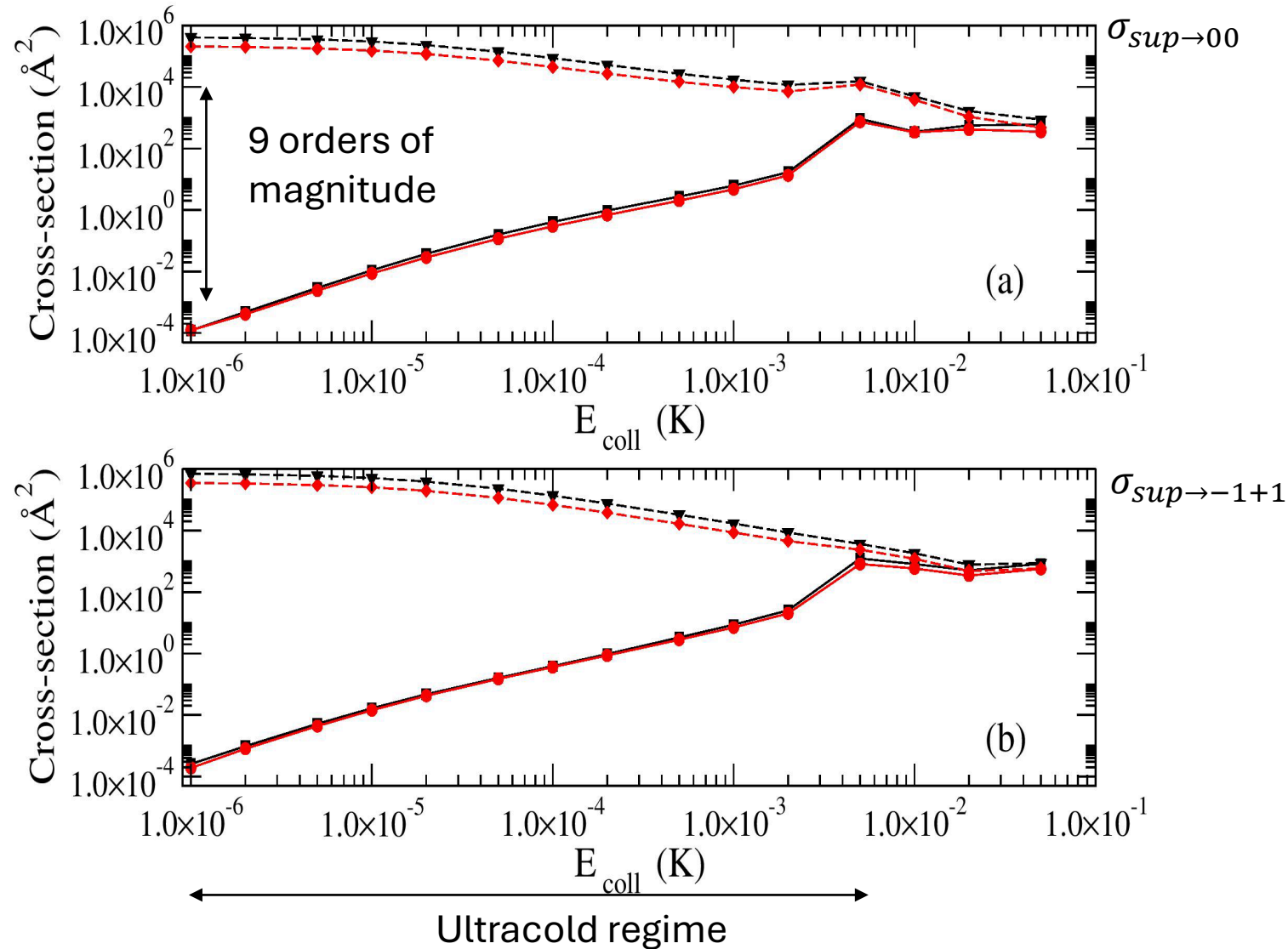
$$\sigma_{max} = 377977 \text{ \AA}^2$$

$$\sigma_{min} = 0.0001 \text{ \AA}^2$$



Complete destructive interference

Complete destructive interference of cross-sections



Complete control of branching ratio

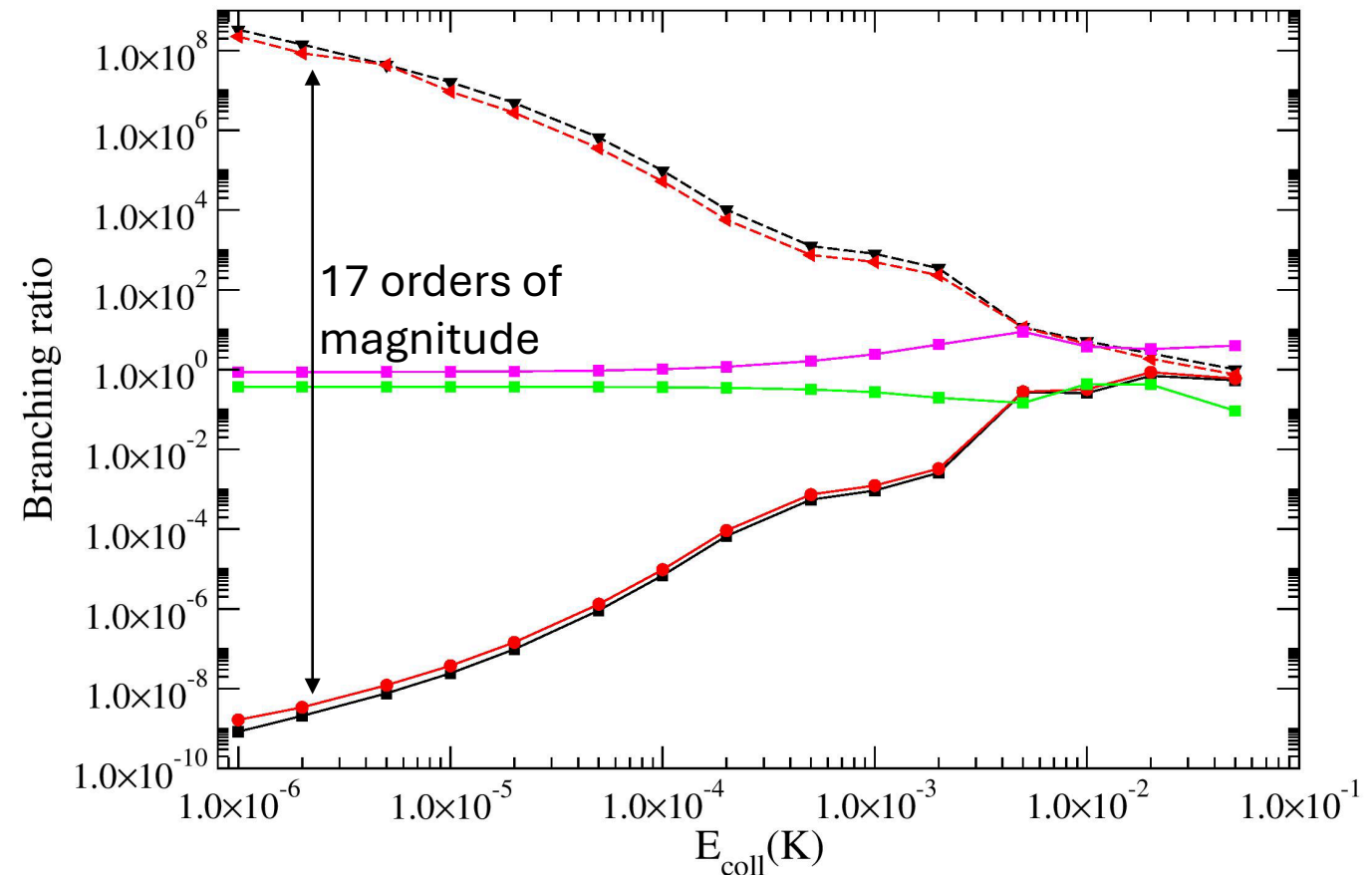
One set of parameter $(\eta, \beta) \rightarrow$ suppression
2nd processus \rightarrow Branching ratio $= \infty$



Complete control of branching
ratio



One set of parameter $(\eta, \beta) \rightarrow$ suppression
1st processus \rightarrow Branching ratio $= 0$



\Rightarrow Ultracold regime is ideal for coherent control

Strategies

3 Strategies :

- Ultracold regime
- Resonance
- Phase-locking mechanism

Shape resonance

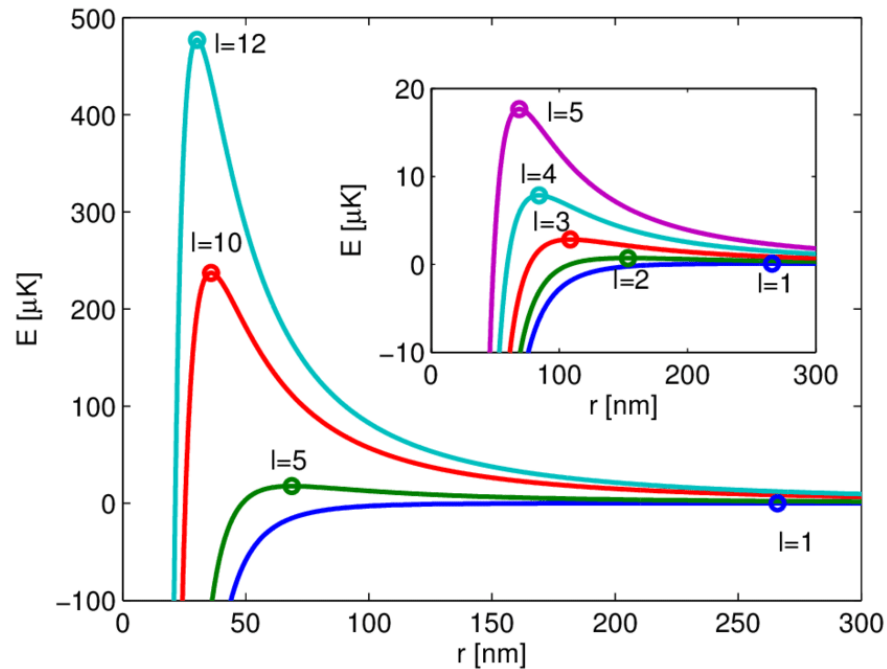


Figure from Z. Meir's thesis "Dynamics of a single, ground-state cooled and trapped ion colliding with ultracold atoms: A micromotion tale"

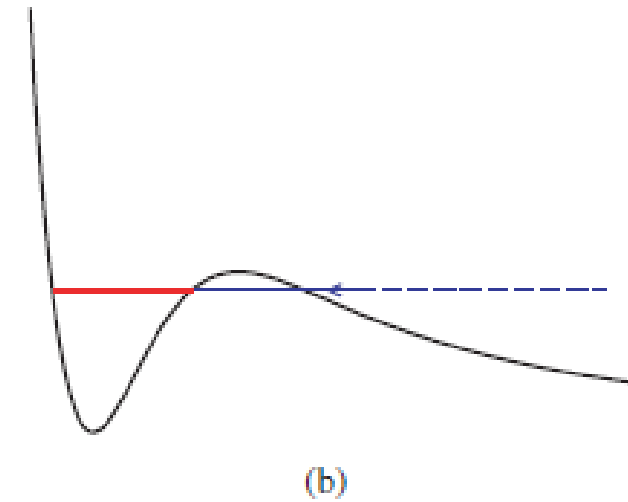


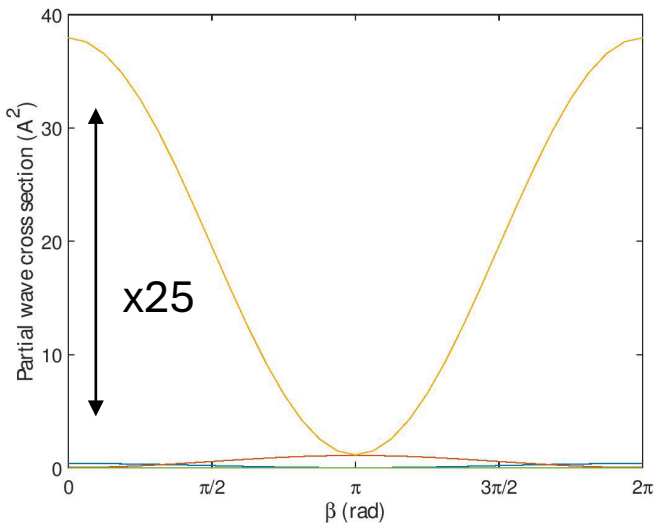
Figure from R. Krems "Molecules in Electromagnetic fields"

Quasi-bound state occurring due to the presence of the centrifugal barrier

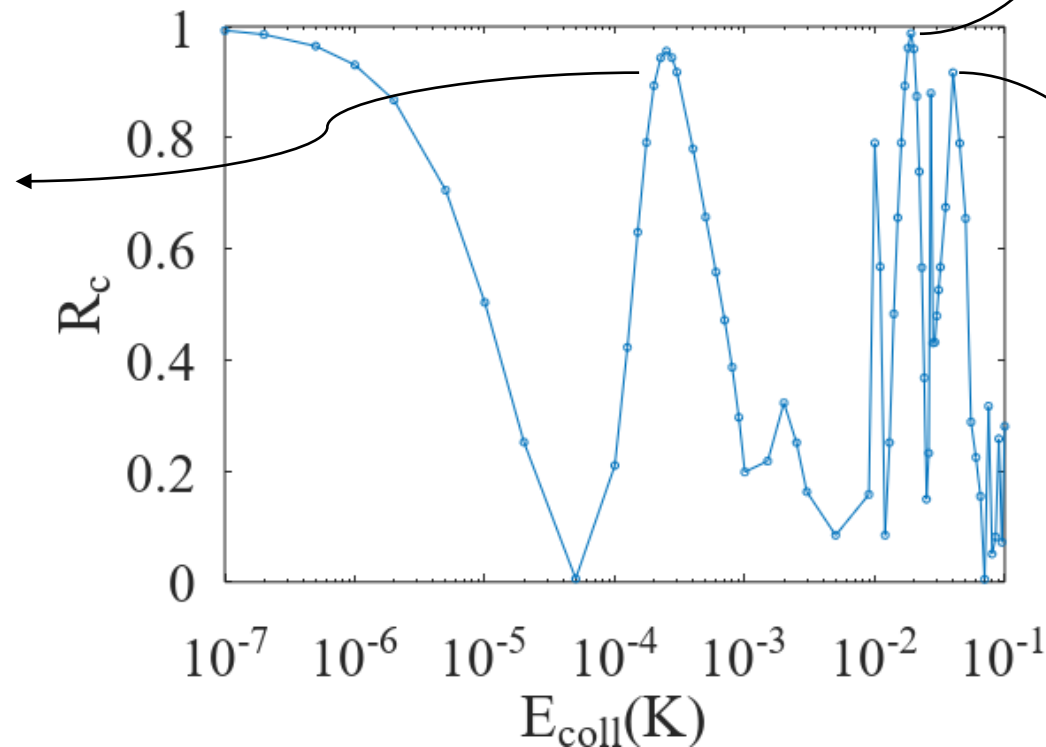
One predominant partial wave \rightarrow ideal for coherent control

Coherent control around shape resonance

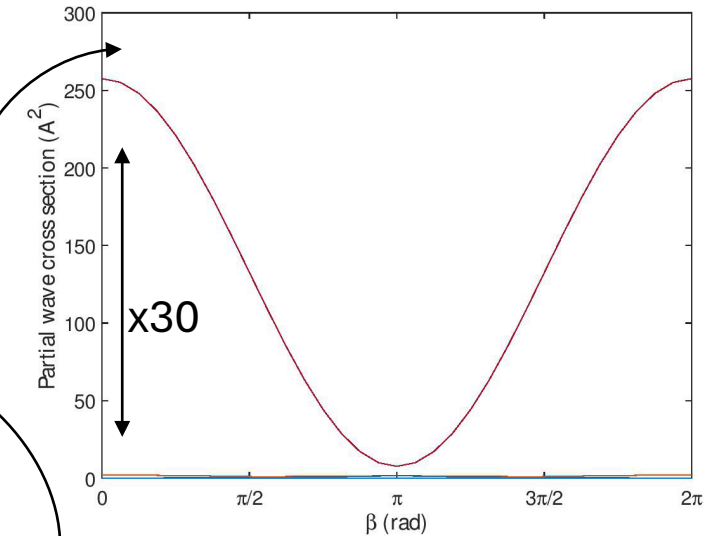
Scattering of a ground state ^{87}Rb atom ($F=1$) and a hyperfine excited ^{87}Rb atom ($F=2$) \rightarrow two ground state ^{87}Rb atoms ($F=1$)



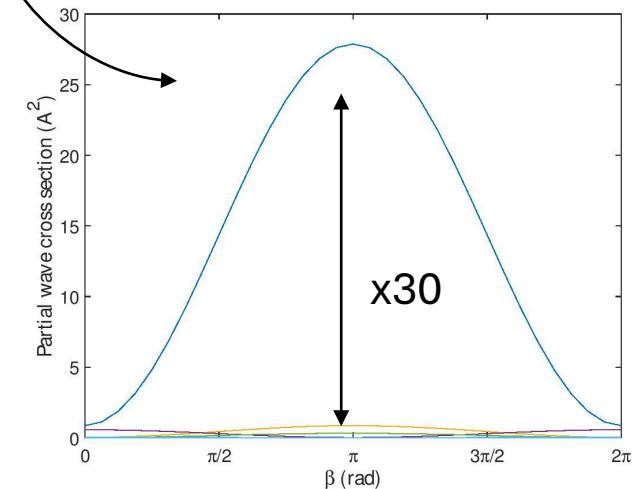
Shape resonance $\ell=2$



R_c : control index
 $R_c = 0$ no control
 $R_c = 1$ complete control



Shape resonance $\ell=6$



Shape resonance $\ell=7$

Strategies

3 Strategies :

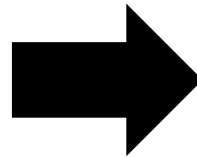
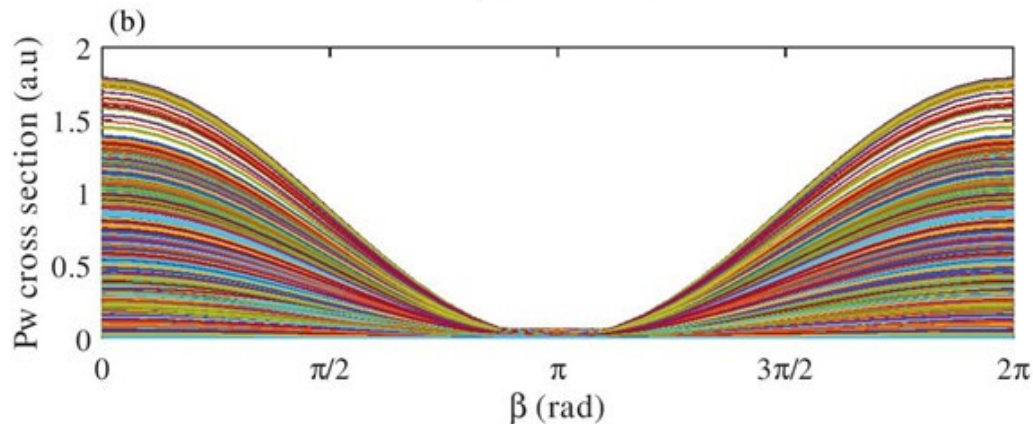
- Ultracold regime
- Resonance
- Phase-locking mechanism

Partial wave phase locking mechanism

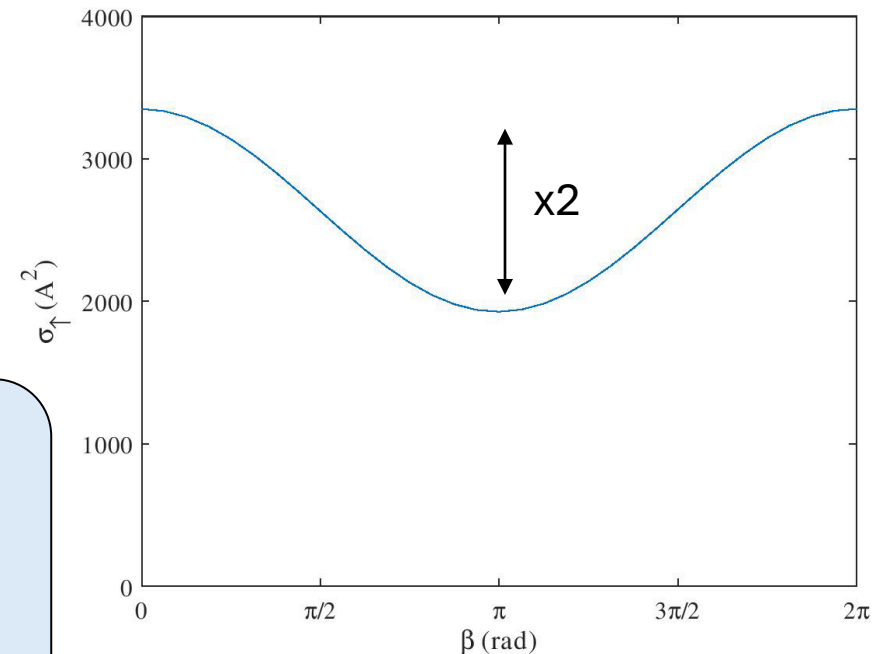
Phase locking of partial wave contributions: synchronization of the control of every partial waves

Partial wave phase-locking discovered in spin-exchange and spin-relaxation in atom-ion collisions (T. Sikorsky et al. PRL 173402 (2018) and R. Côté PRL 173401 (2018))

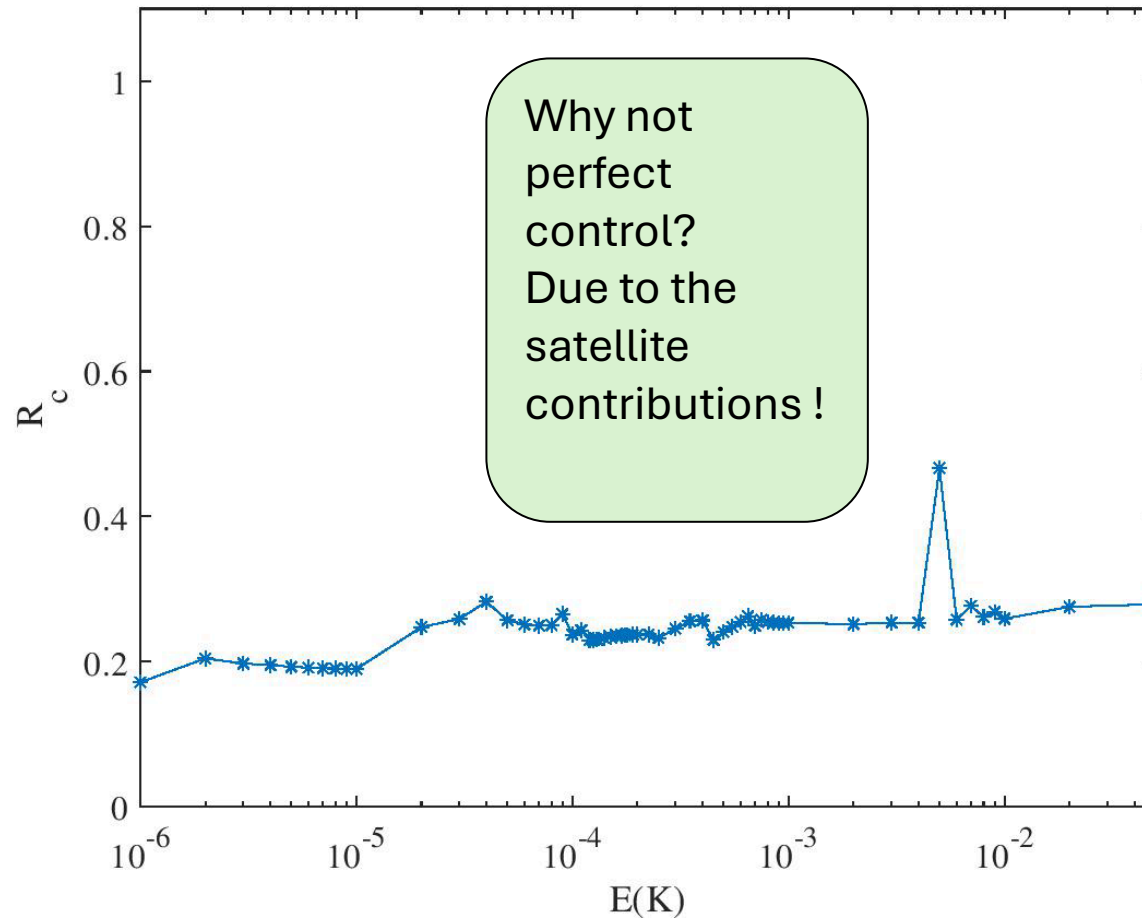
Collisions between ^{87}Rb atom ($F=2$) and a ground state $^{88}\text{Sr}^+$ ion ($S=1/2$) :



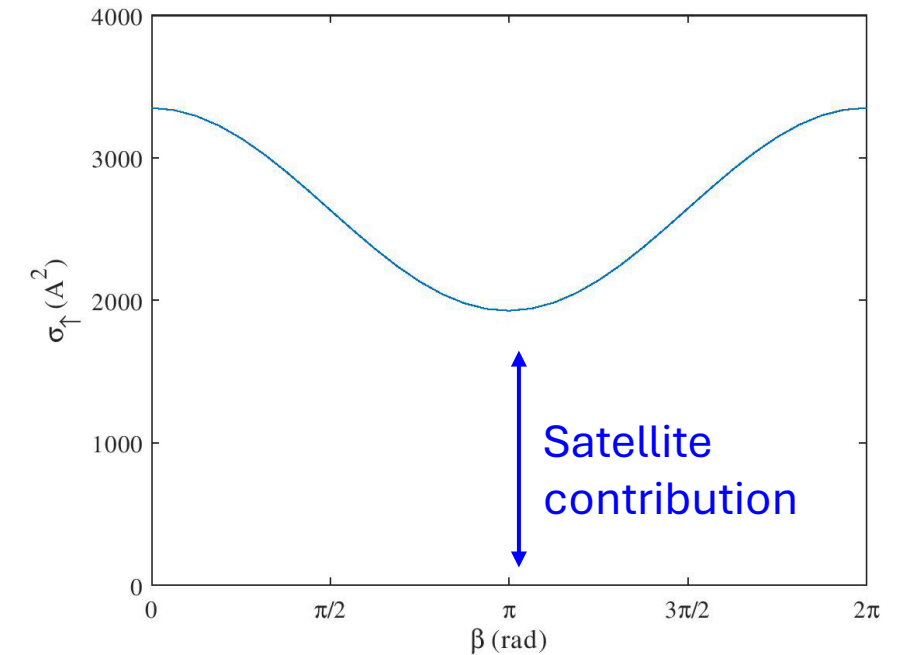
$E=50$ mK
80 partial
waves and
5000
contributions !



Robust coherent control beyond ultracold regime



Control robust against the increase of collisional energies



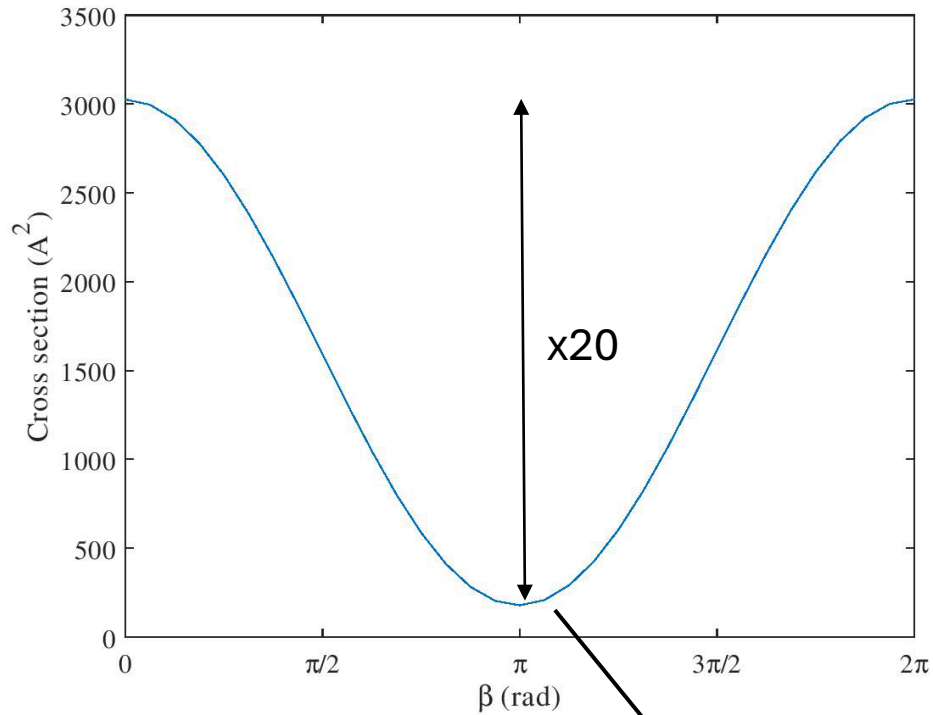
Solution: entangled superpositions

$$|\Psi_{ent}\rangle = \frac{1}{\sqrt{2}} \left(|m_1^A, m_2^B\rangle + e^{i\beta} |m_2^A, m_1^B\rangle \right)$$

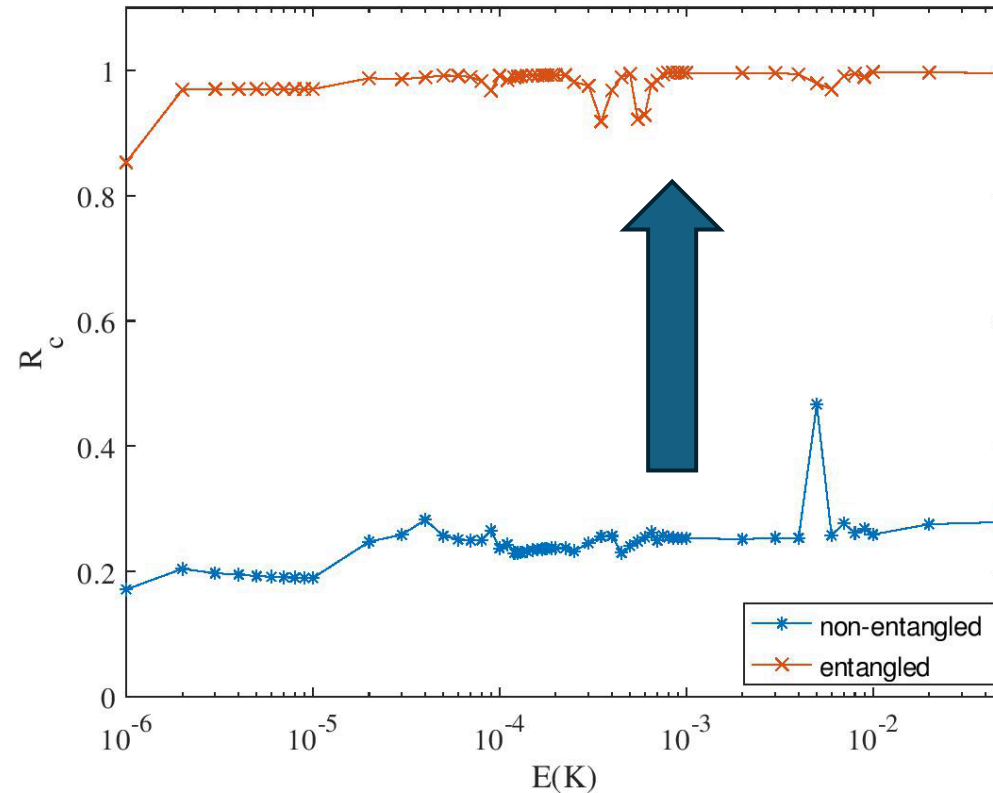
No more satellite terms!

Coherent control with entangled superposition

$E=50$ mK



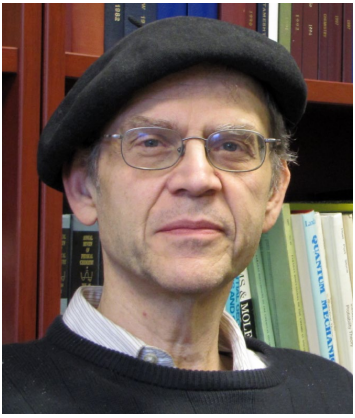
Destructive interference



Complete control at any collisional energy

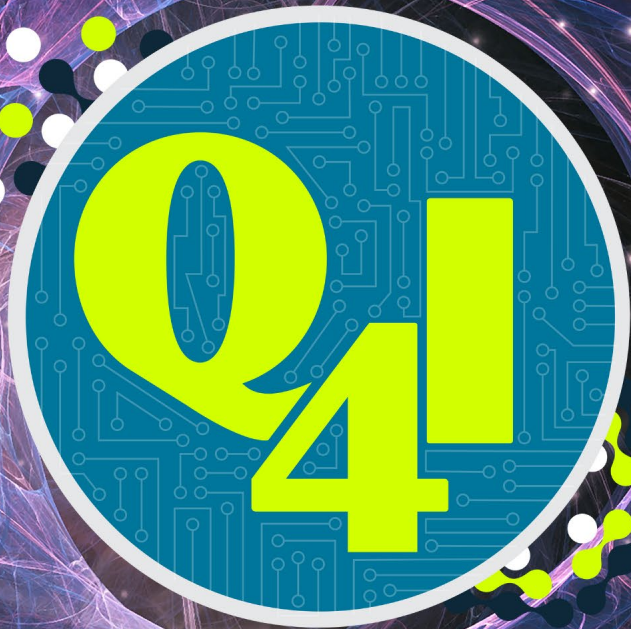
Conclusions

- Preparation of initial superposition open the ways of control of molecular collisions via quantum interference
- Challenge from the partial wave expansion
- Resolved if:
 - One dominant partial wave $\ell, m_\ell, \ell', m'_\ell$ (ultracold regime and shape resonance)
 - Synchronized control for every partial waves $\ell, m_\ell, \ell', m'_\ell$ (Partial wave phase locking mechanism)
- Enhancement of the control with entangled superposition



Thank you for your attention





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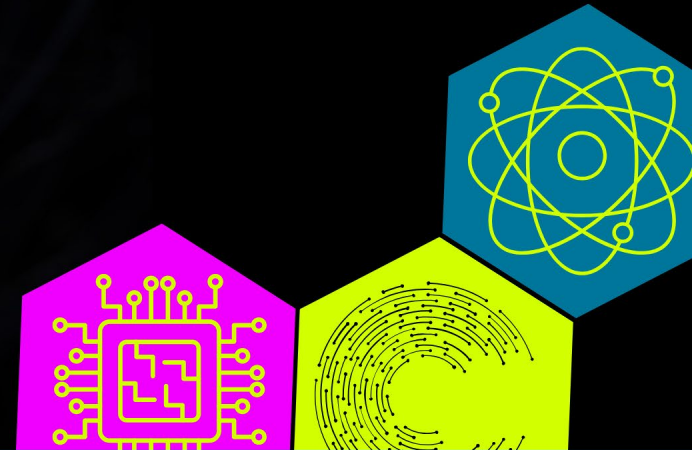
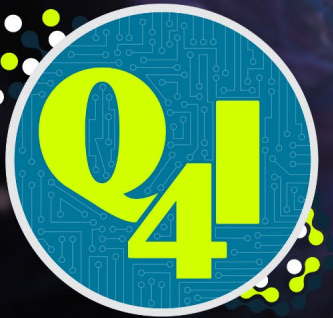
AFRL



GRIFFISS
INSTITUTE



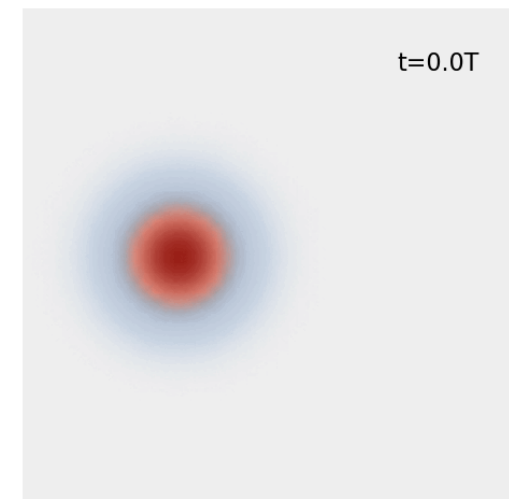
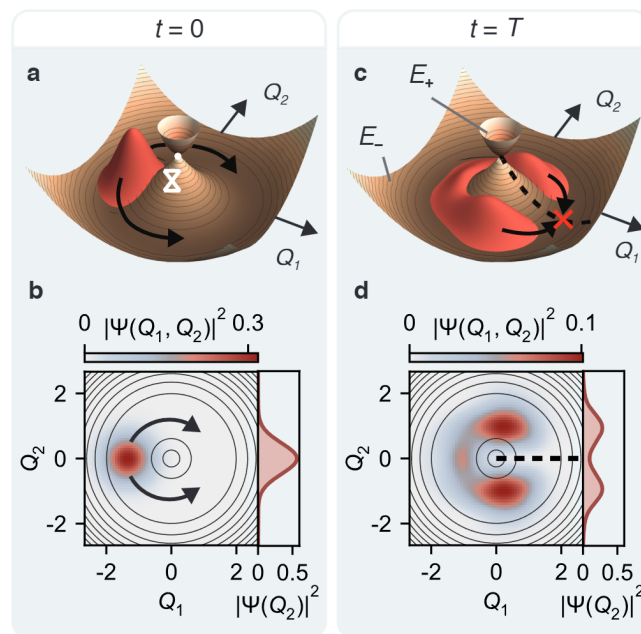
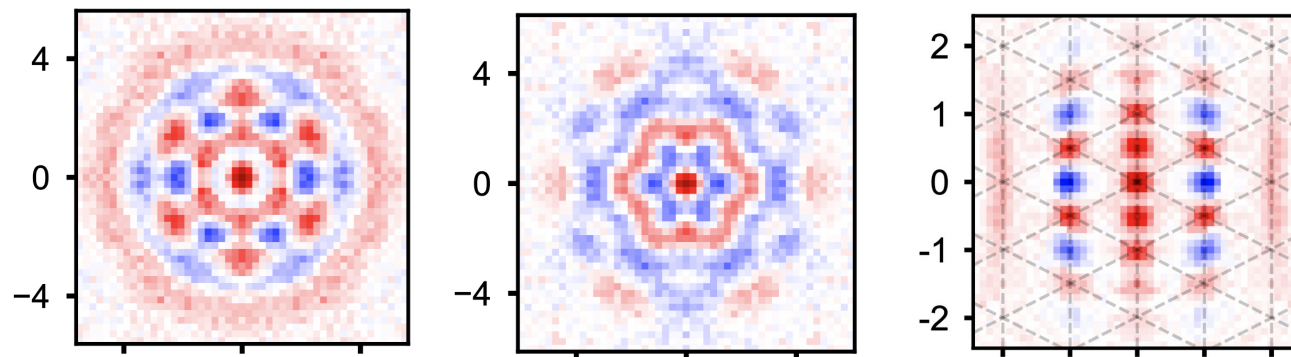
DR. TING REI TAN
Senior Lecturer
University of Sydney



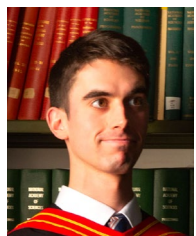
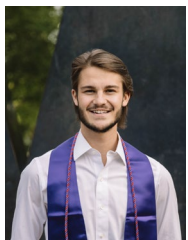
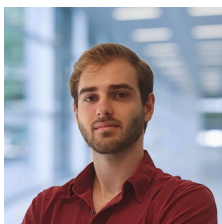
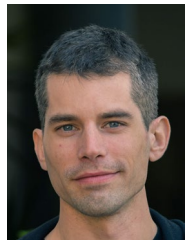
Quantum information science with trapped-ion mechanical oscillator

Ting Rei Tan

Quantum Control Laboratory (QCL)



Quantum Control Laboratory – the team



Experiment (QCL)

Paul trap team:

Christophe Valahu

Tomas Navickas (now Q-Ctrl)

Arjun Rao

Maverick Millican

Vassili Matsos

Frank Scuccimarra

Prachi Nagpal

T. R. Tan (Paul trap PI)

Theory (Usyd's Kassal group)

Vanessa Olaya-Agudelo

Ryan MacDonell (now Dalhousie)

Liam Flew

Ben Stewart

Ivan Kassal (PI)

Collaborators:

Cornelius Hempel (now PSI)

Juan Perez-Sanchez (UCSD)

Joel Yuen-Zhou (UCSD)

Penning trap team:

Joseph Pham

Julian Jee

Michael Biercuk

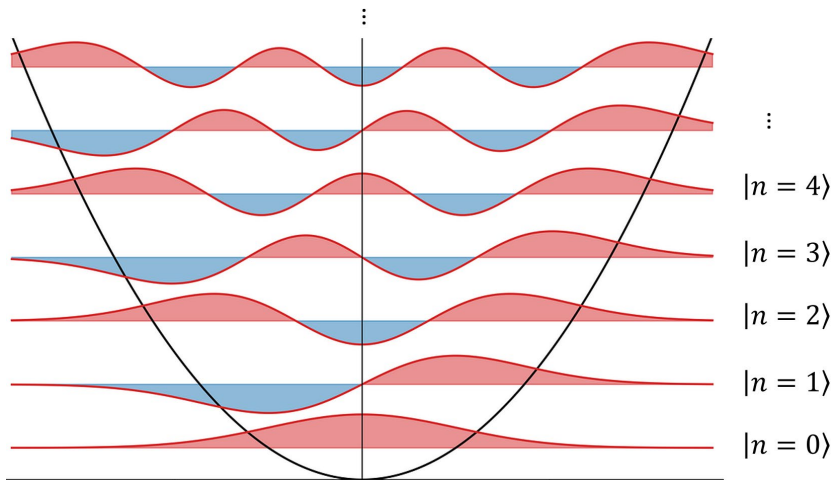
Robert Wolf (Penning trap PI)

Funders:



Logical Qubits in an oscillator to provide hardware resource savings

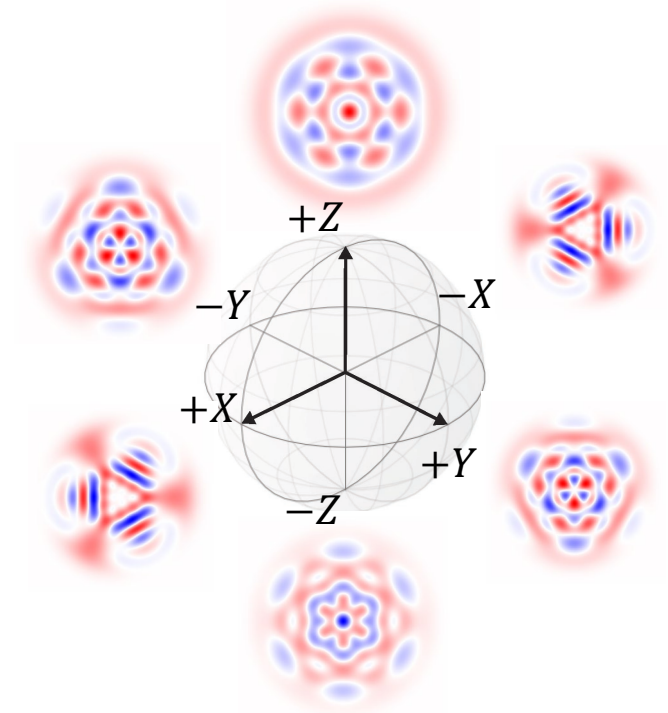
Harmonic Oscillator



Bosonic Encoding



Logical Qubit



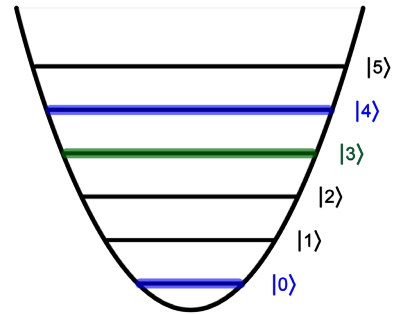
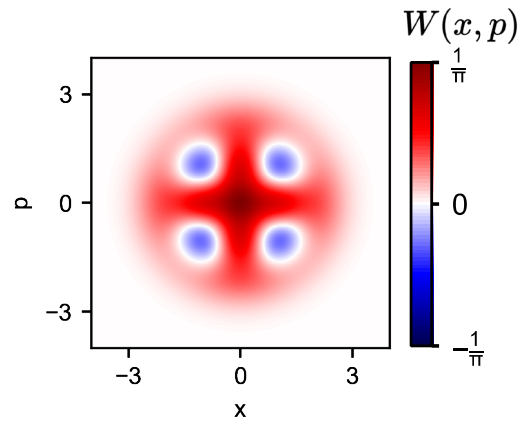
Bosonic Code Reviews:

Terhal et al. Quantum Sci and Tech (2020)

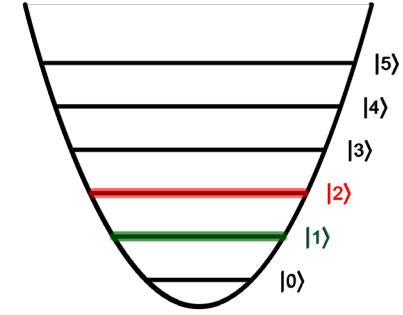
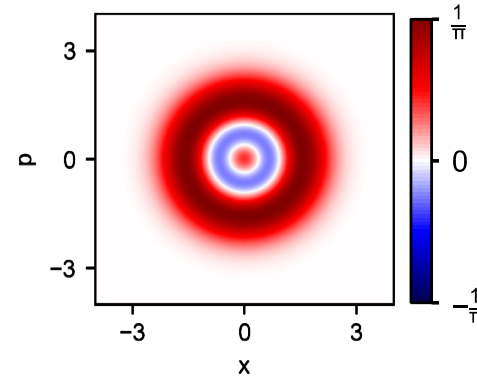
Albert, "Bosonic coding: introduction and use cases", (2022)

Binomial

$$(1-\varepsilon) |0\rangle_L + \varepsilon |E\rangle$$



$$(1-\varepsilon) |1\rangle_L + \varepsilon |E\rangle$$



Michael et al. Phys. Rev. X (2016)

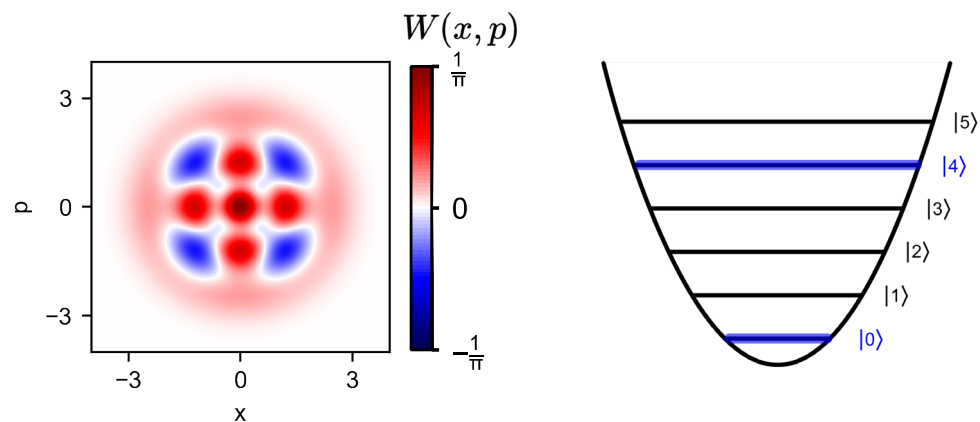
Bosonic Code Reviews:

Terhal, B. et al. Quantum Sci and Tech **5** 043001 (2020)

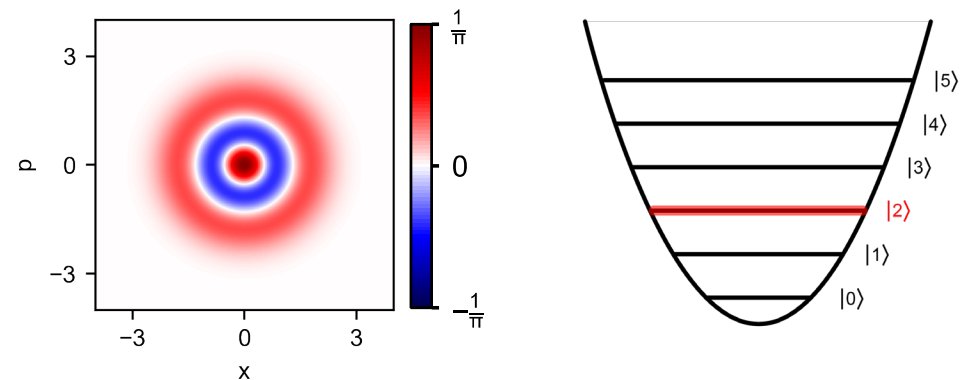
Albert, V. arXiv 2211.05714 (2022)

Binomial

$$|0\rangle_L = (|0\rangle + |4\rangle)/\sqrt{2}$$

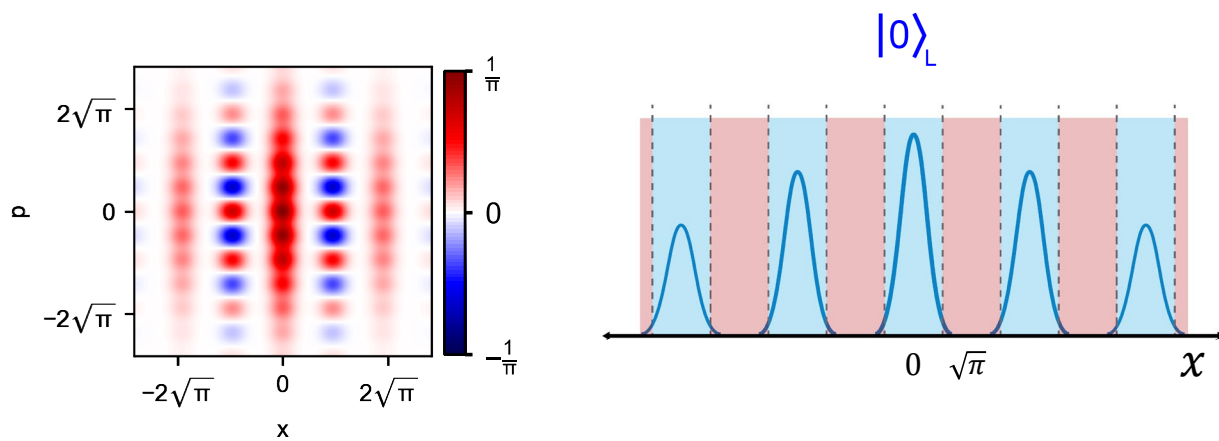


$$|1\rangle_L = |2\rangle$$

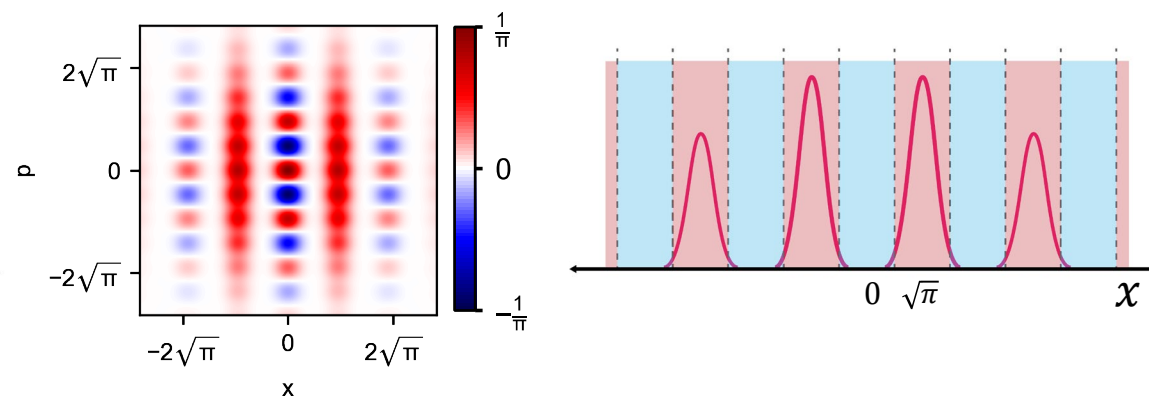


Michael et al. Phys. Rev. X (2016)

Gottesman-Kitaev-Preskill (GKP)



$$|1\rangle_L$$



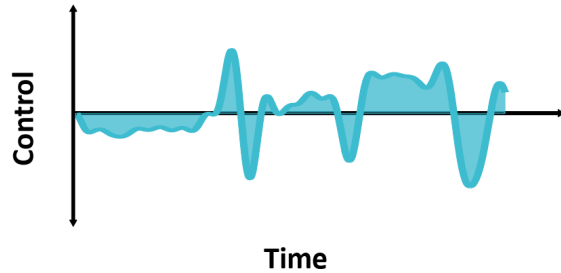
Bosonic Code Reviews:

Terhal et al. Quantum Sci and Tech (2020)

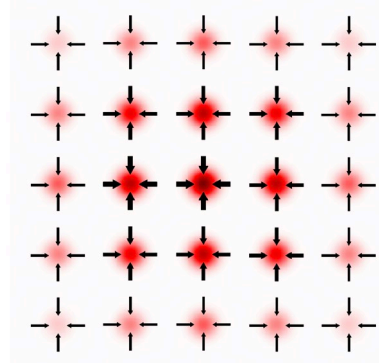
Albert, "Bosonic coding: introduction and use cases", (2022)

Gottesman et al. Phys. Rev. A (2001)

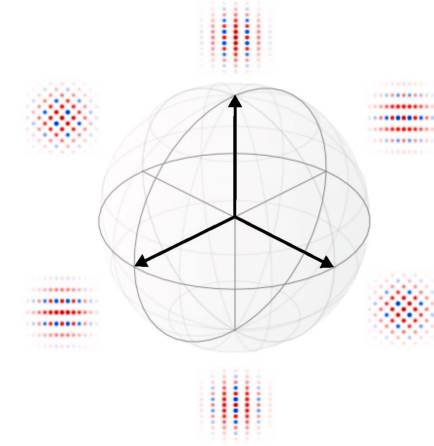
Quantum Computing with Bosonic Codes



State Preparation



Error Correction



Logical Operations

Experimental works (*Non Exhaustive*):

- Fhlümann, C. et al Nature Nature vol. 566 513–517 (2019)
- Eickbusch, A. et al. Nature Physics vol. 18 1464–1469 (2022)
- Kudra, M. et al. PRX Quantum vol. 3 (2022)
- Tsunoda, T. et al. PRX Quantum vol. 4 (2023)
- de Neeve, B. et al. Nat. Phys. vol. 18 296–300 (2022)
- Sivak, S. et al. Nature vol. 616 50–55 (2023)
- Ni, Z. et al. Nature vol. 616, 56–60 (2023)

- Advantage: hardware efficient
- Key experimental challenge: difficult to control oscillators (bosonic systems)

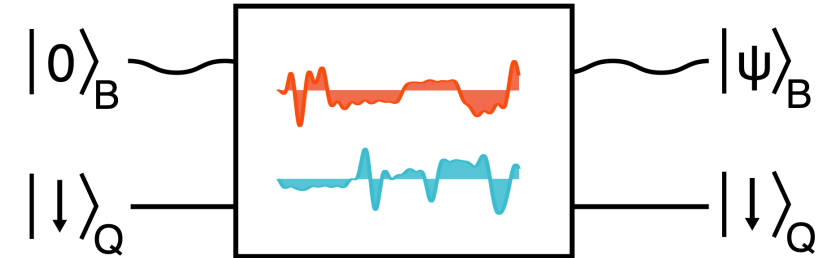
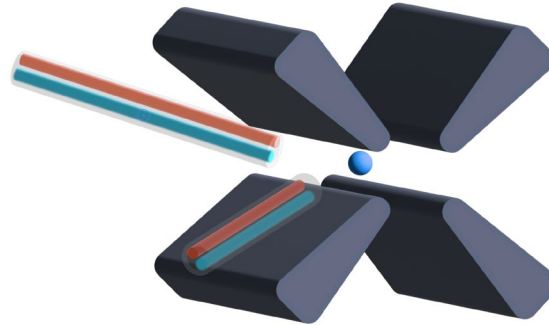
Trapped Ion Oscillator Control

Controls

$$H_{\text{control}}(t) = \frac{\Omega}{2} \hat{\sigma}^+ \left(\hat{a} e^{i\phi_r(t)} + \hat{a}^\dagger e^{i\phi_b(t)} \right) + \text{h. c.}$$

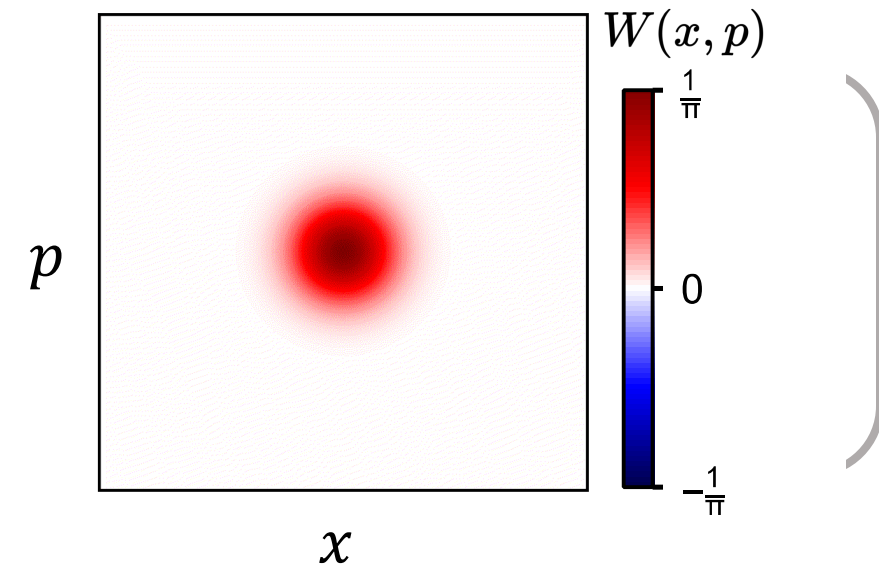
Red SB

Blue SB



Optimize: $\{\phi_r, \phi_b\}$

Minimize:
$$C = \sum_{k=-n}^n e^{-k^2} \left(1 - \left| \langle \psi_{\text{target}}, \downarrow | \hat{U}_k | 0, \downarrow \rangle \right|^2 \right) + \epsilon \frac{T}{T_{\text{max}}} U_k$$



Related Control Works:

Hastrup et al. Physical Review Letters vol. 126 (2021) - (vacuum \rightarrow squeezed)

Hastrup et al. npj Quantum Information vol. 7 (2021) - (squeezed \rightarrow GKP)

Eickbusch, A. et al. Nature Physics vol. 18 1464–1469 (2022) (bosonic state prep. cQED)

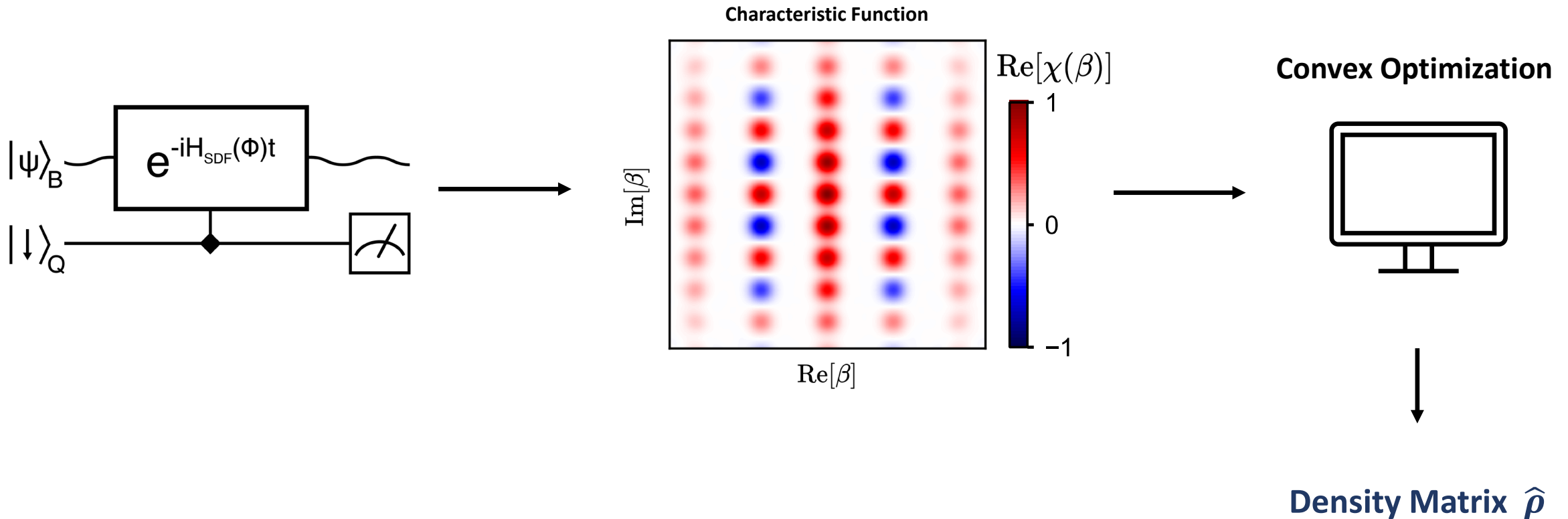
Kudra, M. et al. PRX Quantum vol. 3 (2022)

Lachance-Quirion, D et al. ArXiv 2310.11400

Trapped Ion Oscillator Characterization

Characterization

$$H_{\text{SDF}}(\phi) \propto \Omega \hat{\sigma}_x (\cos(\phi) \hat{x} - \sin(\phi) \hat{p})$$

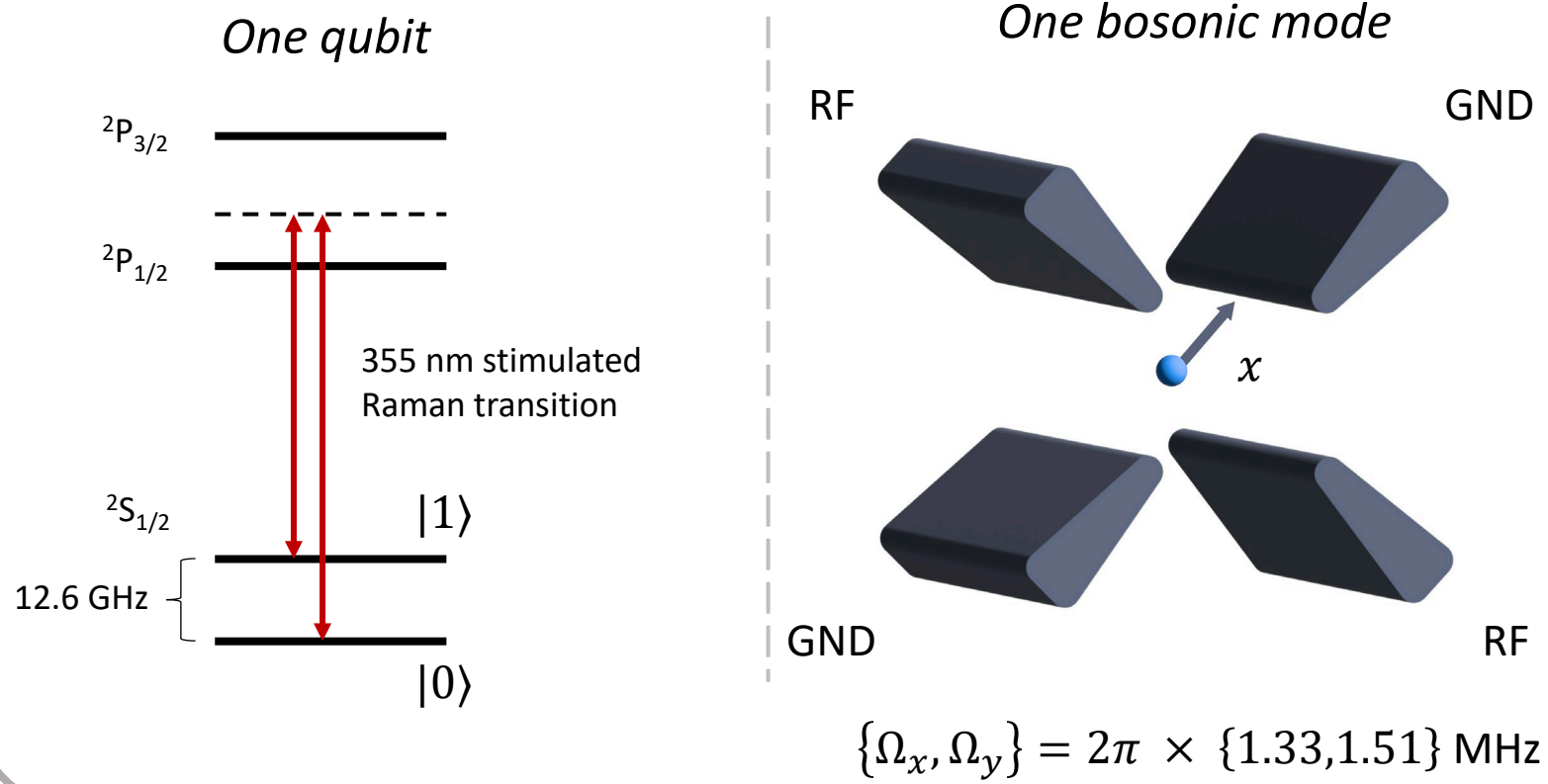


Flühmann, C. et al. Physical Review Letters vol. 125 (2020) – (Characteristic function)

Ahmed, S. et al. Physical Review Letters vol. 127 (2021) – (Density matrix reconstruction)

Experimental System

We use a single $^{171}\text{Yb}^+$ ion :



Performance metric

Radial Mode Dephasing:

1.5ms -> 50 ms

Radial Mode Motional heating:

0.2 quanta/s

Qubit Dephasing:

0.8s -> 8.7 s

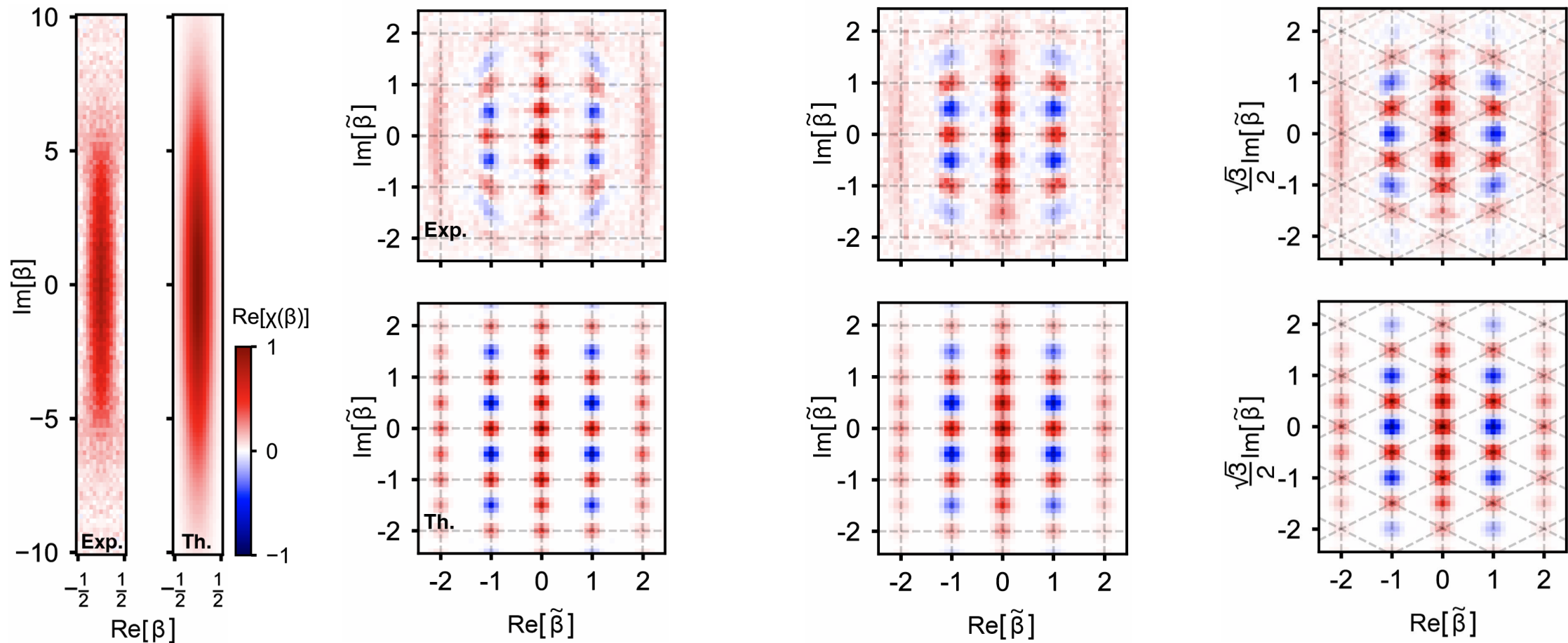
Single-qubit (spin) gates

2.0×10^{-5} -> 1.6×10^{-6}

Experiment Data: Squeezed State & GKP State Preparation

Target State Squeezed 13.5 dB Square 12.2 dB $|0\rangle_L$ Square 10.4 dB $|0\rangle_L$ Hex. 10.4 dB $|0\rangle_L$

Squeezing (dB)	12.91(5)	$\{5.5(2)_X, 6.3(3)_Z\}$	$\{7.5(2)_X, 7.5(2)_Z\}$	$\{6.5(3)_X, 6.3(4)_Z\}$
Fidelity	0.753(4)	0.60(1)	0.83(1)	0.77(3)
Logical Fidelity	-	0.90(1)	0.940(8)	0.92(1)



Binomial State Preparation

Distance 2

Distance 3

Target

$$|0\rangle_L = (|0\rangle + |4\rangle)/\sqrt{2}$$

$$|0\rangle_L = (|0\rangle + \sqrt{3}|6\rangle)/2$$

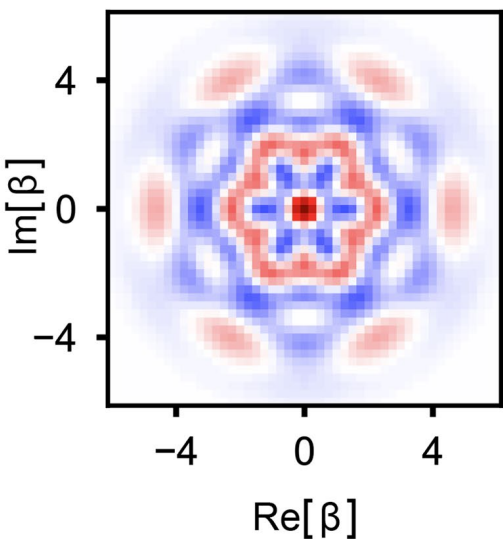
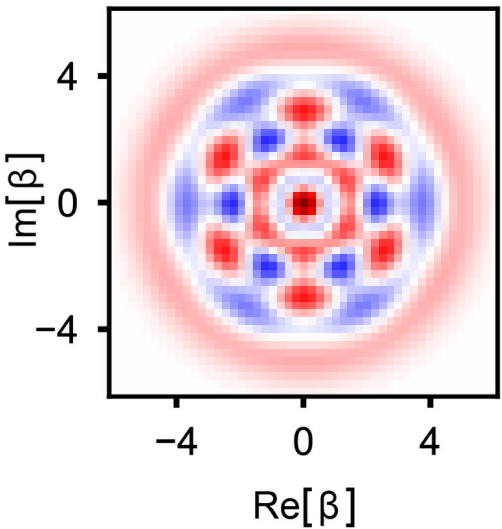
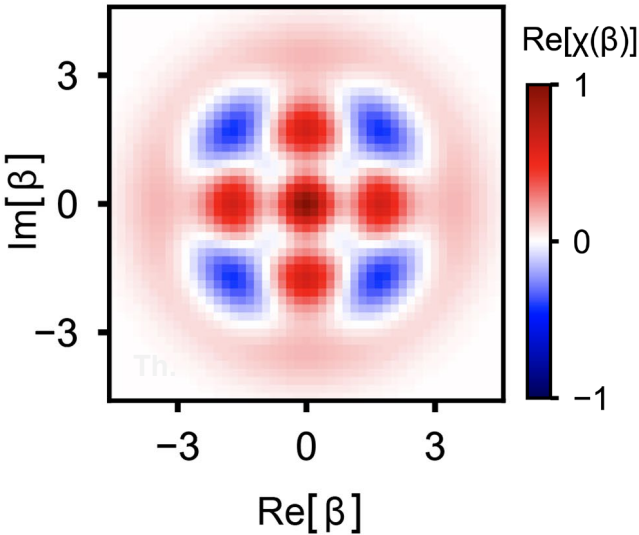
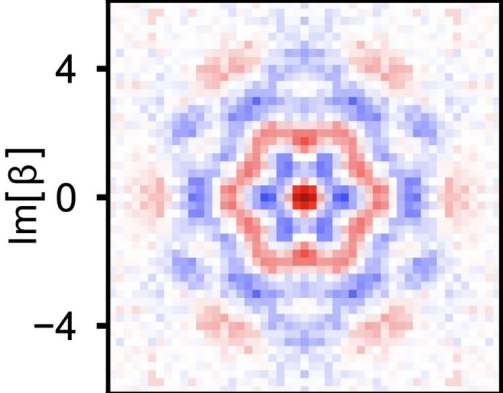
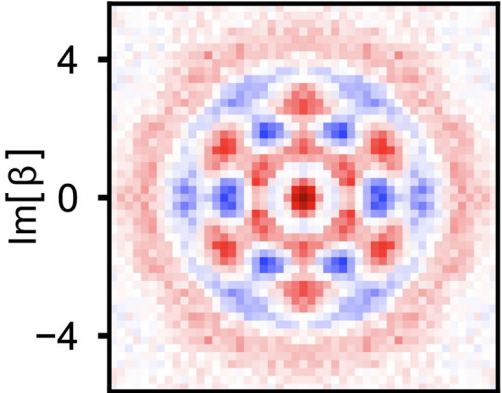
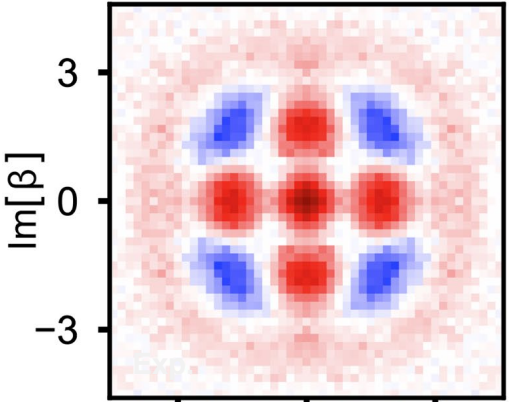
$$|1\rangle_L = (\sqrt{3}|3\rangle + |9\rangle)/2$$

Fidelity

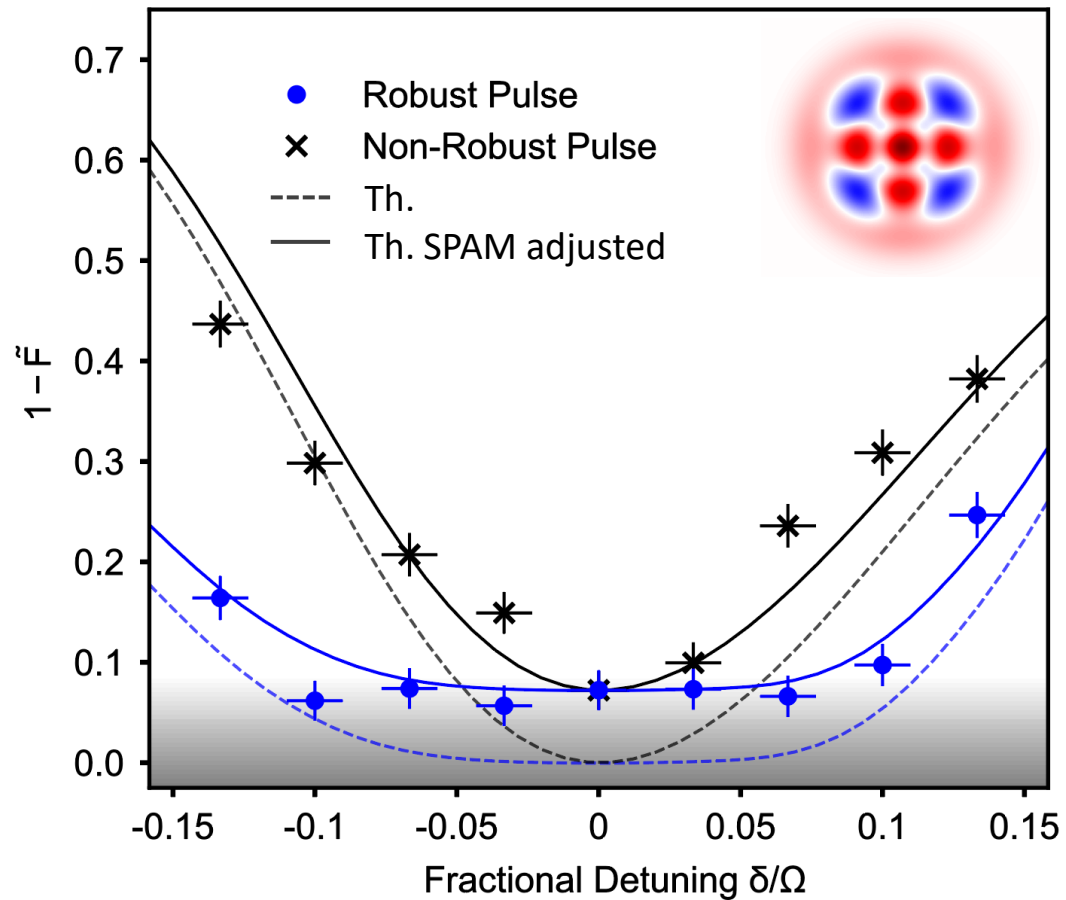
0.889(9)

0.843(9)

0.77(1)

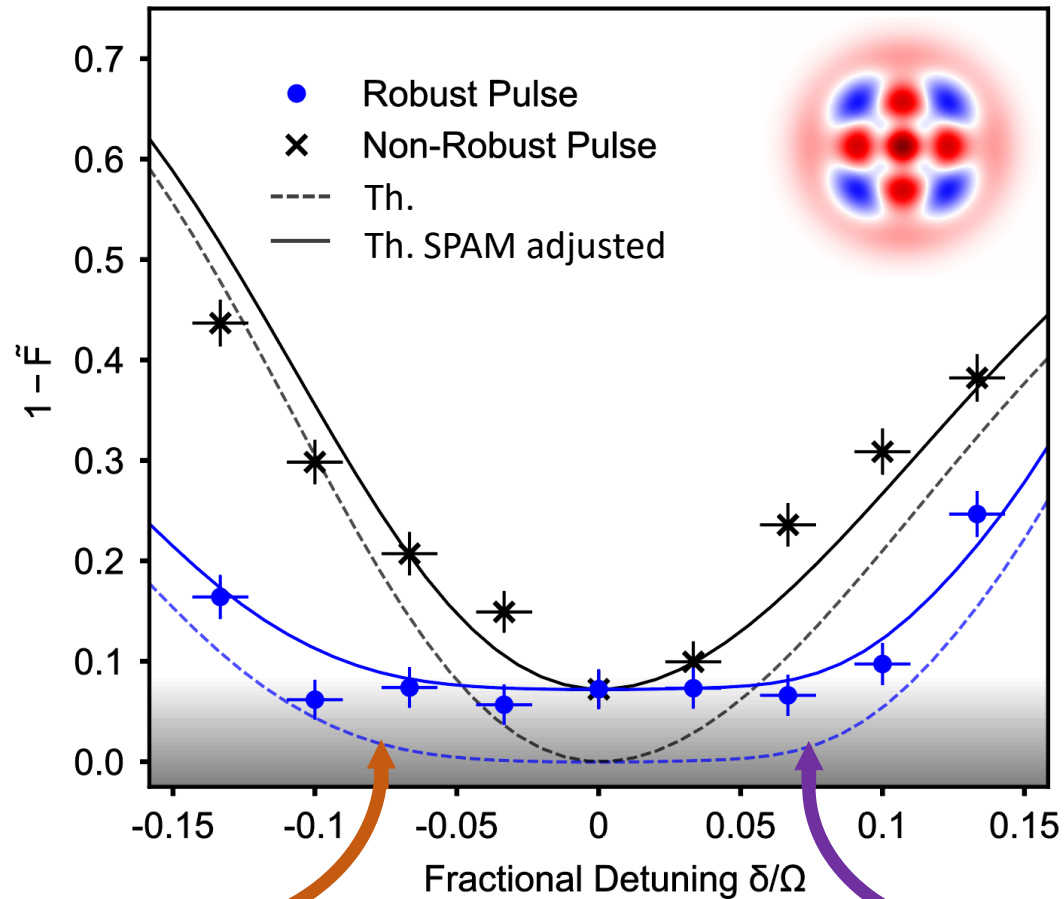
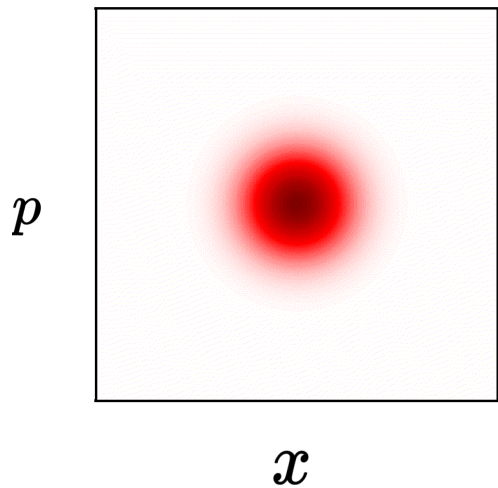


Demonstrating Noise-Robust Binomial State Preparation

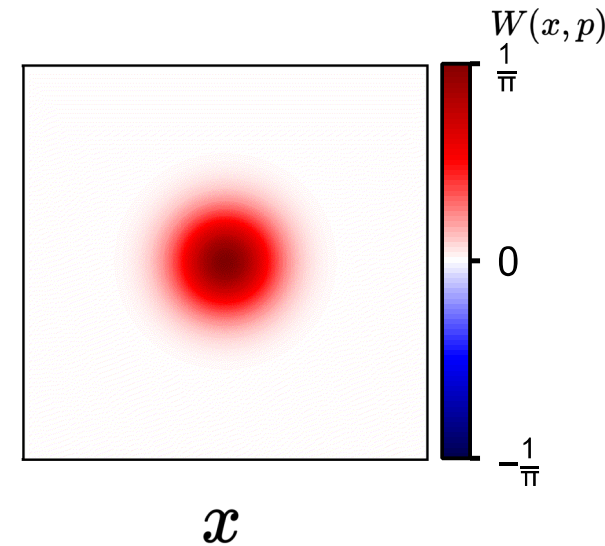


Demonstrating Noise-Robust Binomial State Preparation

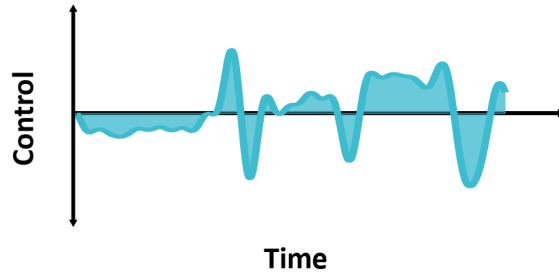
$$H_{k, \text{noise}} = -0.075\Omega a^\dagger a$$



$$H_{k, \text{noise}} = 0.075\Omega a^\dagger a$$



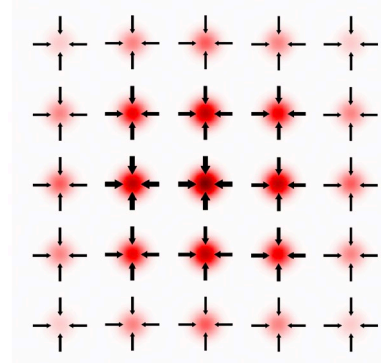
Future opportunities: beyond state preparation



State Preparation

This Work:

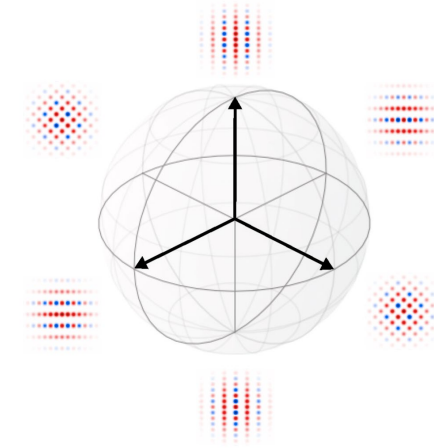
- Versatile
- Deterministic
- Noise Robust



Error Correction

Future Work:

- State preparation and error correction of multi-mode bosonic states

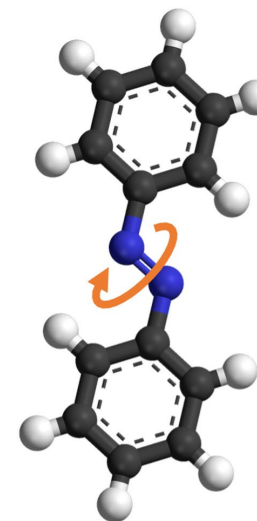
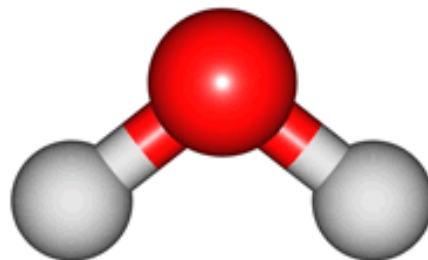
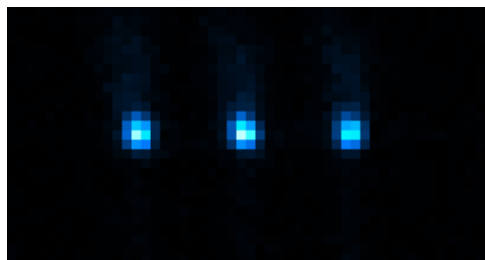


Logical Operations

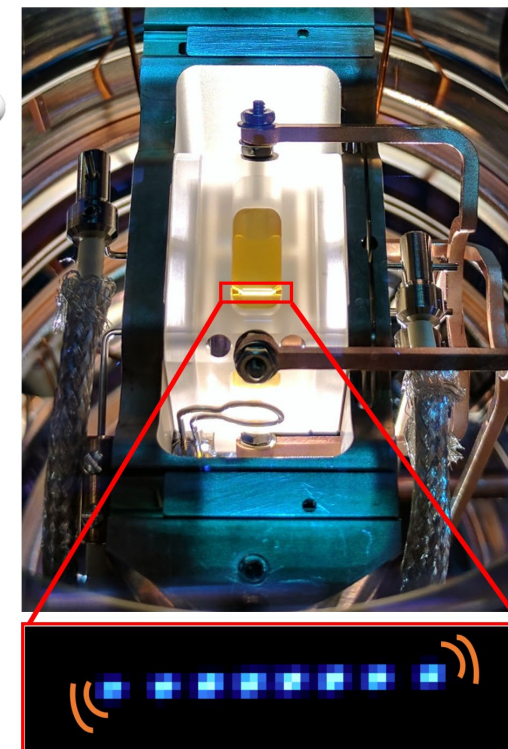
- Single and two-qubit gates on GKP states

Simulating quantum chemistry with mechanical motions of trapped ions

Leverage bosonic modes that may otherwise go unused



Map a molecule
to trapped ions

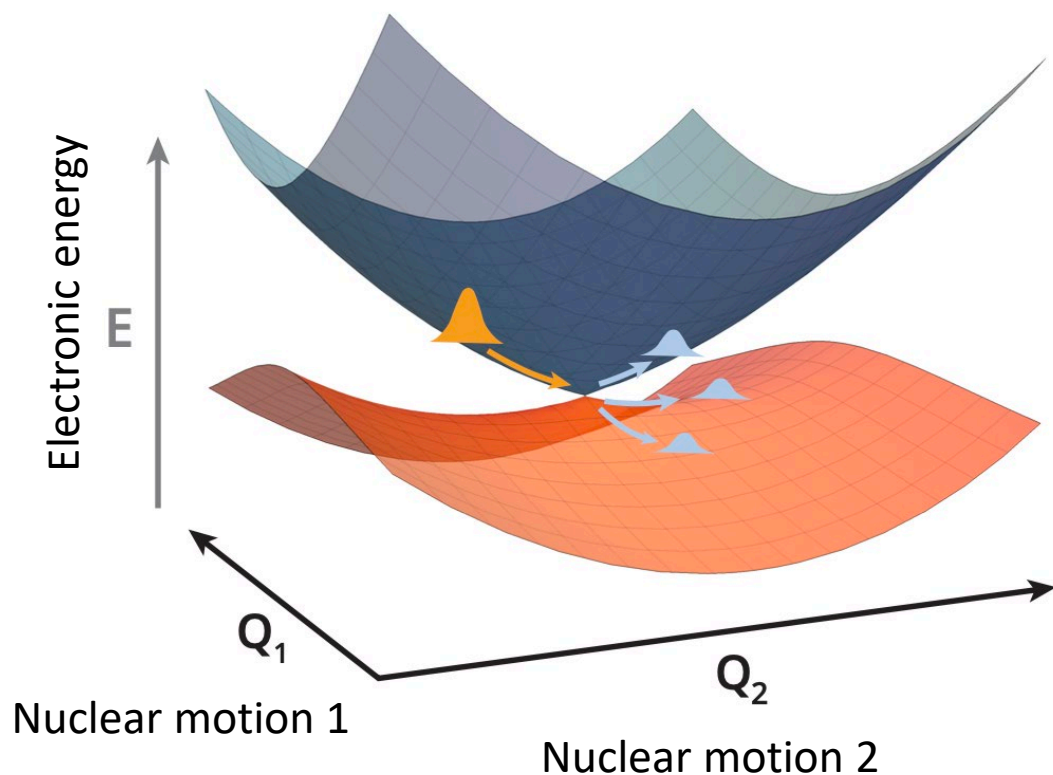


Key advantages:

- Incredible hardware efficiency
- Well-suited for dynamics problems (beyond static problems)
- Noise/dissipation is a feature, instead of a problem to simulate chemical dynamics in open quantum system
- Programmable

Our focus: Quantum chemistry beyond the Born-Oppenheimer approximation

Hardest to simulate with classical computers due to strong coupling between molecular electronic levels and nuclear vibrations



- Conical intersection is a prime example of problems that are beyond the Born-Oppenheimer approximation: non-adiabatic dynamics
- Ultrafast photochemistry requires a dynamical, quantum treatment
- Exponentially expensive to simulate on classical computers

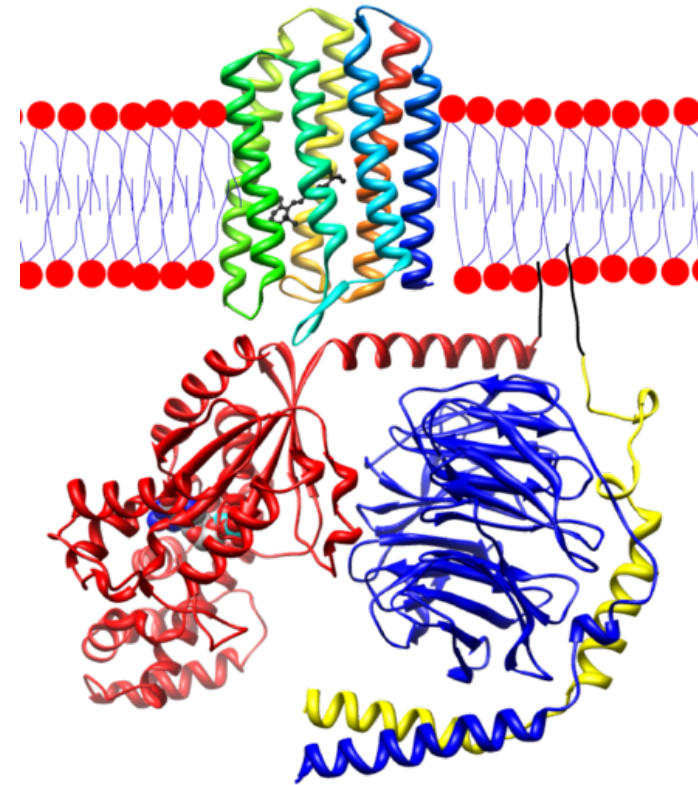
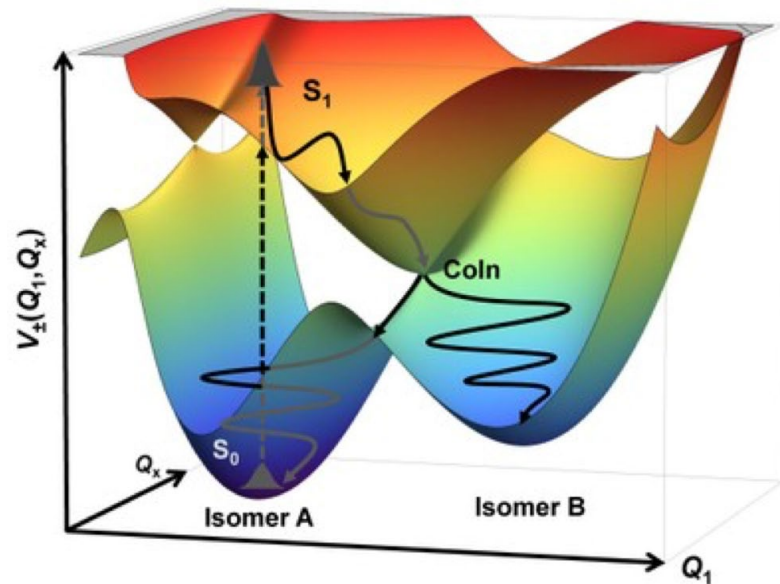
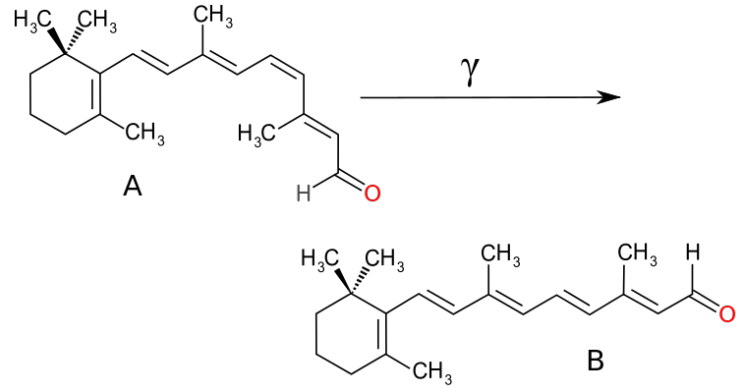
REVIEWS OF MODERN PHYSICS

Recent Accepted Authors Referees Search Pre

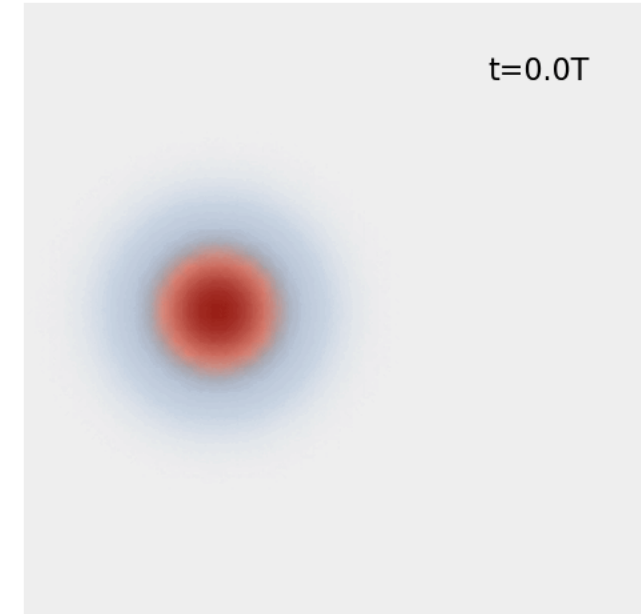
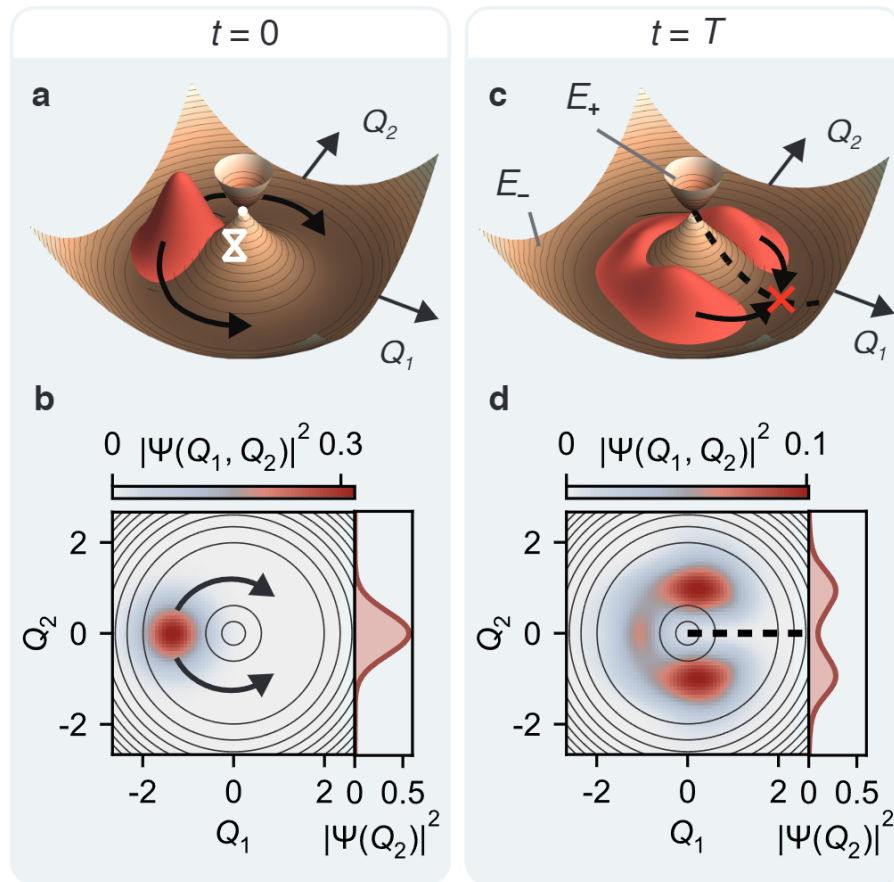
Diabolical conical intersections

David R. Yarkony
Rev. Mod. Phys. **68**, 985 – Published 1 October 1996

Conical intersection example: vision



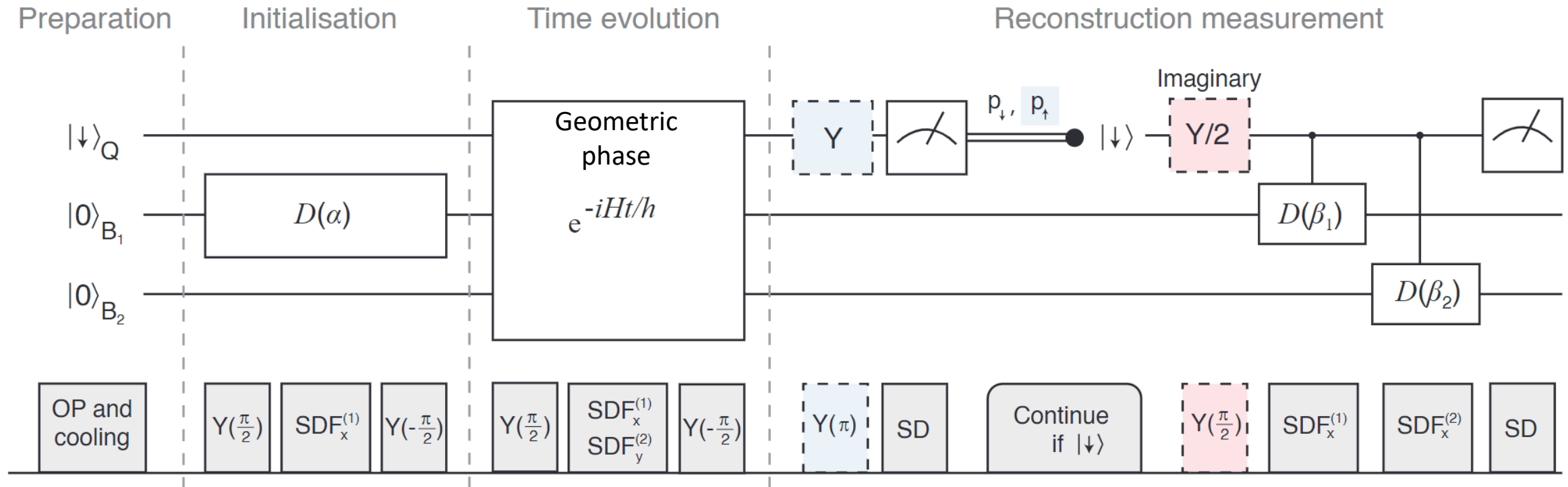
Conical intersection dynamics: geometric phase



Jahn-Teller conical intersection:

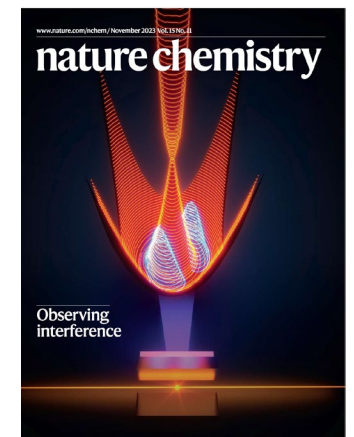
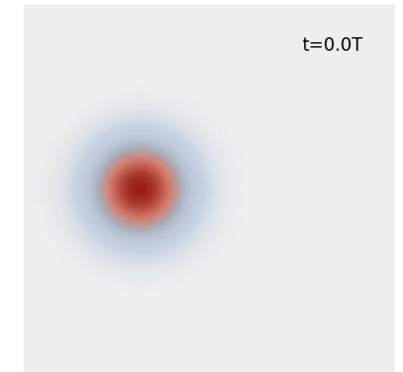
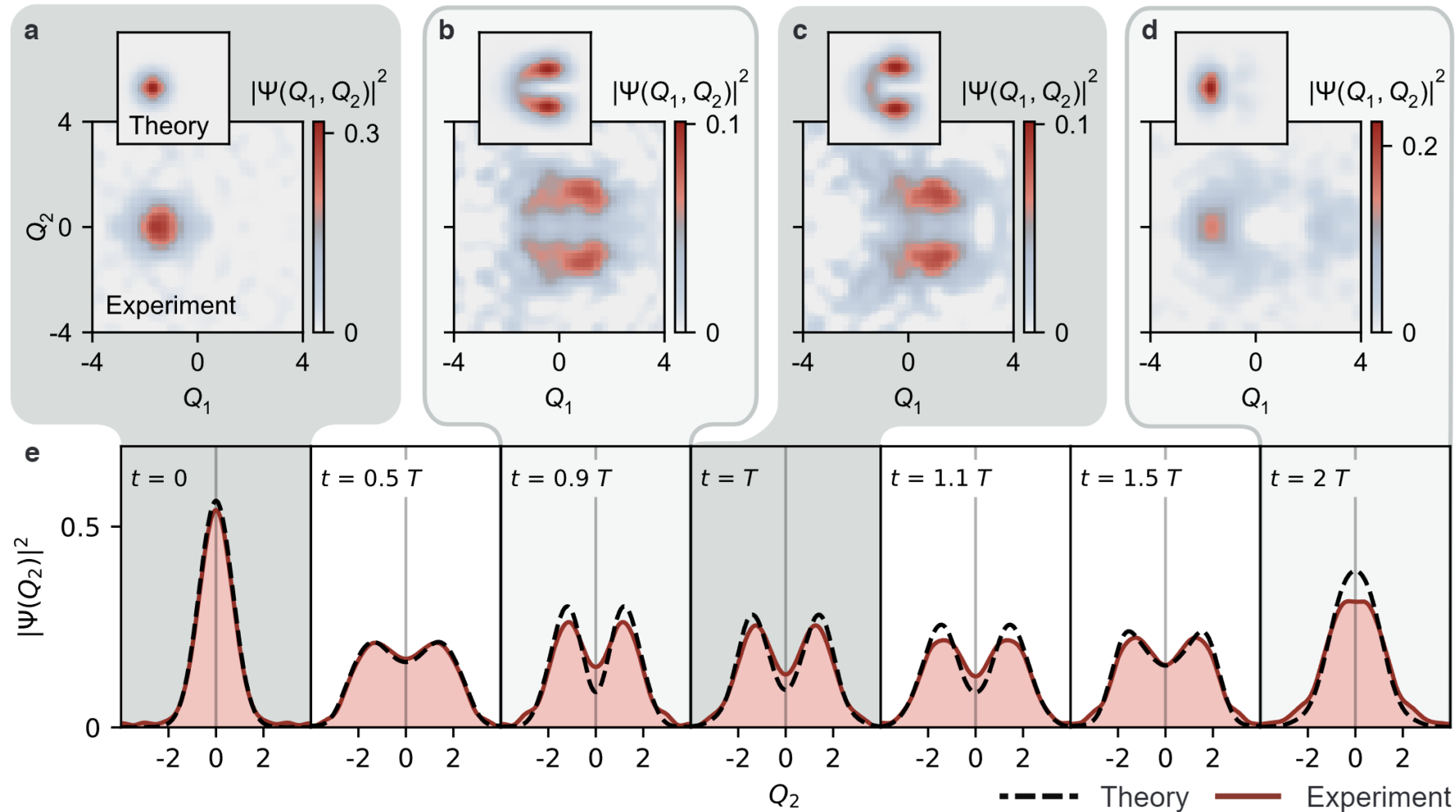
$$\hat{H}_{JT} = \kappa \hat{\sigma}_z (\hat{a}_1^\dagger e^{i\omega_1 t} + h.c.) + \kappa \hat{\sigma}_x (\hat{a}_2^\dagger e^{i\omega_1 t} + h.c.)$$

Simulating geometric phase dynamics with a trapped ion



“Direct observation of geometric phase in dynamics around a conical intersection,” Nature Chemistry **15**, 1503 (2023)

Experiment data: direct observation of geometric phase interference

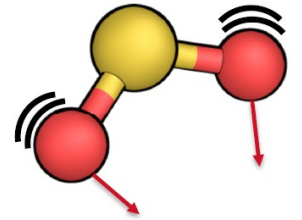
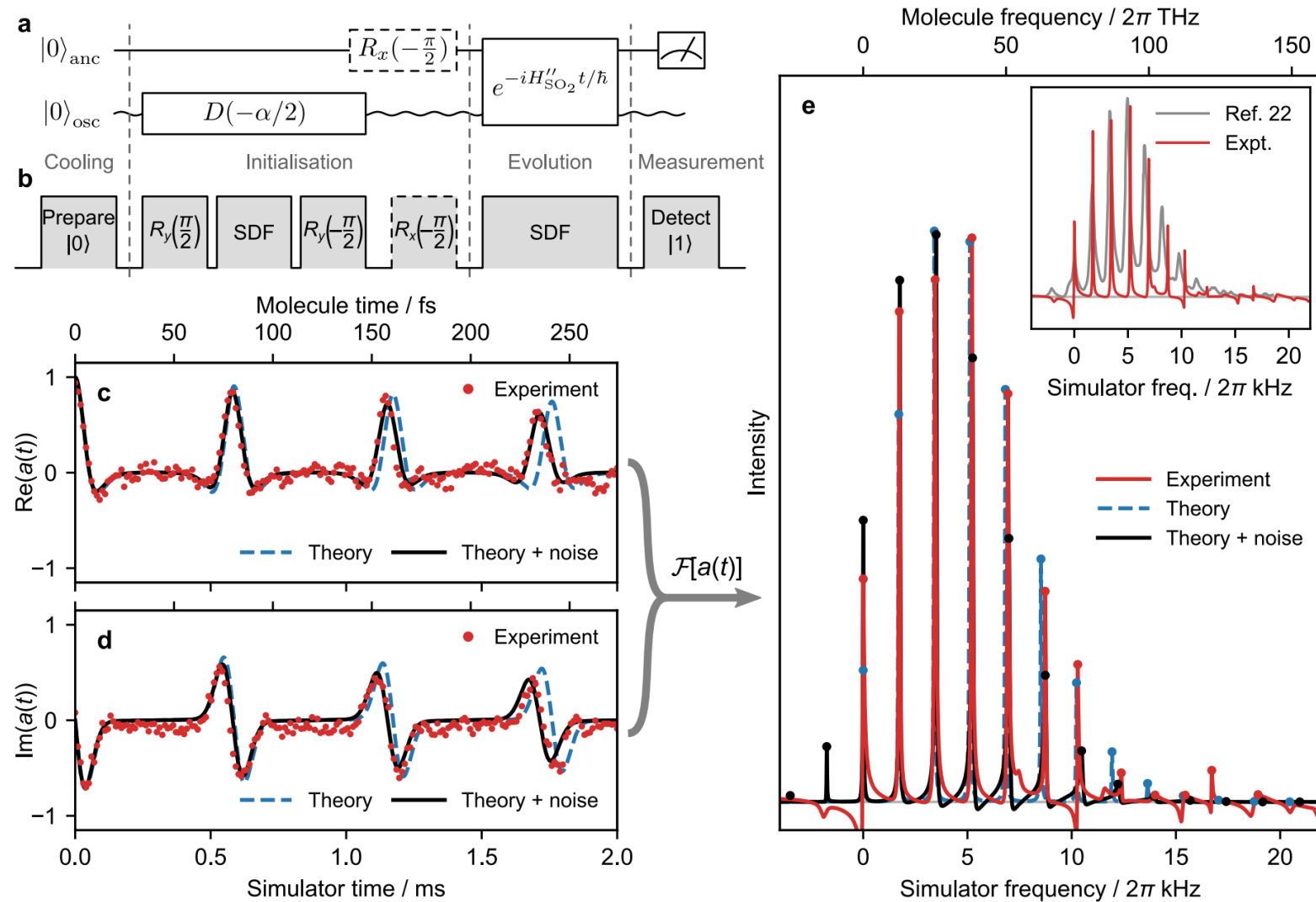


2023 Nov Issue

"Direct observation of geometric phase in dynamics around a conical intersection," *Nature Chemistry* **15**, 1503 (2023)

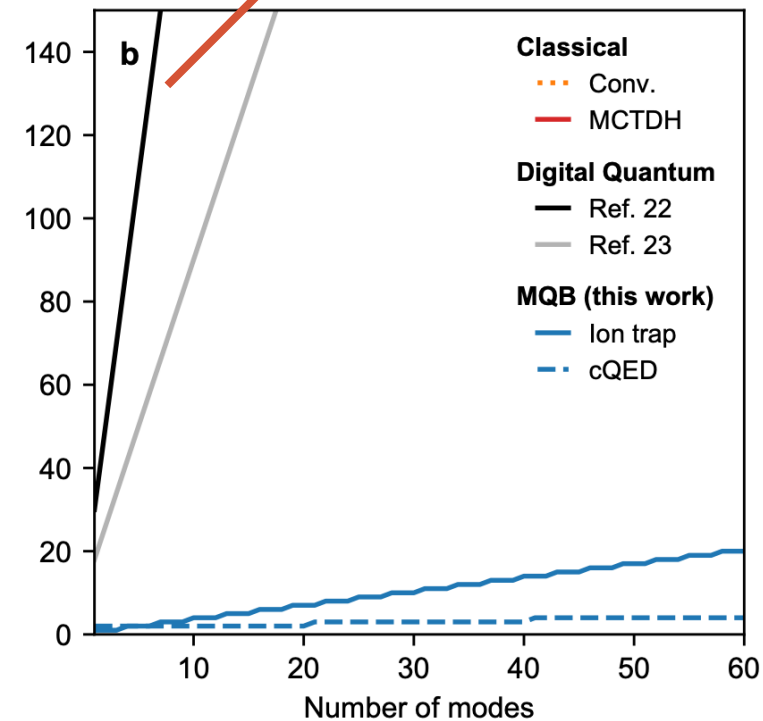
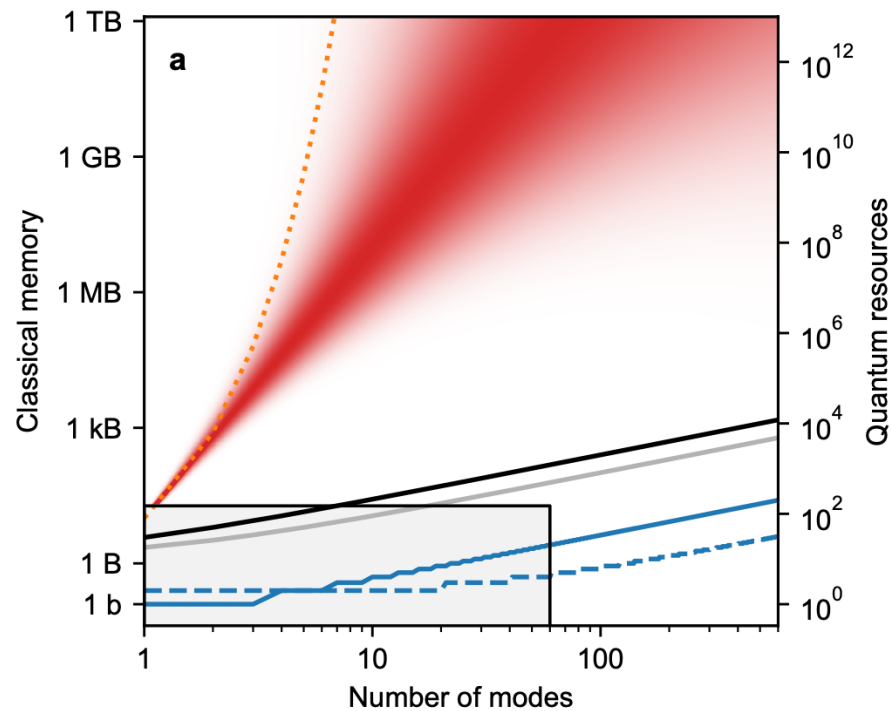
See also: "Simulating conical intersections with trapped ions," *Nature Chemistry* **15**, 1509 (2023) (by Ken Brown's group at Duke)

Experimental data: predicting SO₂ spectra with good agreement with real spectroscopy measurement

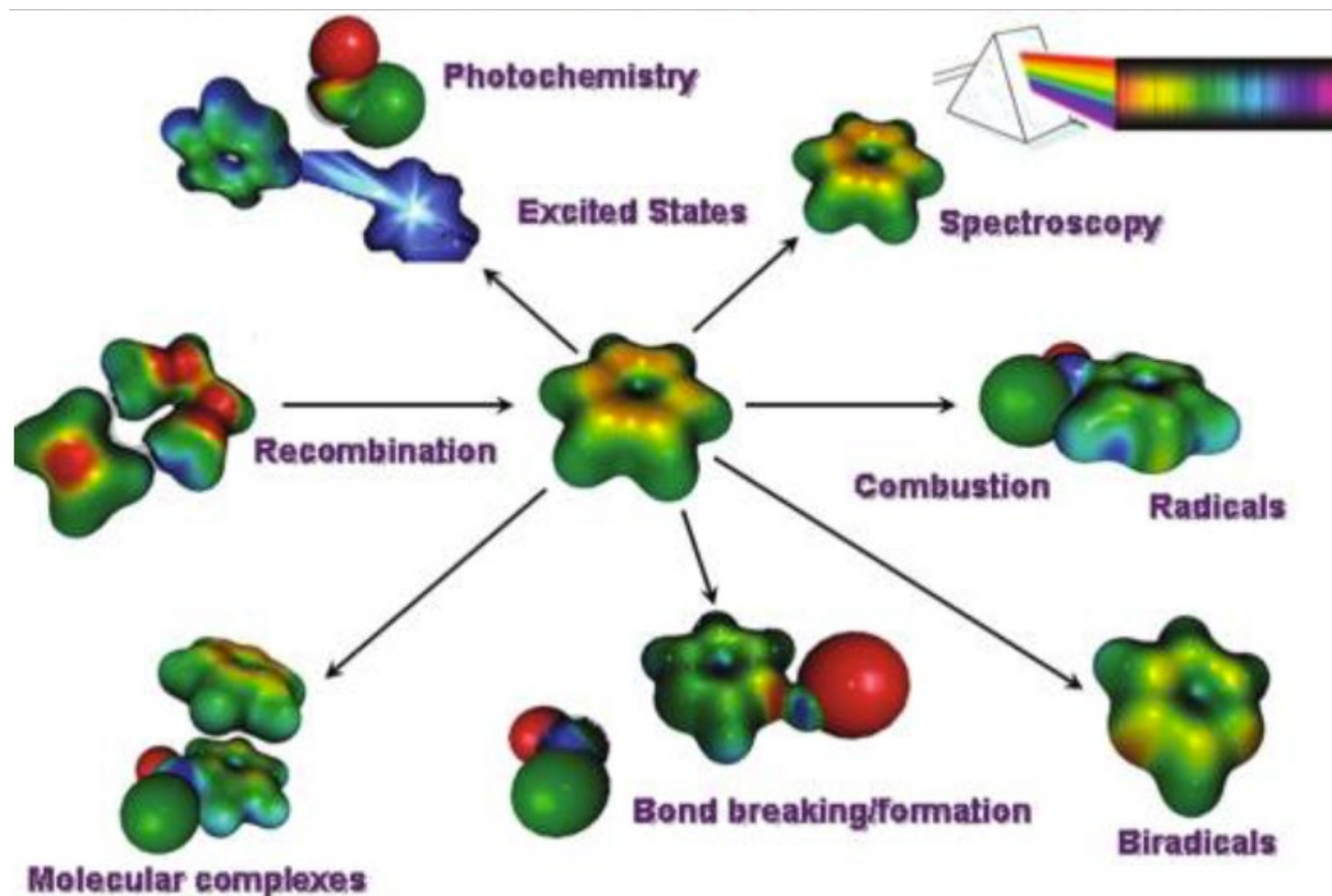


Scaling prospective of analog simulators for quantum chemical dynamics

Kassal et al., *PNAS* **105**, 18681 (2008).

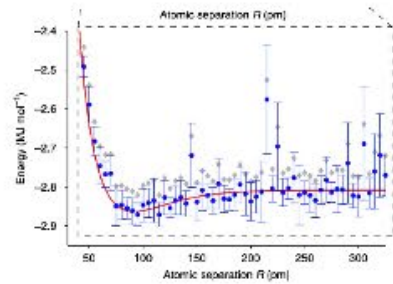


Future opportunities: simulating a large class of chemical *dynamics* difficult for conventional computers

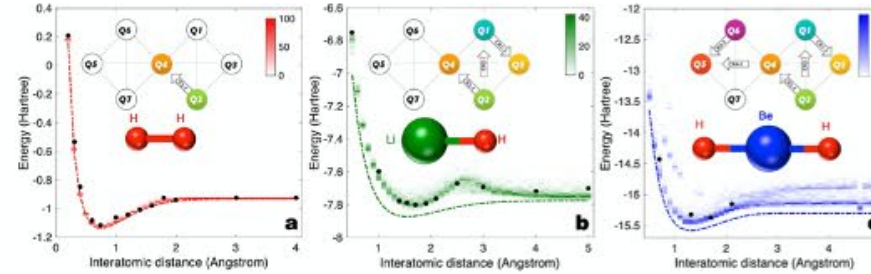


Extra Slides

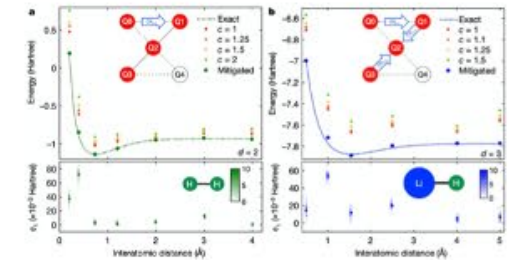
Chemistry on quantum computer (static problems)



O'Malley,
Babbush, et
al. (2016)

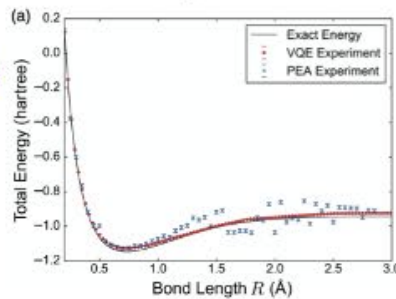


Hempel et
al. (2018)



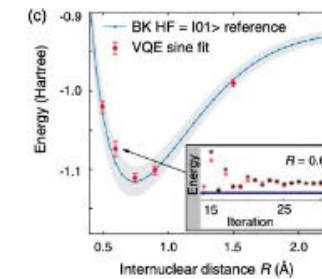
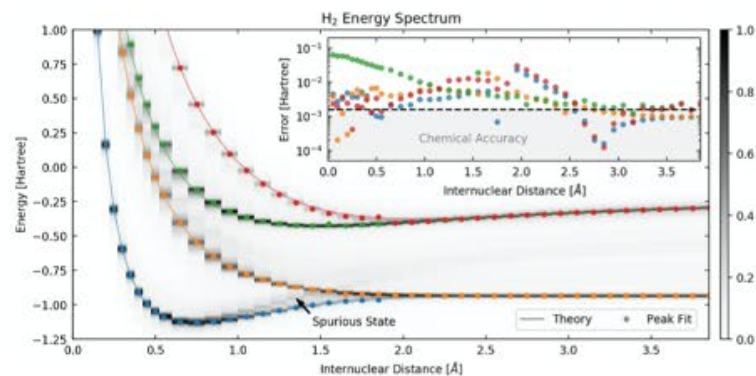
2014

Peruzzo,
McClean, et
al. (2014)



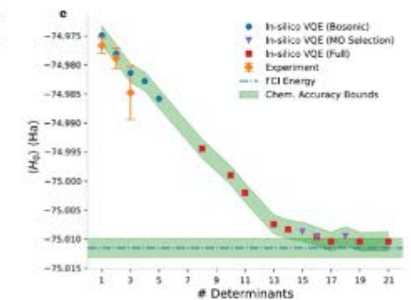
Kandala et al. (2017)

Colless et al. (2017)



Kandala et
al. (2019),

Nam et al.
(2019)

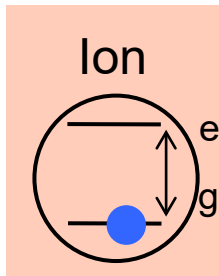


Present

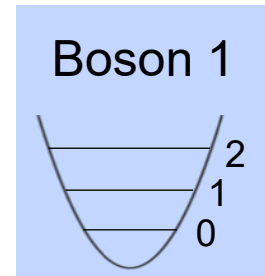
Mapping conical intersection to a trapped ion

$$\hat{H}_{CI} = \underbrace{\frac{1}{2} \sum_j^2 \omega_j (\hat{Q}_j^2 + \hat{P}_j^2)}_{\text{Nucleus motions}} - \underbrace{\frac{1}{2} \Delta E \hat{\sigma}_z}_{\text{Electronic level}} + \underbrace{\sum_n^2 c_1 |n\rangle \langle n| \hat{Q}_1}_{\text{"tuning"}} + \underbrace{c_2 \hat{\sigma}_x \hat{Q}_2}_{\text{"coupling"}}$$

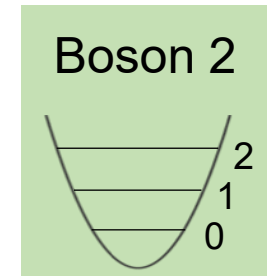
Encoding:



Qubit
(spin)



Harmonic
oscillators



$$\hat{H}_{ion} = \kappa_1 \hat{\sigma}_z (\hat{a}_1^\dagger e^{i\omega_1 t} + h.c.) + \lambda_1 \hat{\sigma}_x (\hat{a}_2^\dagger e^{i\omega_2 t} + h.c.)$$

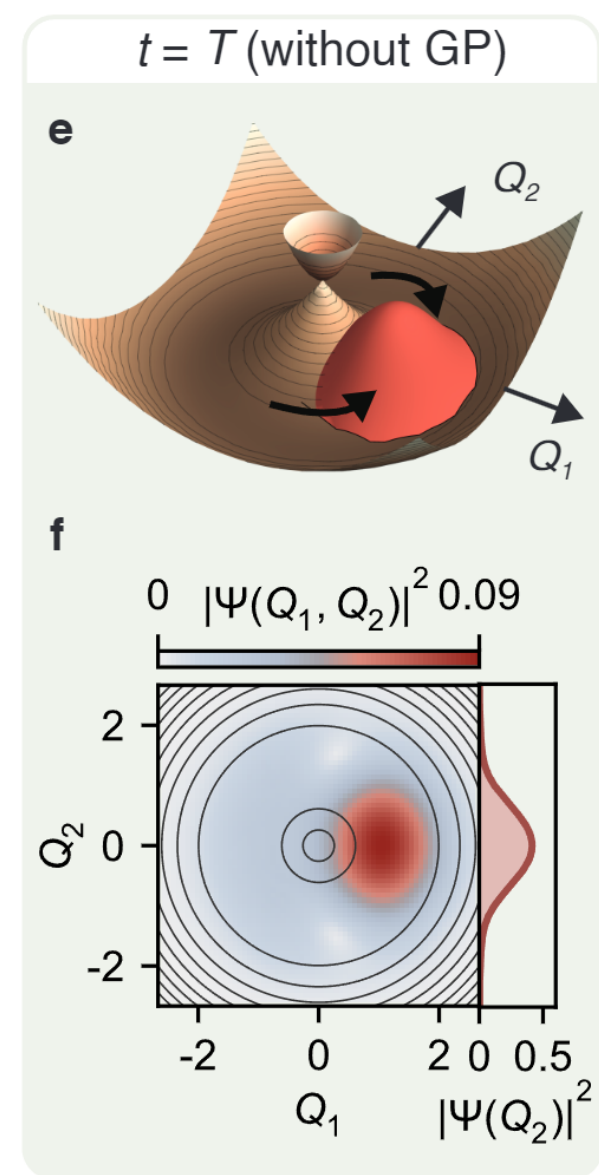
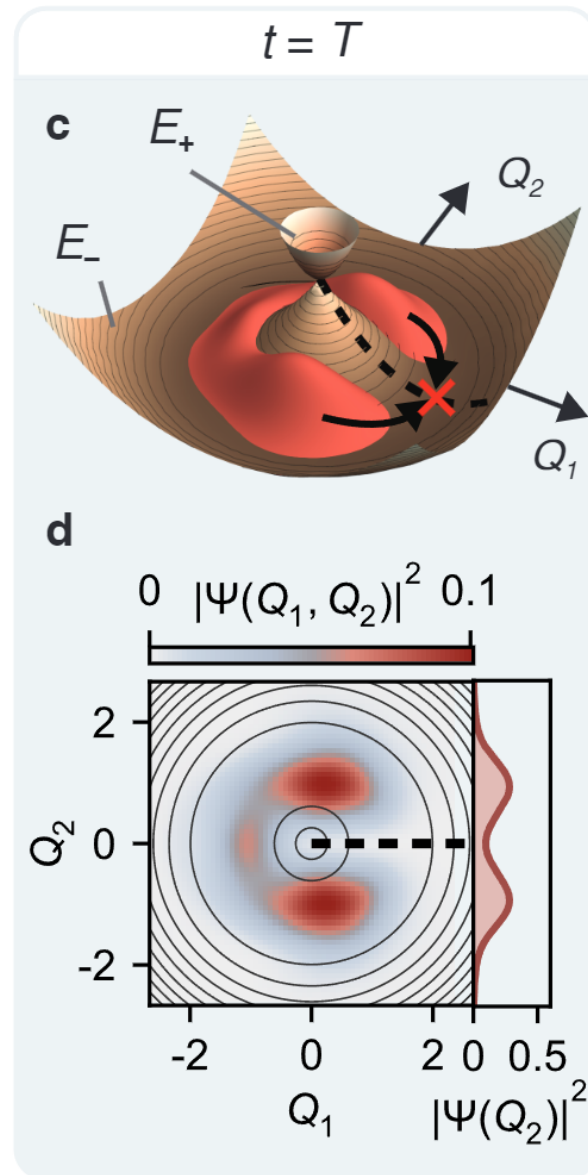
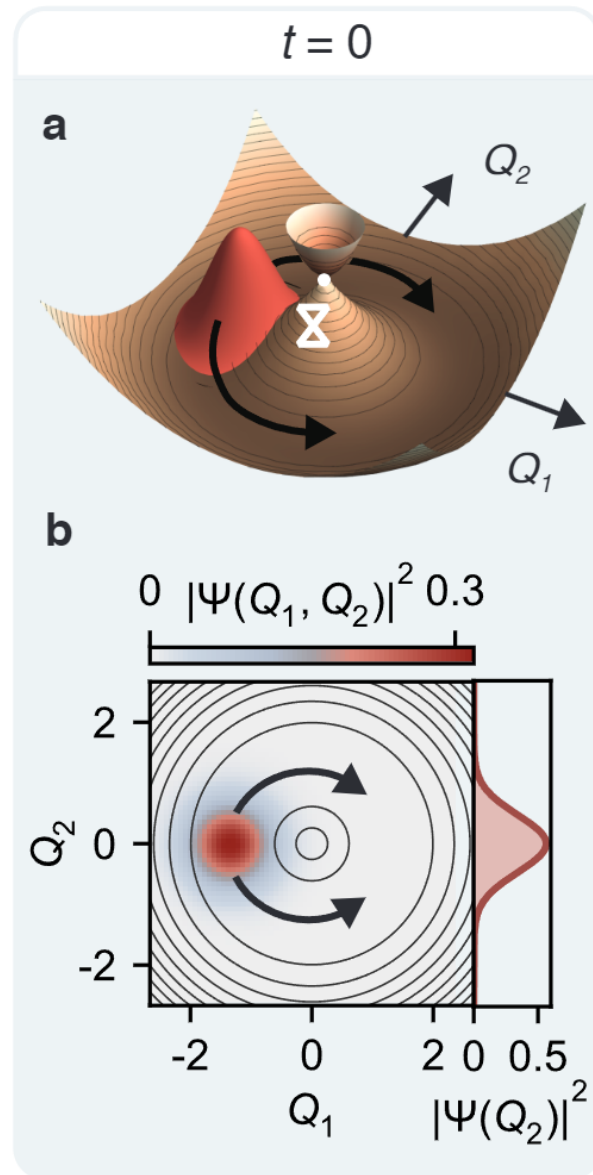
“Phase gate” interaction:

$$\hat{H}_Z = \frac{\eta \Omega_Z}{2} \hat{\sigma}_z (\hat{a}^\dagger e^{i\omega_1 t} + h.c.)$$

“Mølmer Sørensen” interaction:

$$\hat{H}_{MS} = \frac{\eta \Omega_{MS}}{2} \hat{\sigma}_x (\hat{a}^\dagger e^{i\omega_2 t} + h.c.)$$

Geometric phase (GP) around a conical intersection



Pulses

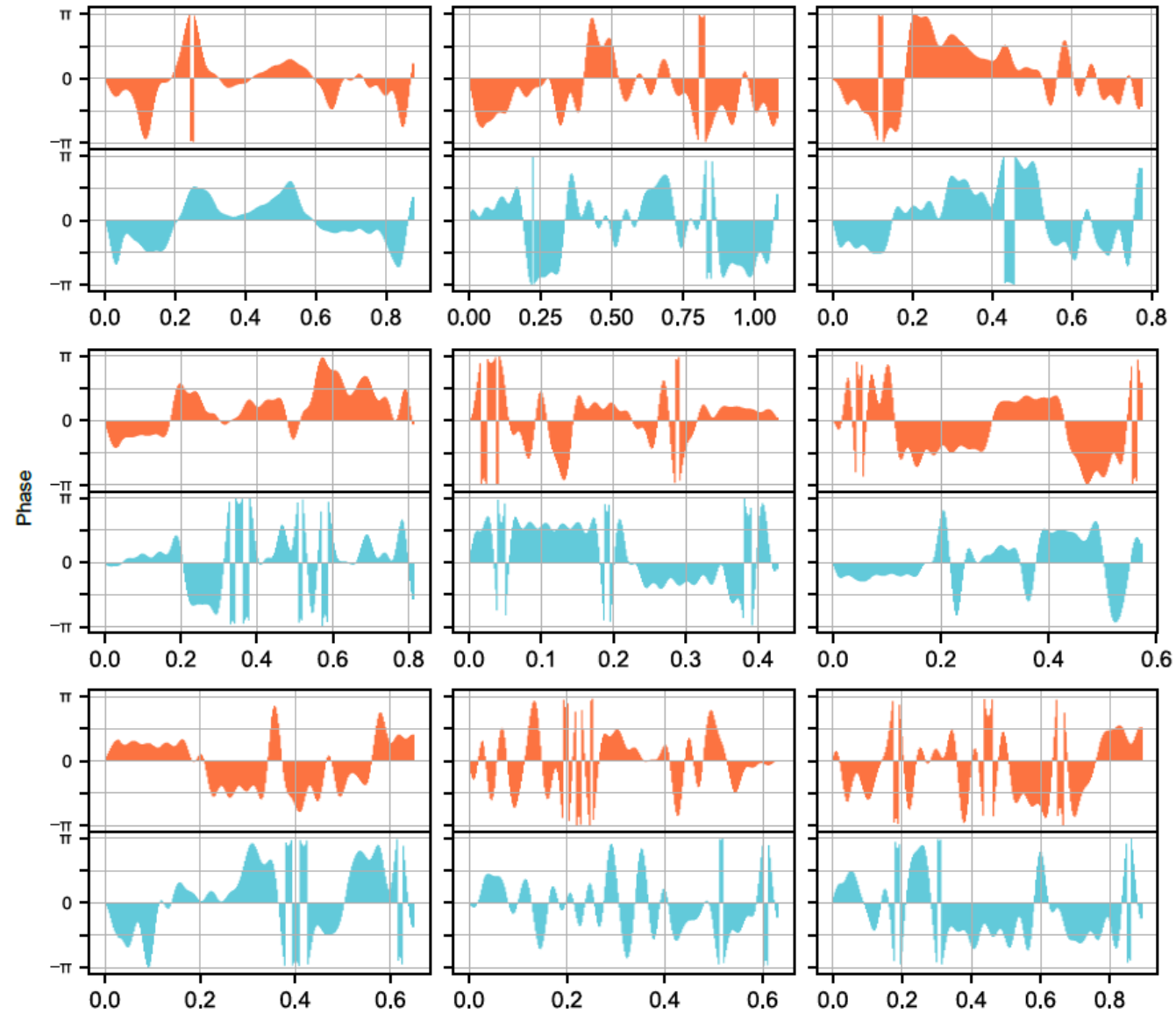
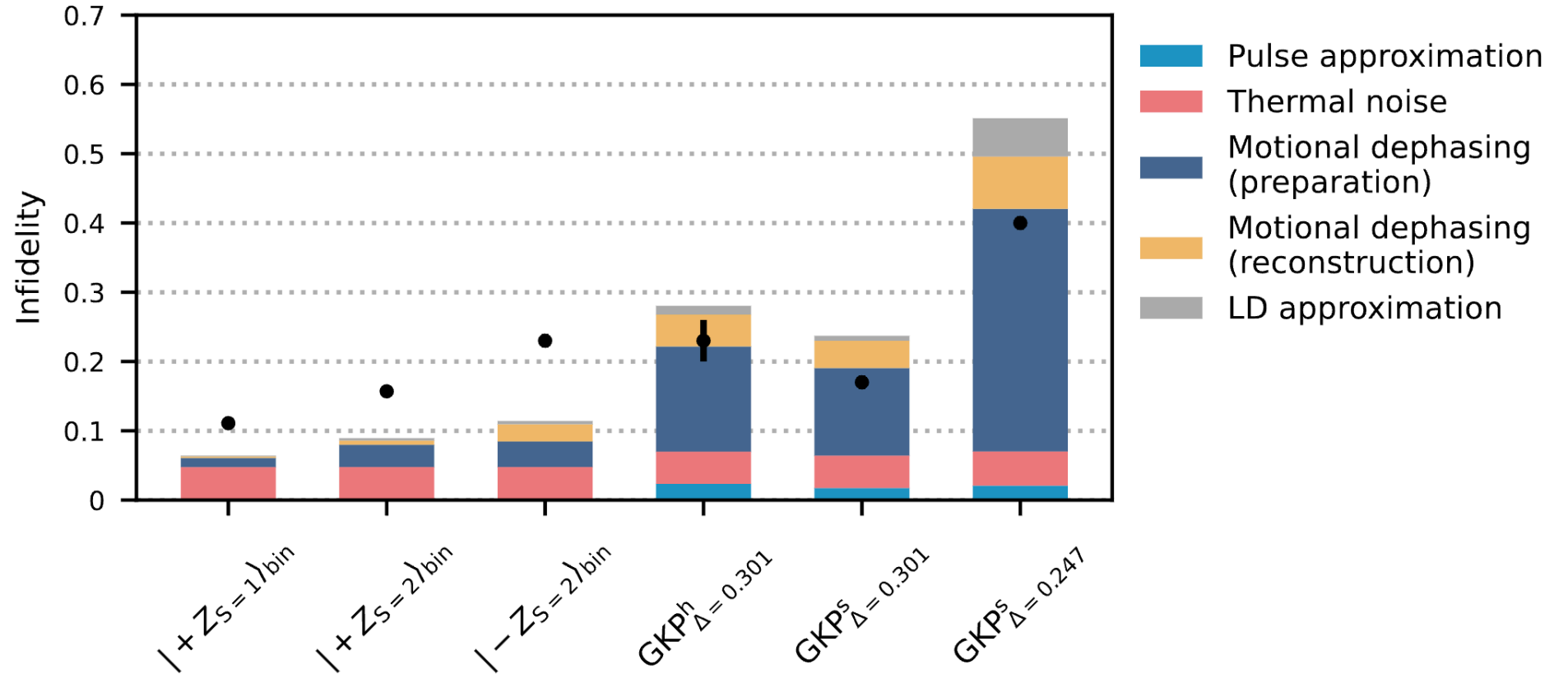


Figure S1. Pulses in order of their appearance in the main text: a) squeezed state, b) 1.4 GKP, c) 1.2 GKP, d) 1.2 GKP hex, e) 04 binomial, f) 06 binomial, g) 39 binomial, h) standard binomial, i) robust binomial

Appendix: Error Budget



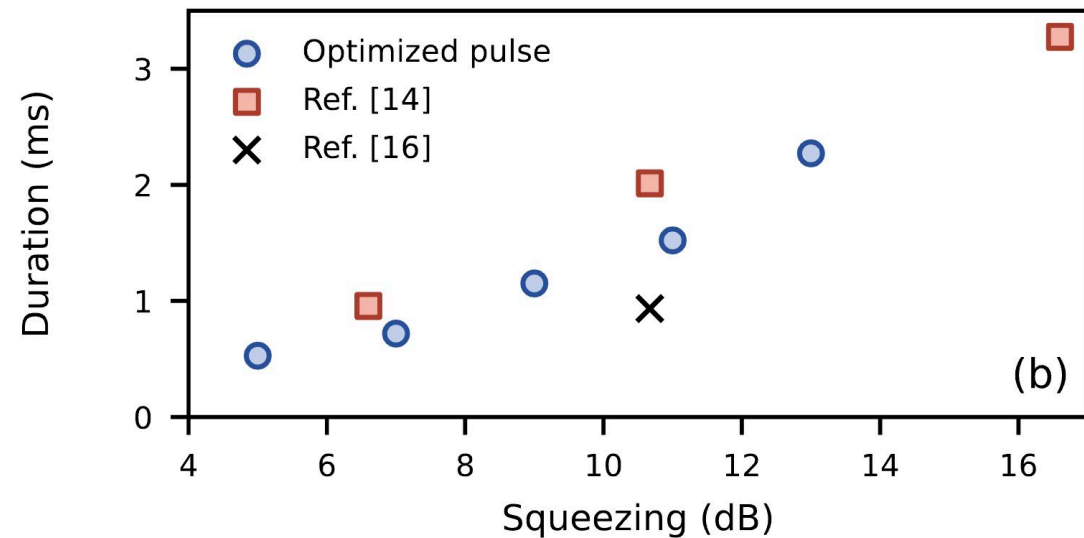
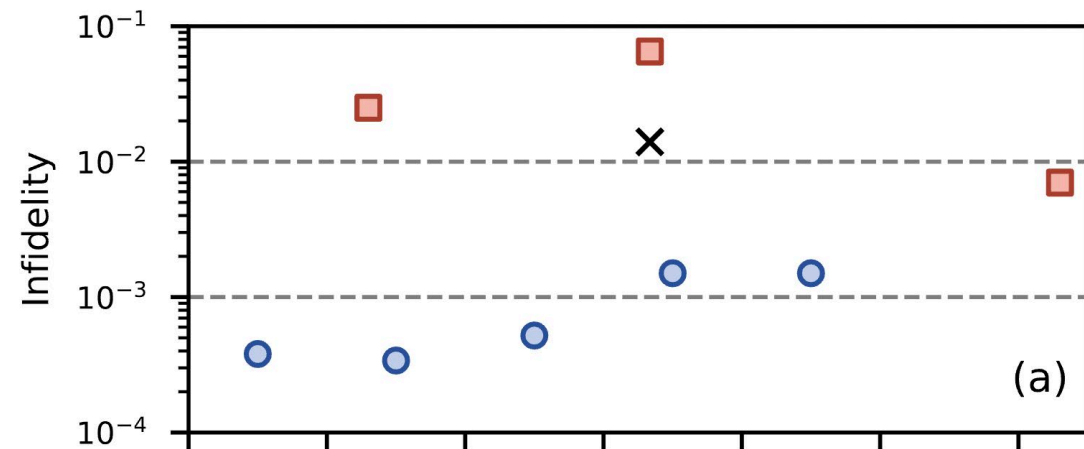
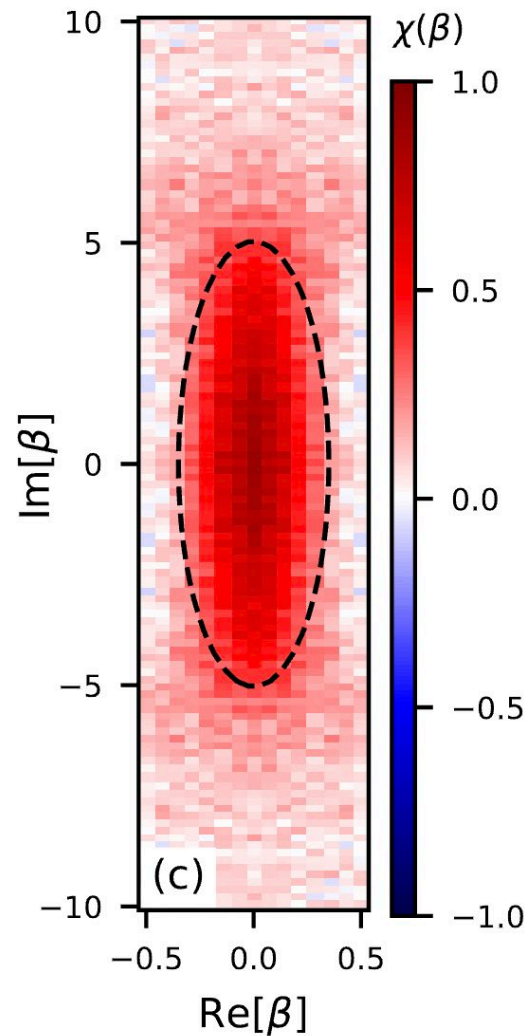
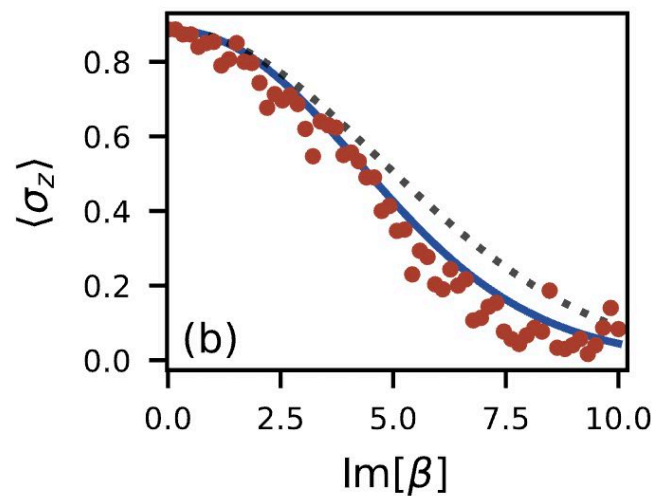
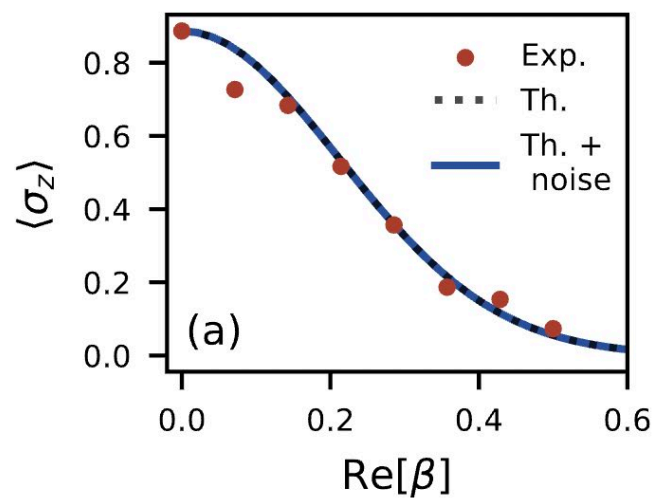
Appendix

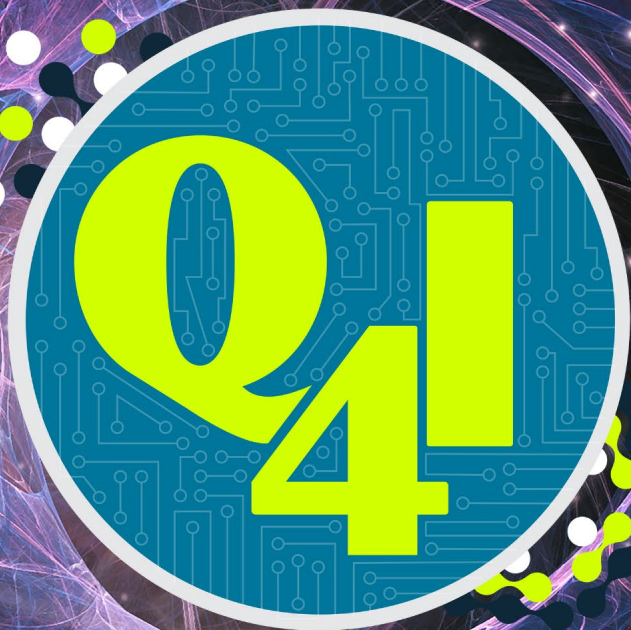
State	Logical fidelity	State prep. fidelity	Squeezing (dB)	Duration (μ s)
Sqzd. $_{13.5 \text{ dB}} 0\rangle$	-	0.753(4)	12.91(5)	960
GKP $_{12.2 \text{ dB}}^{\text{sq.}} 0\rangle_L$	0.90(1)	0.60(1)	{5.5(2),6.3(2)}	1180
GKP $_{10.4 \text{ dB}}^{\text{sq.}} 0\rangle_L$	0.940(8)	0.83(1)	{7.5(2),7.5(2)}	850
GKP $_{10.4 \text{ dB}}^{\text{hex.}} 0\rangle_L$	0.91(1)	0.77(3)	{6.5(3),6.3(4)}	890
$(0\rangle + 4\rangle)/\sqrt{2}$	-	0.889(9)	-	470
$(0\rangle + \sqrt{3} 6\rangle)/2$	-	0.843(9)	-	630
$(\sqrt{3} 3\rangle + 9\rangle)/2$	-	0.77(1)	-	710

*GKP squeezing in position (X) and momentum (P) quadratures indicated by $\{S_x, S_p\}$

*State preparation fidelities defined as $F = \langle \psi | \rho_{\text{exp}} | \psi \rangle$

Appendix





6TH ANNUAL

QUANTUM FOR INTERNATIONAL WORKSHOP

NETWORKING BREAK

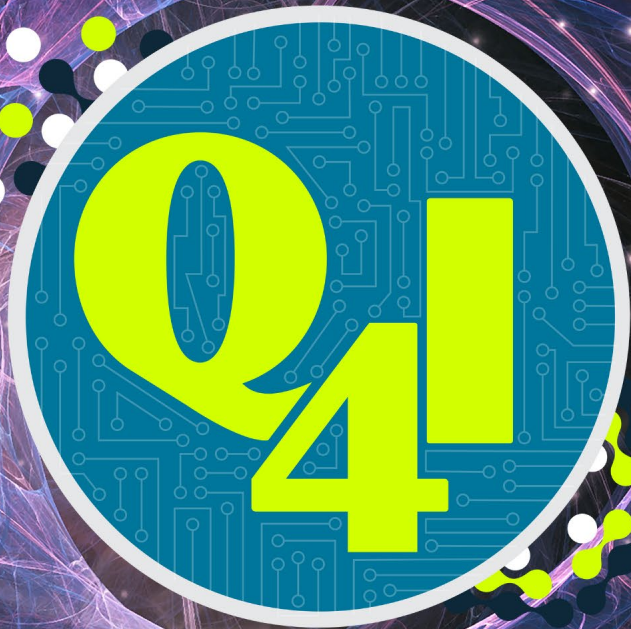


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WORKSHOP**

25-27 JUNE 2024

ROME, NEW YORK



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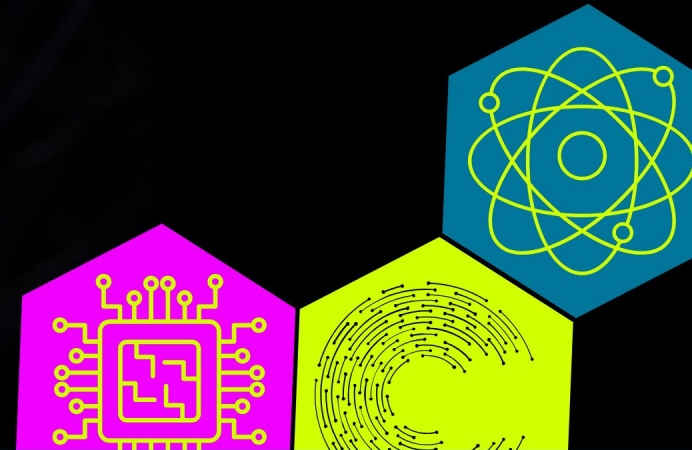
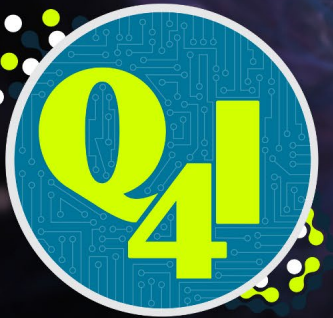
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MR. JOSH NUNN
CSO
ORCA Computing





Networking technologies for effective scaling of quantum computers

Josh Nunn

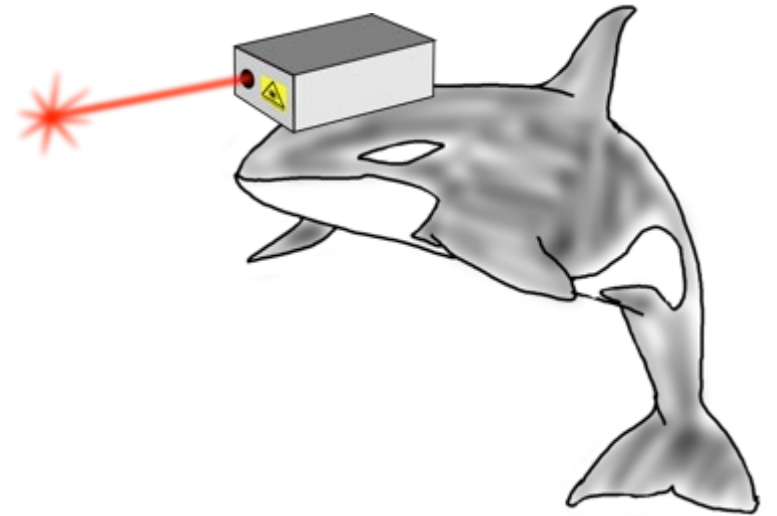
CSO

27th June 2024

About ORCA Computing

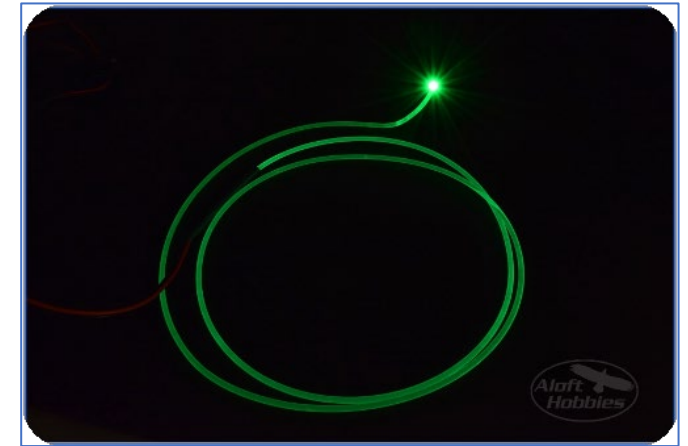


- Full stack photonic quantum computing (NISQ → FT)
- Incorporated in 2019, just before world ended
- Teams in London, Toronto, Austin
- Academic heritage:
group of Prof. Ian Walmsley while at U. Oxford
- 62 employees; growing

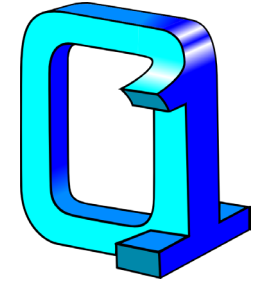
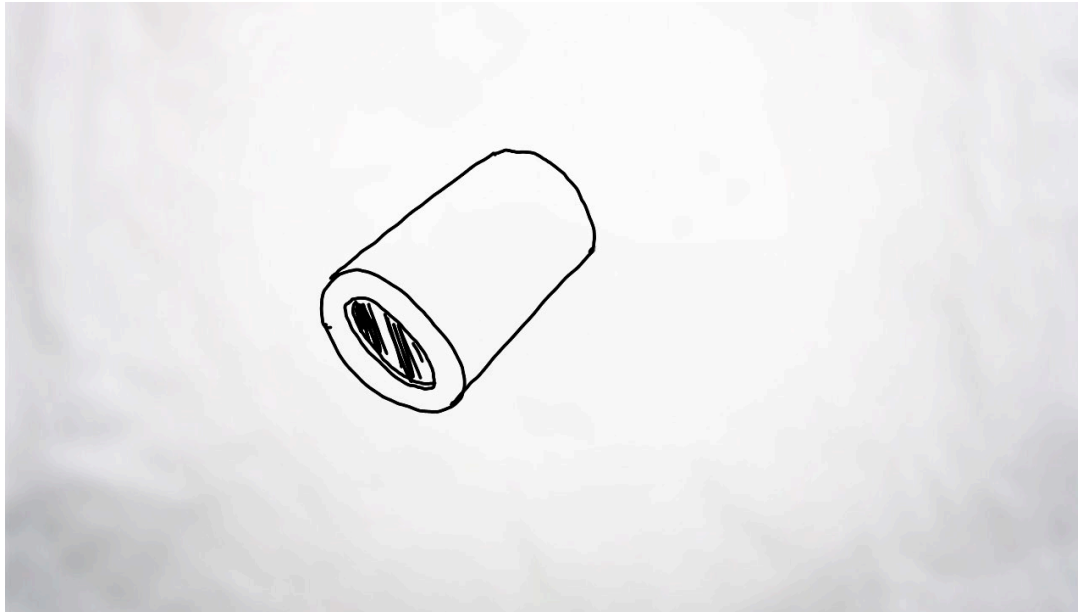


Single photons as qubits

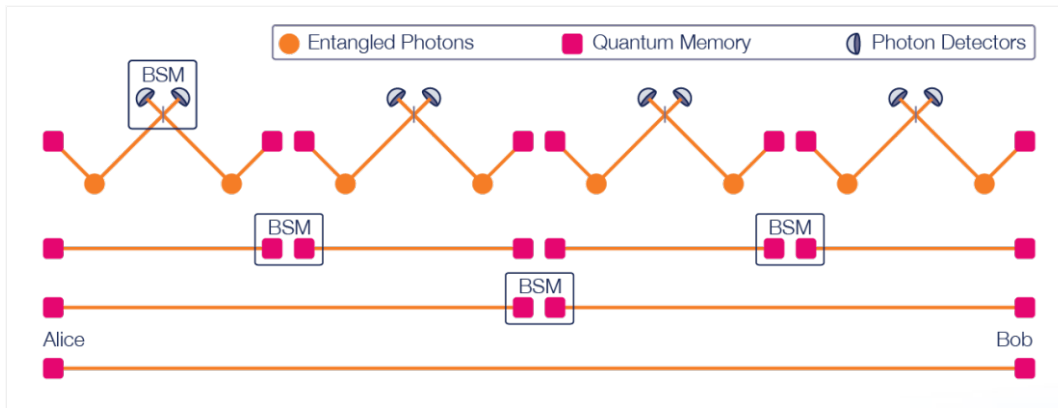
- Noise-free at room temperature
 - No precision atom-trapping, high vacuum or EM shielding
- Very high bandwidth
- Optical fibre commercially mature:
 - Very low loss “quantum wiring” for modular systems



Research background

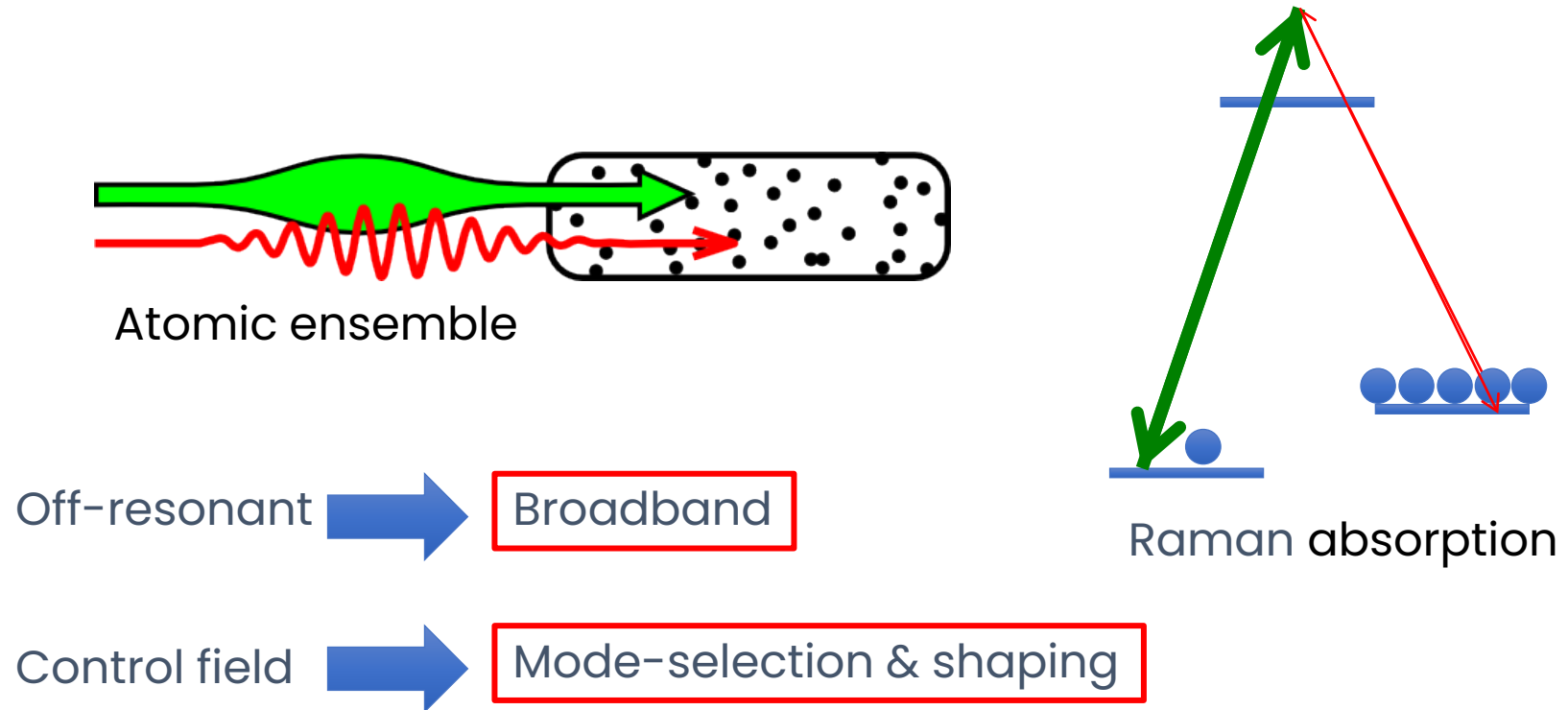


(Oxford 2012)



- Quantum memories for quantum repeaters
- Distribute entanglement by “repeat until success”

Raman memory

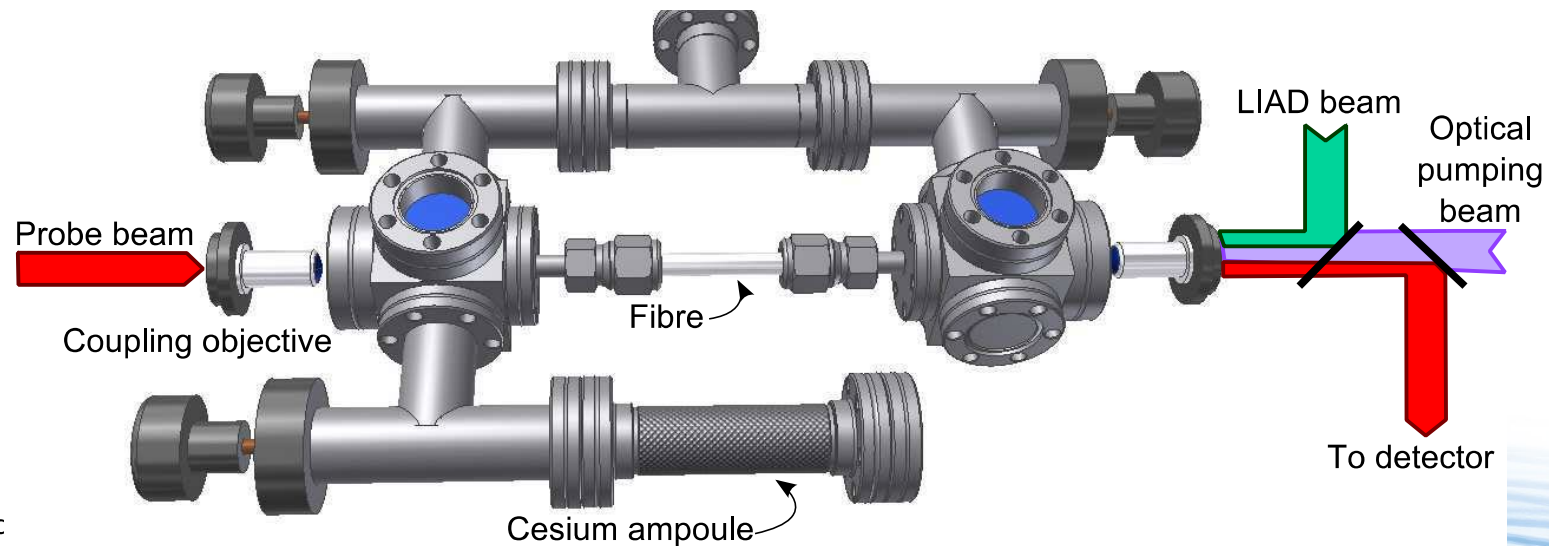
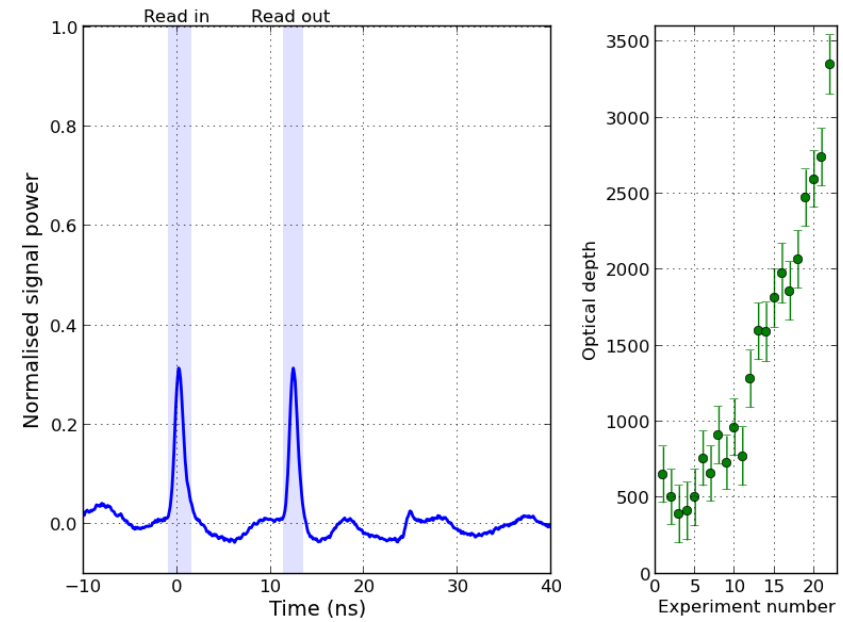
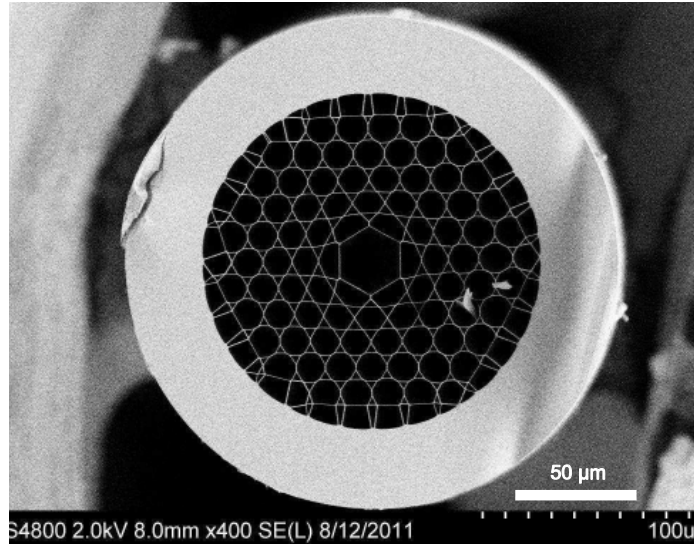


PHYSICAL REVIEW A **75**, 011401(R) (2007)

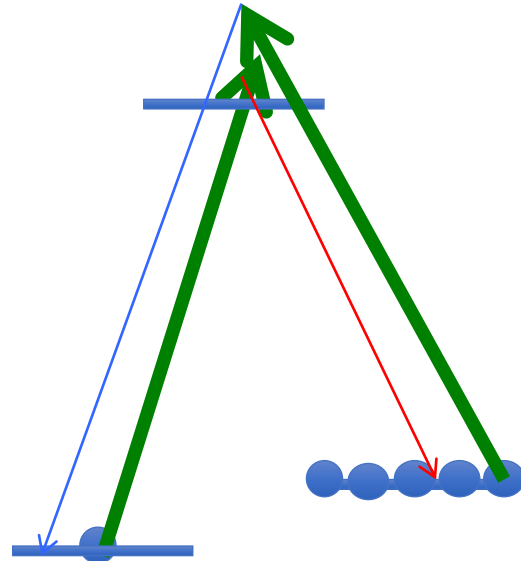
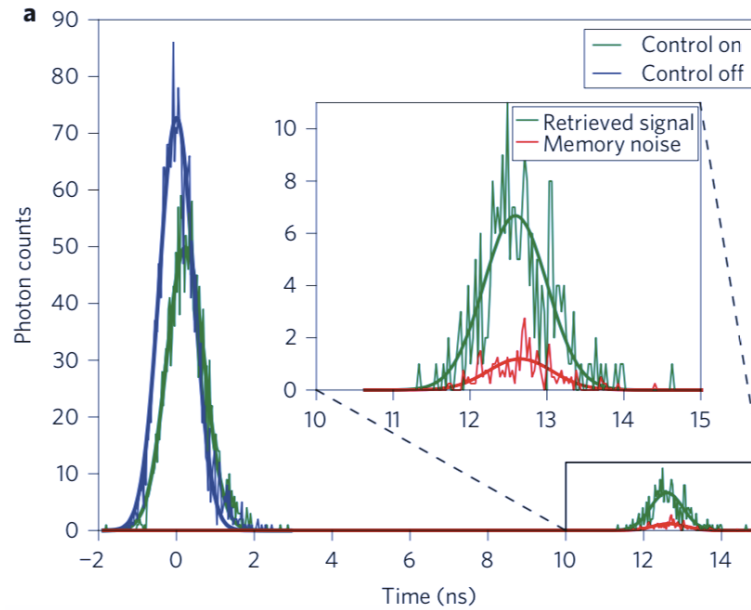
Mapping broadband single-photon wave packets into an atomic memory

J. Nunn,^{1,*} I. A. Walmsley,¹ M. G. Raymer,² K. Surmacz,¹ F. C. Waldermann,¹ Z. Wang,¹ and D. Jaksch¹

Light storage in fibre



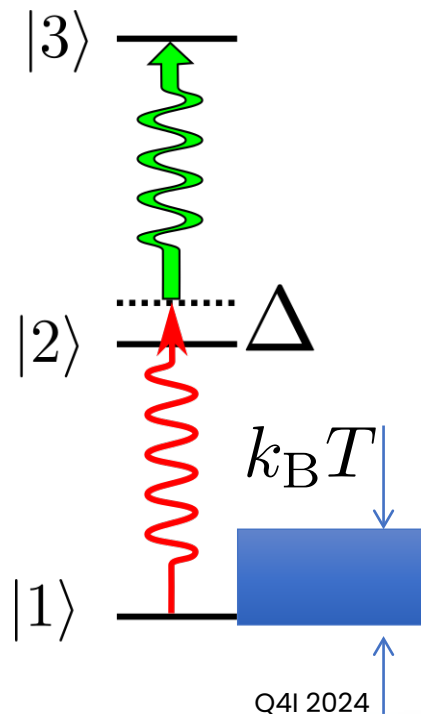
But: four-wave mixing noise



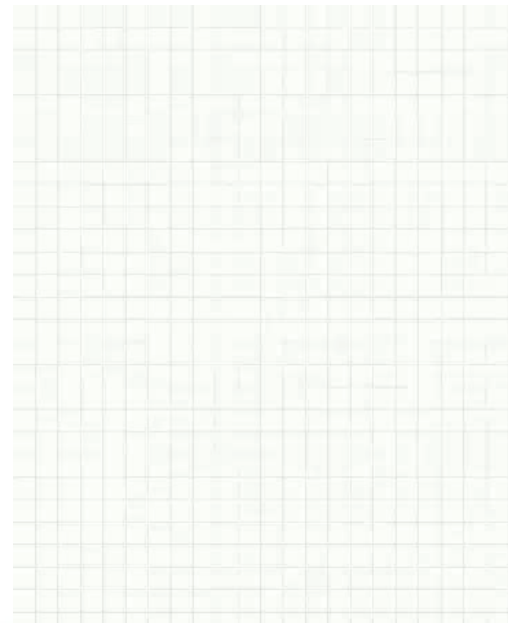
- Control couples to ground state
- Spontaneous **anti-Stokes** scattering produces spurious phonon
- Control pulse retrieves spurious phonon as noise

High-speed noise-free optical quantum memory

K. T. Kaczmarek,^{1,*} P. M. Ledingham,¹ B. Brecht,¹ S. E. Thomas,^{1,2} G. S. Thekkadath,^{1,3} O. Lazo-Arjona,¹
J. H. D. Munns,^{1,2} E. Poem,⁴ A. Feizpour,¹ D. J. Saunders,¹ J. Nunn,⁵ and I. A. Walmsley^{1,†}

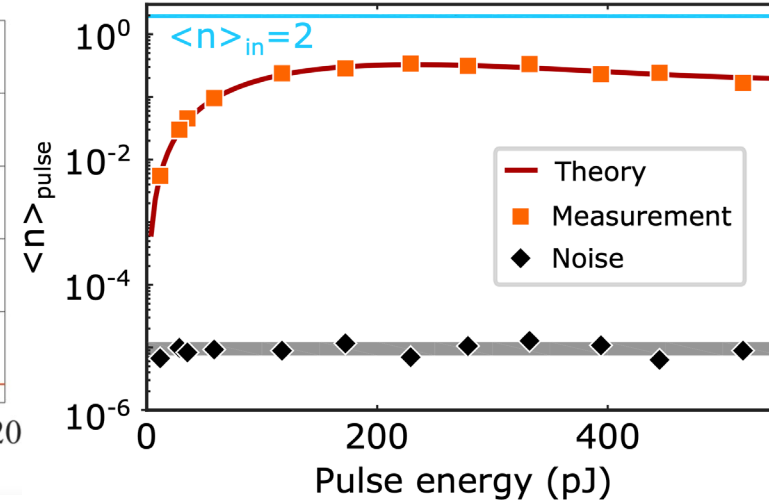
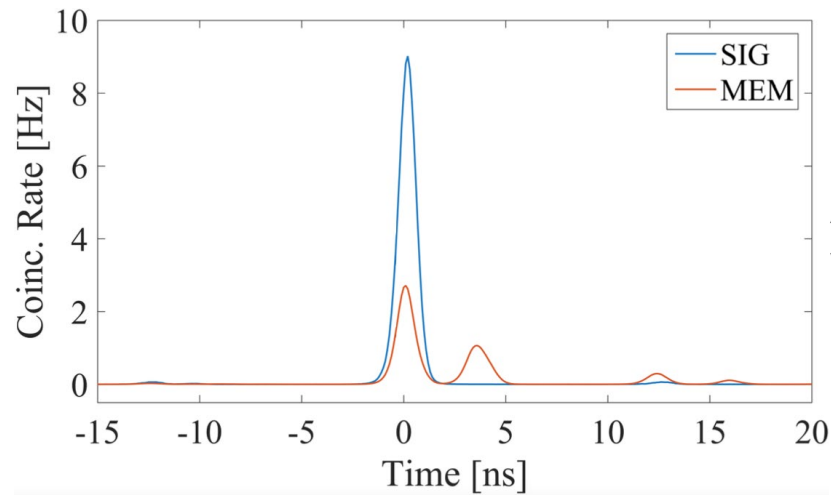
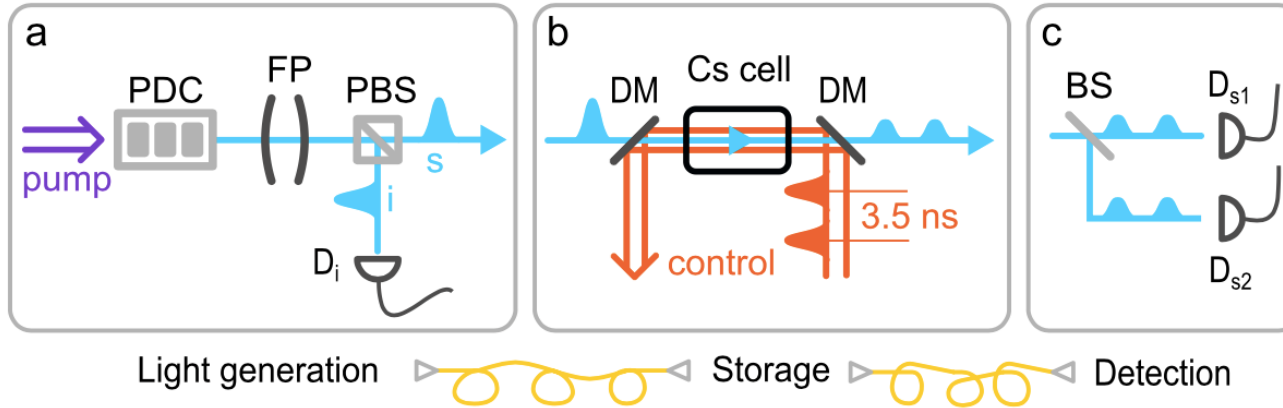


• Off-resonant cascaded absorption...



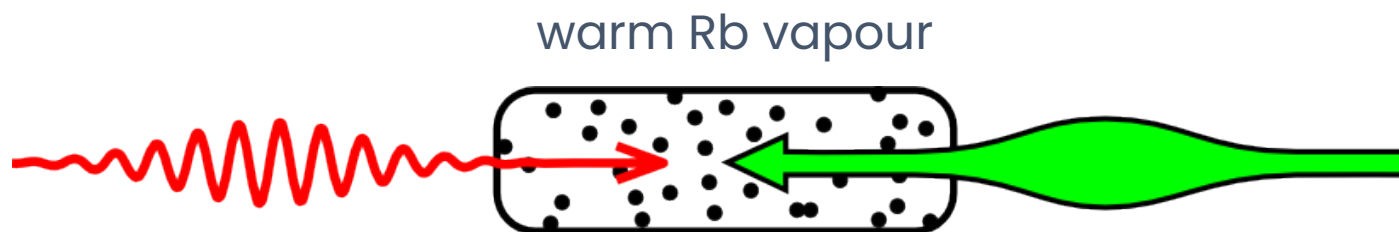
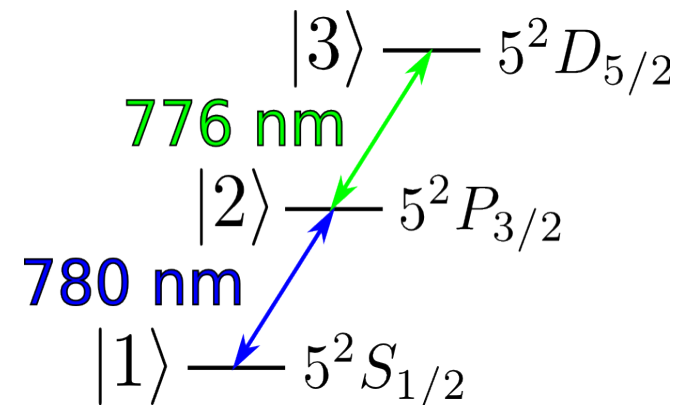
No four-wave
mixing noise

Storing photons in a Cs ladder



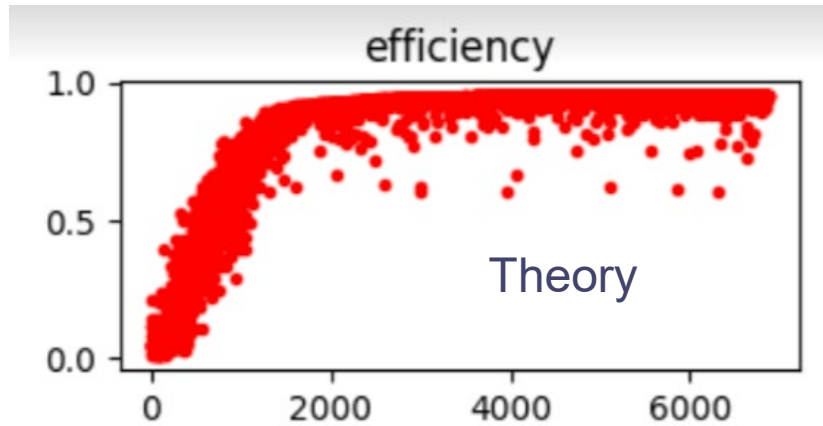
Rubidium is magic

- $5S \rightarrow 5P \rightarrow 5D$: Fluorescence lifetime 240 ns
- Near-degenerate two-photon transition
→ Doppler cancelation, 100 ns lifetime

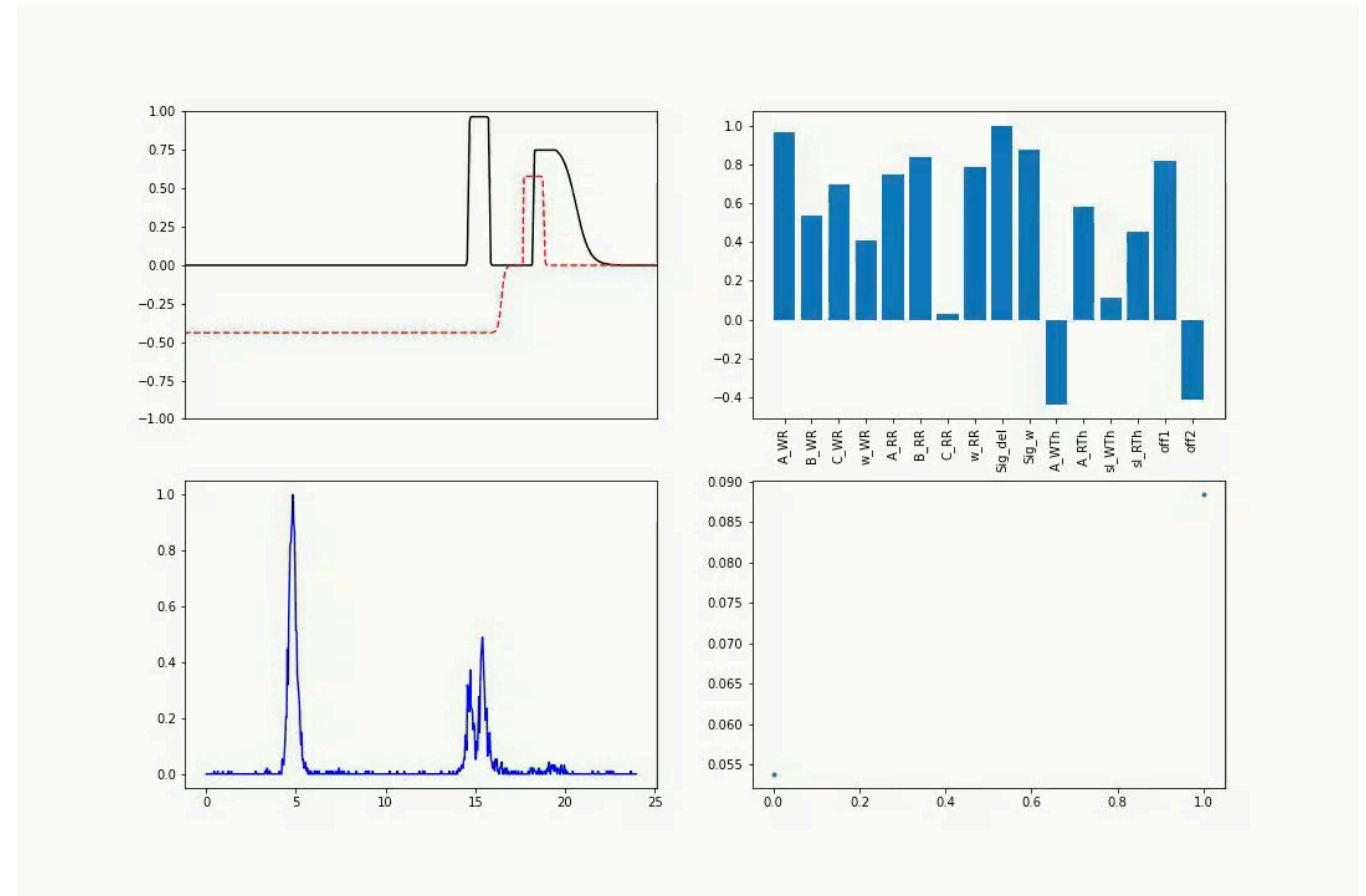
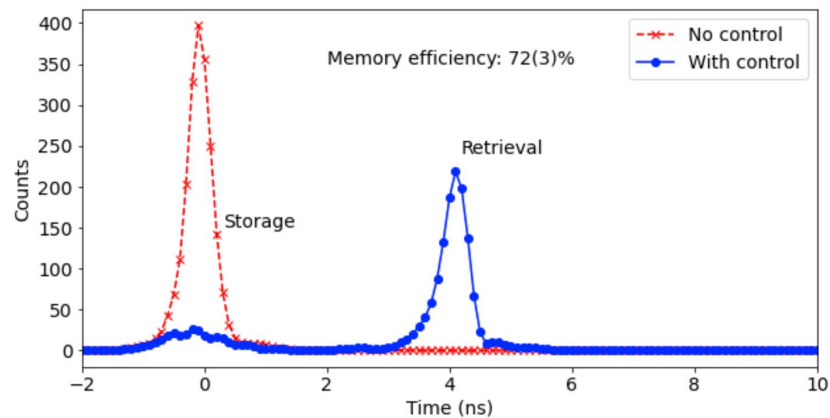


[Finkelstein *et al. Science advances* 4.1 (2018): eaap8598]

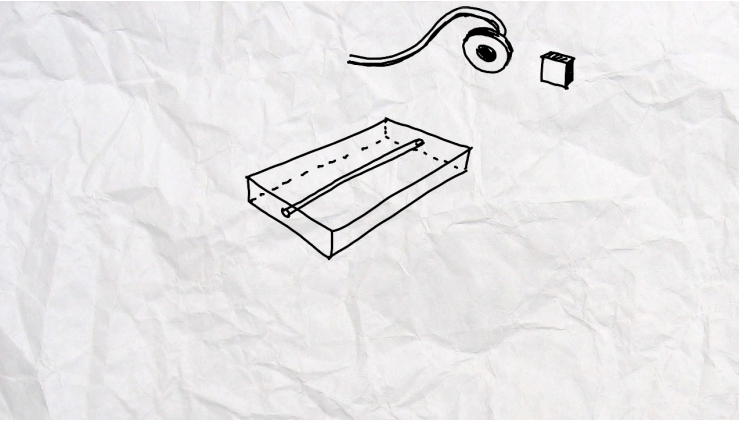
Optimizing the efficiency



Measured (no optical pumping)

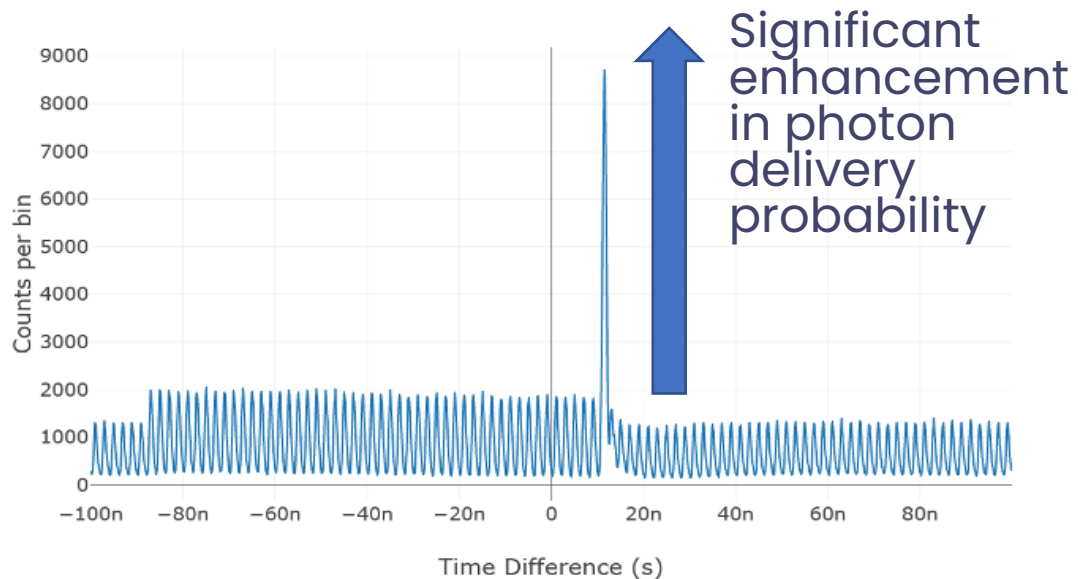


Application: photons on-demand using memory



Simplest example: making a single photon

- Blue laser hits $\chi^{(2)}$ crystal
- Sometimes produces pair of red photons
- Detecting one tells you the other is there (herald)
- Use quantum memory to capture photon and release on-demand

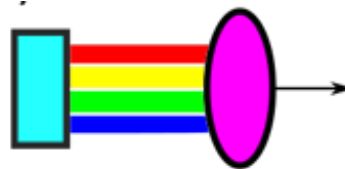


Multiplexing

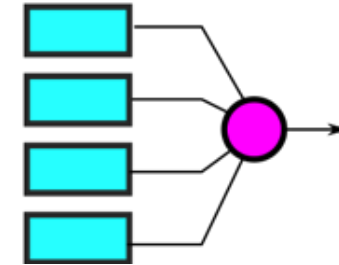
TMUX



FMUX

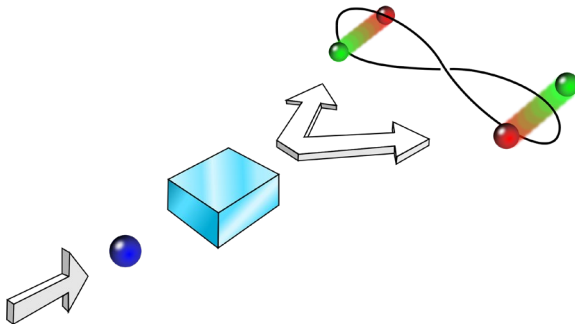
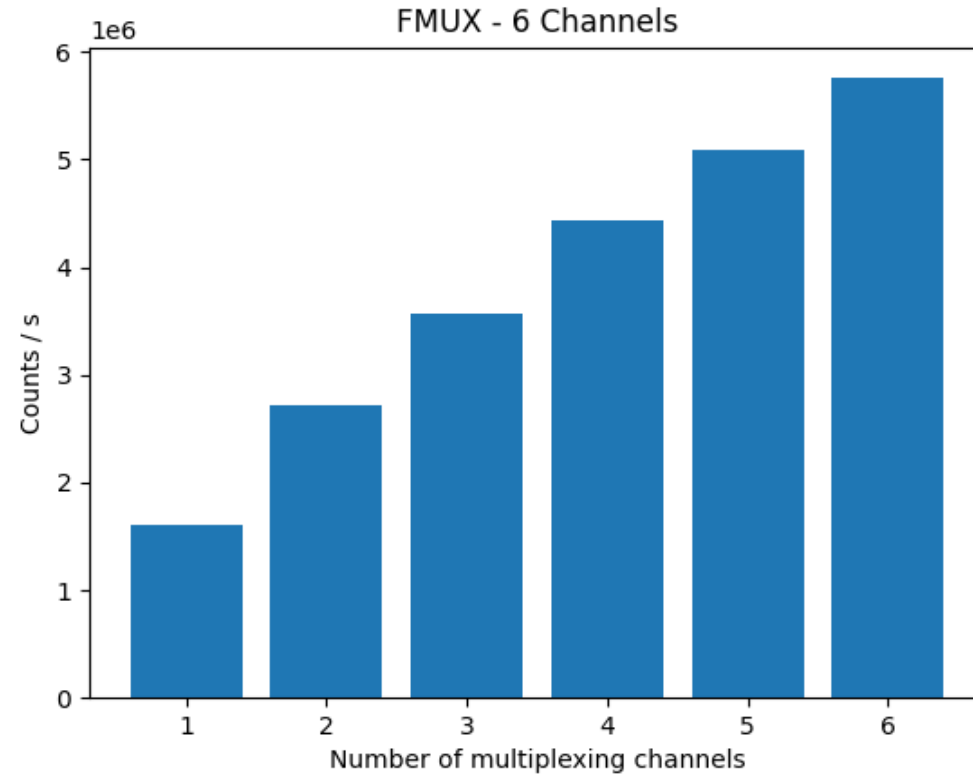
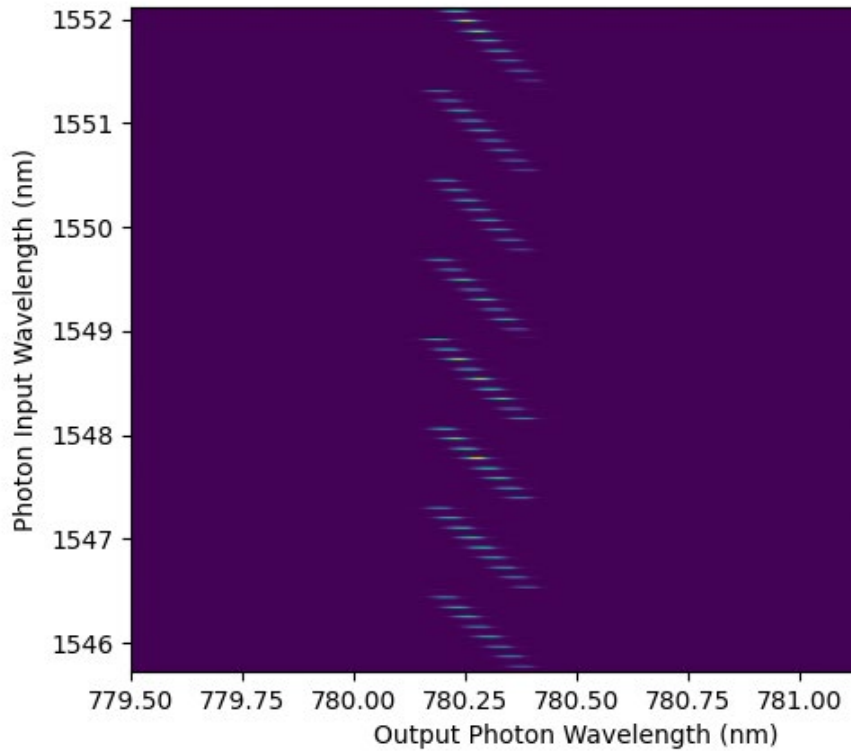


SMUX



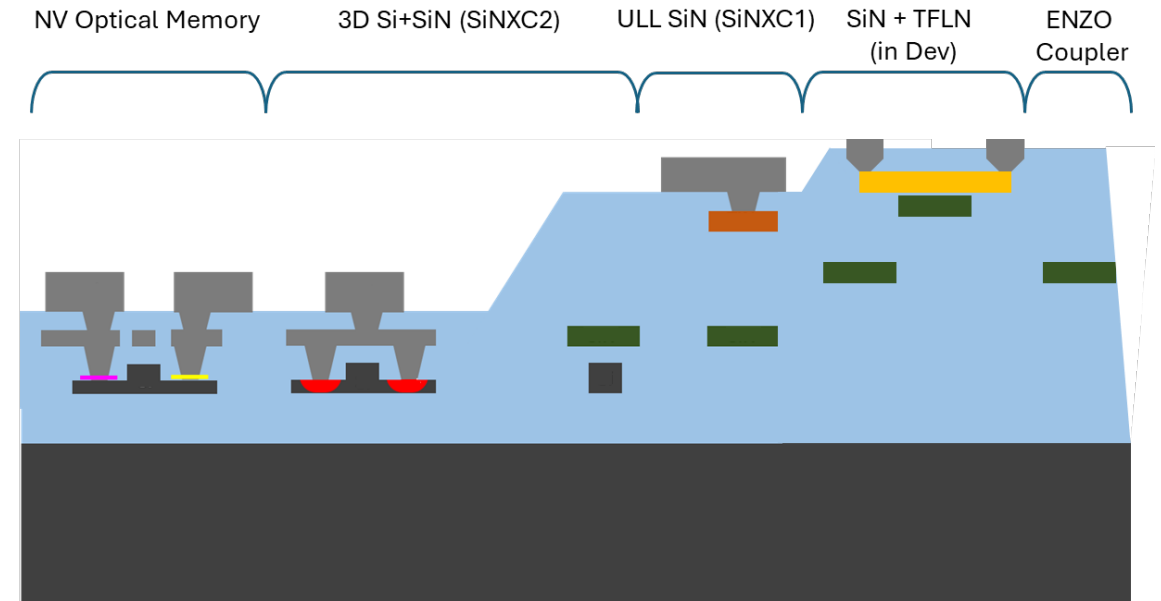
- One source has low chance of success
- Put enough sources together, and you are guaranteed success
- You need detection and fast feedforward to a memory / frequency converter / switch

FMUX



- Source emits across 100s of spectral modes
- Output wavelength interfaces with memory
- Ultra low-latency feed forward control – from detection to decision in 10ns

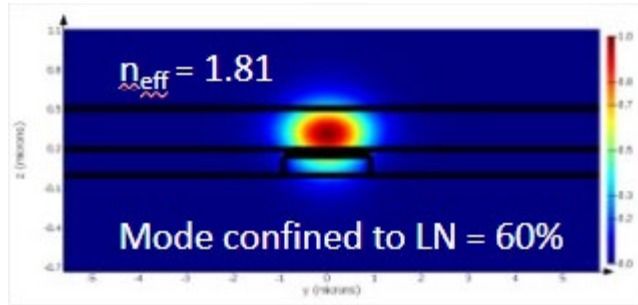
Towards SMUX: multi-port waveguide circuits



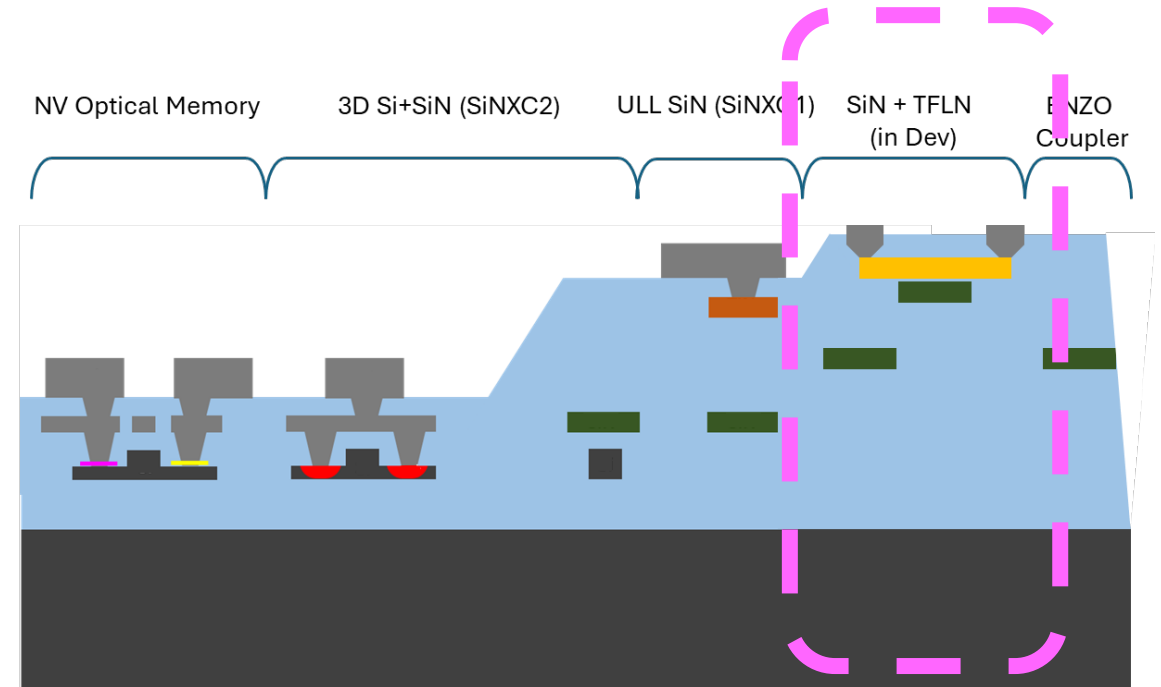
Aluminum metallization
Ultra-low-loss Si_3N_4
Silicon waveguide

Silicon dioxide
TFLN
TiN electrodes

Towards SMUX: fast switching



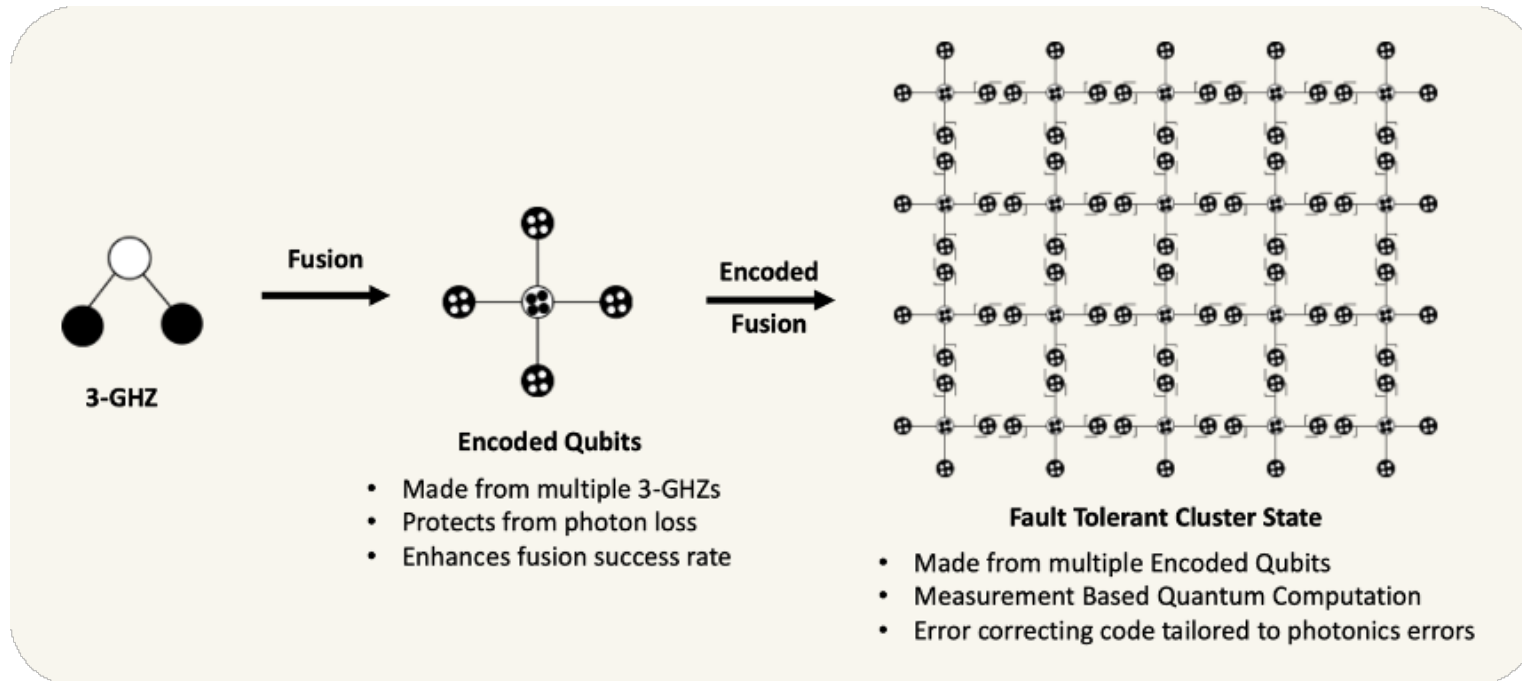
- Integration of thin film lithium niobate (TFLN) on SiN waveguide
- Hybrid guidance enables low loss, fast switching fabrics
- Targeting < 0.5 dB, switching speed > 500 MHz, $V_{\pi} < 2.5$ V



Aluminum metallization
Ultra-low-loss Si_3N_4
Silicon waveguide

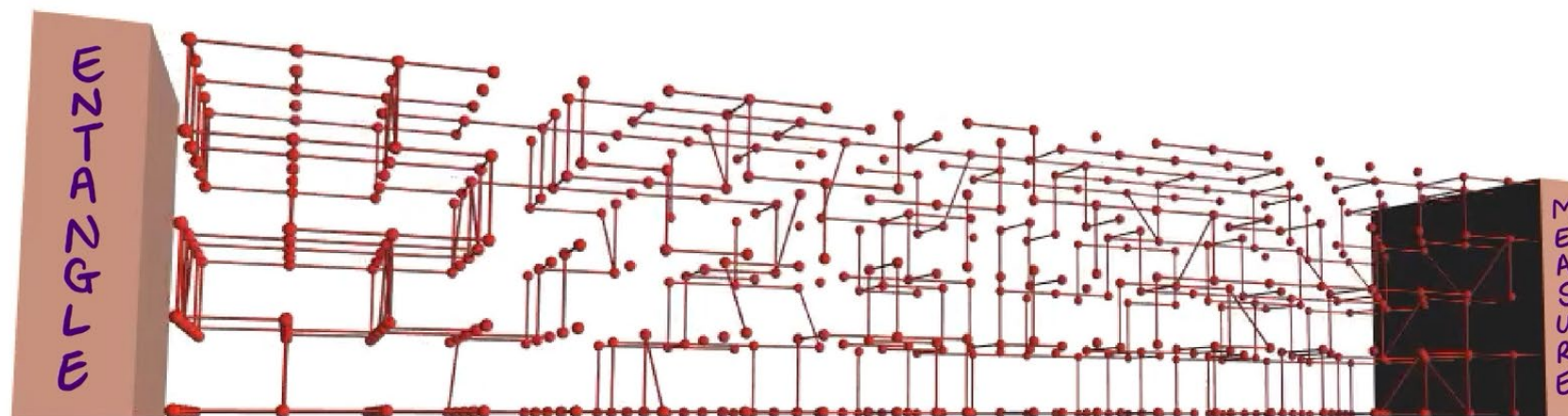
Silicon dioxide
TFLN
TiN electrodes

Towards fault tolerance



- Error correction needs large *cluster state*
- Create step-by-step: small clusters → entangled lattice

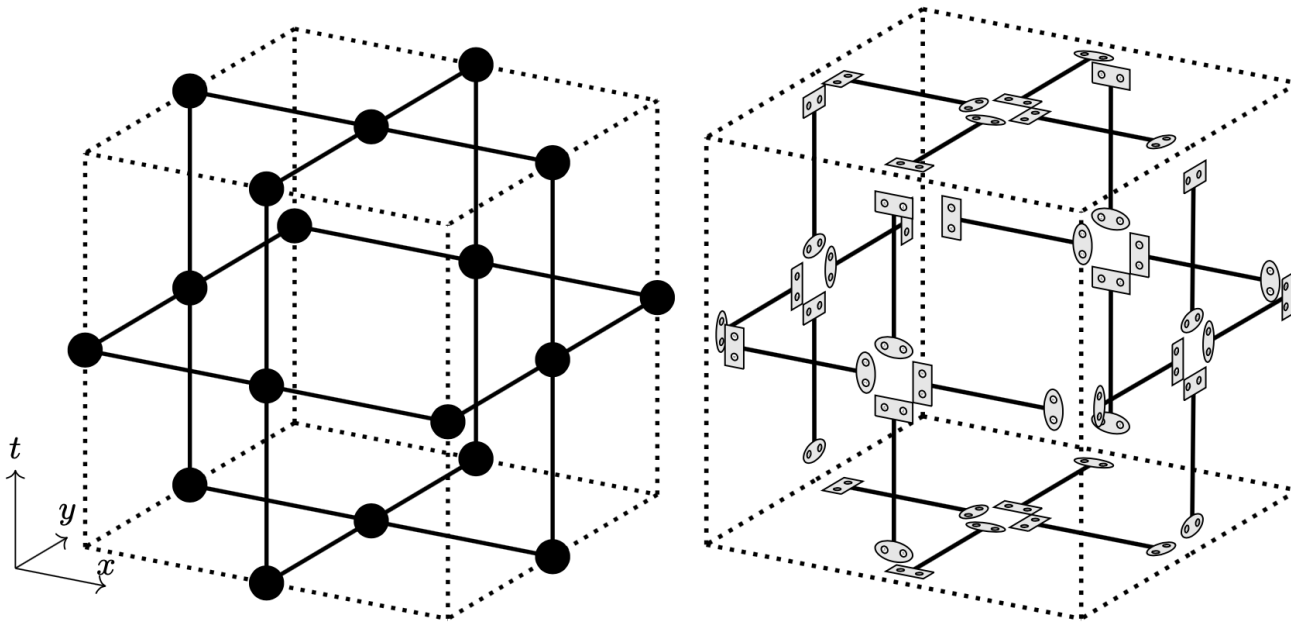
MBQC: lattice extended into 3D ("time direction")



Networking: forget the lattice; focus on the links

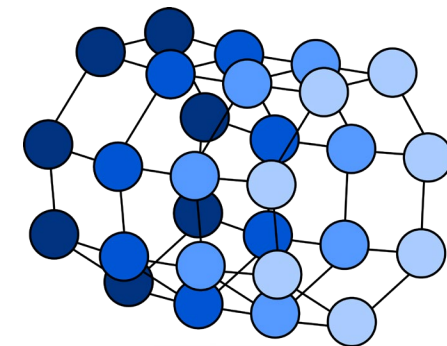
High photon-loss threshold quantum computing using GHZ-state measurements

Brendan Pankovich, Angus Kan, Kwok Ho Wan, Maike Ostmann,
Alex Neville, Srikrishna Omkar, Adel Sohbi, and Kamil Brádler*
ORCA Computing

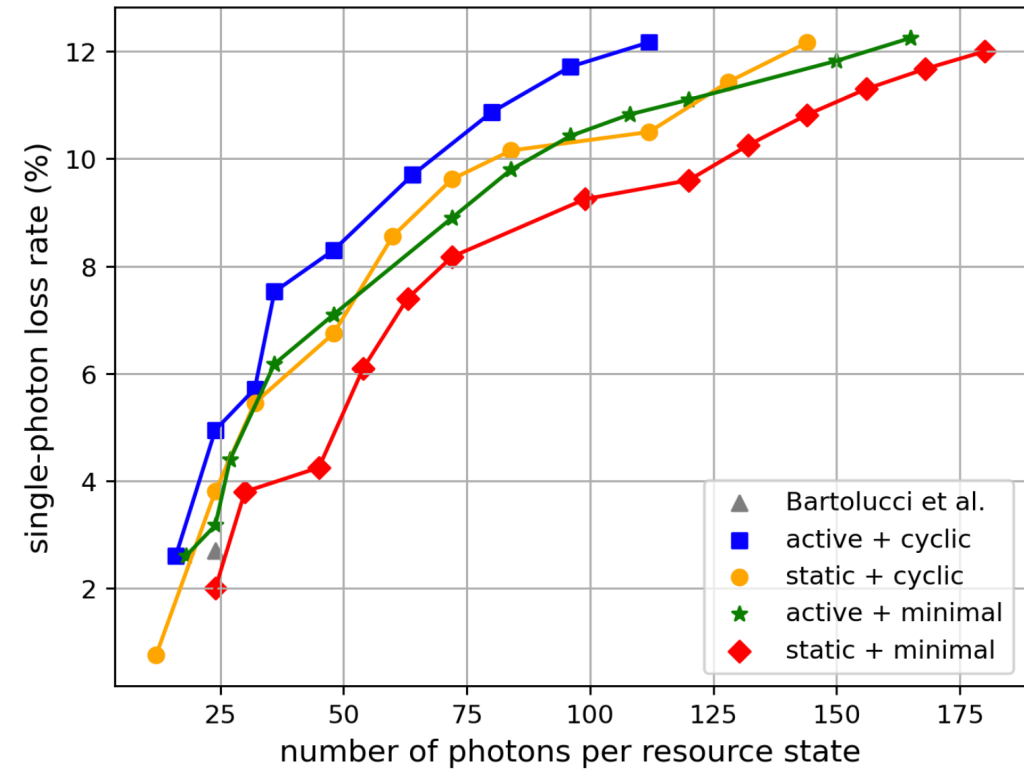
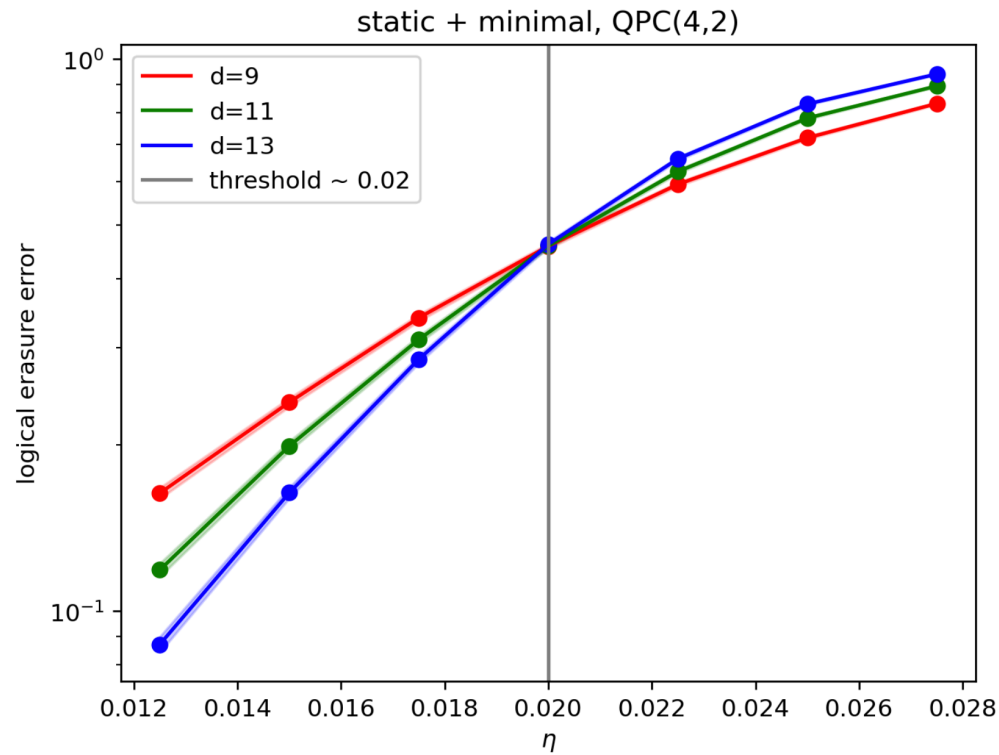


Simplest state possible: bi-partite link

Generalises to any topology

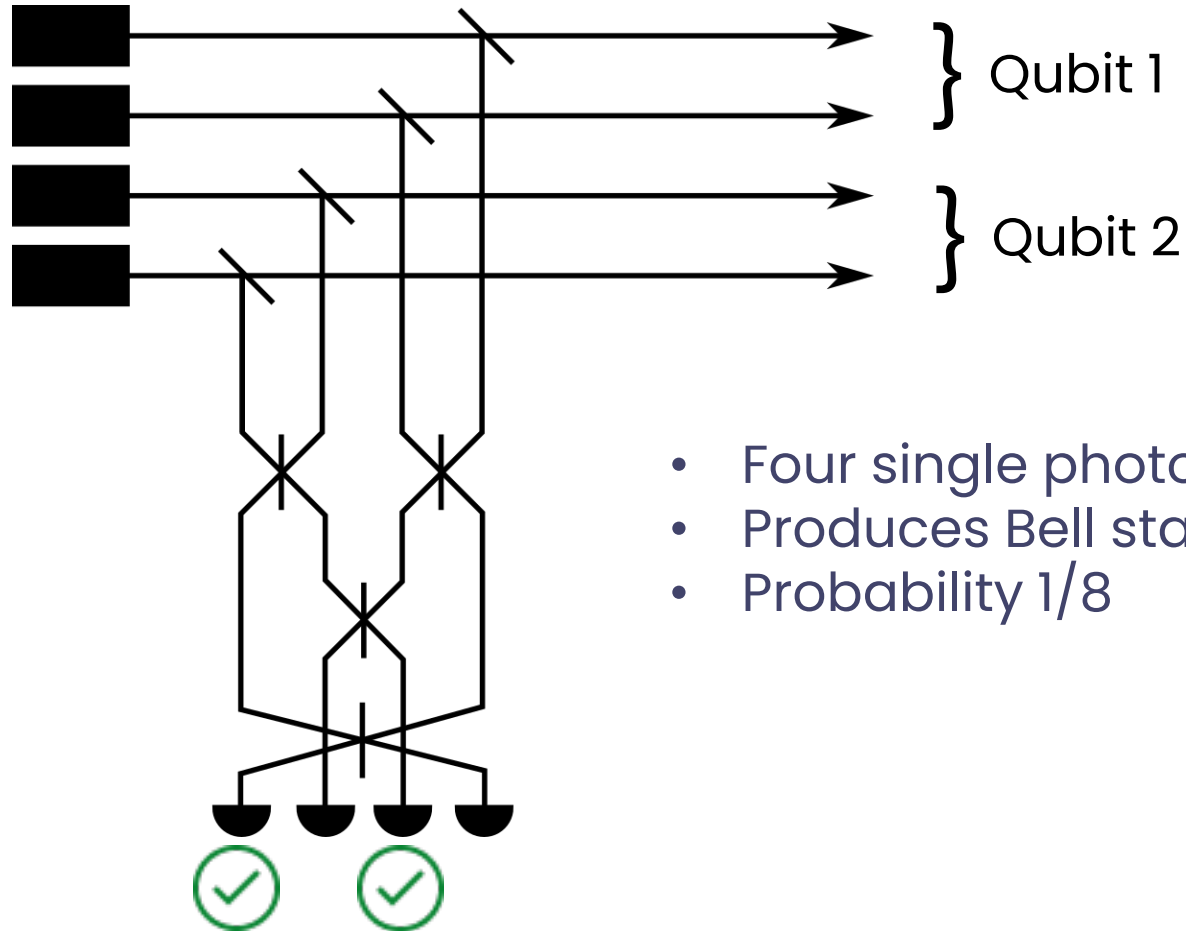


Loss thresholds



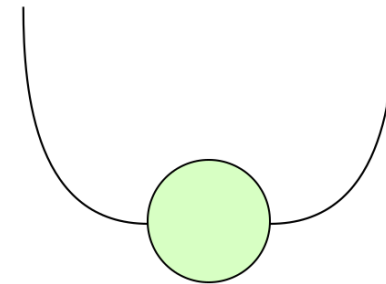


Bell state generator



$$|01\rangle + |10\rangle$$

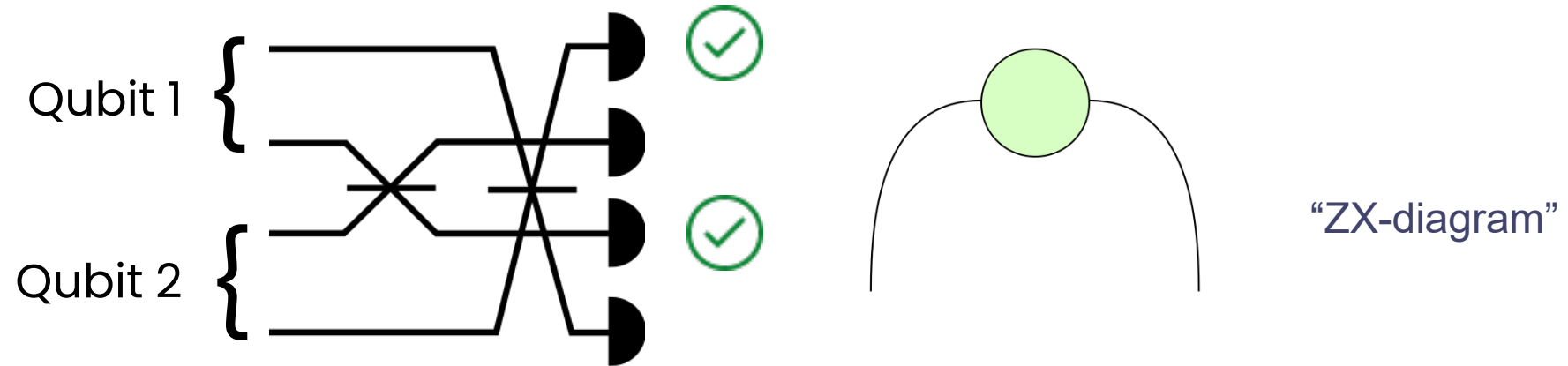
- Four single photons go in
- Produces Bell state when two photons are detected
- Probability 1/8



“ZX-diagram”

Zhang et al., Physical Review A **77** 062316 (2008)

Bell measurement (sometimes called “fusion”)



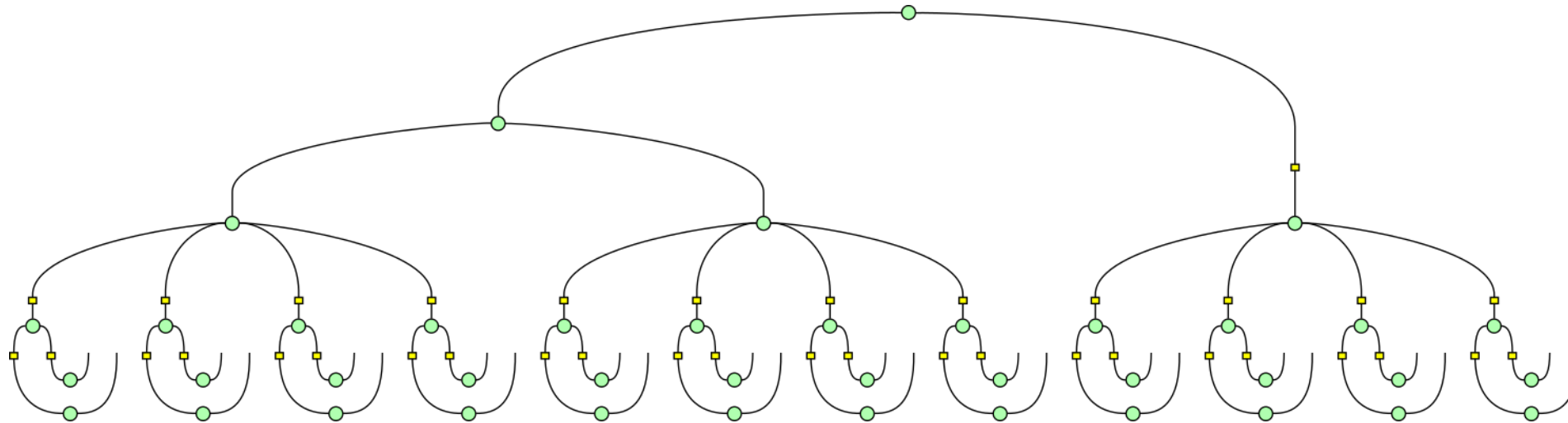
- Two qubits (i.e. two photons) go in
- Two clicks “projects onto a Bell state” (i.e. tells you there was a Bell state)
- Probability $1/2$

How to construct resource states

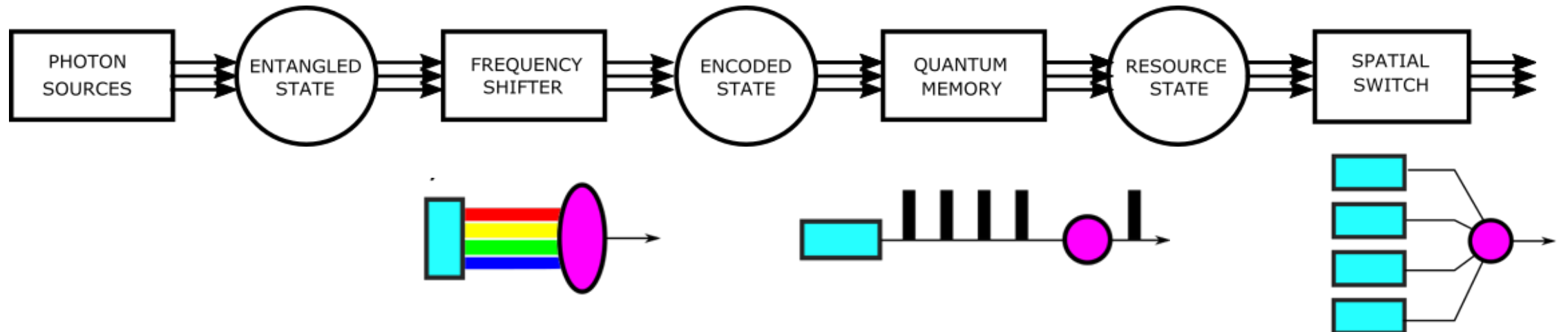
Flexible entangled state generation in linear optics

Brendan Pankovich, Alex Neville, Angus Kan, Srikrishna Omkar, Kwok Ho Wan, and Kamil Brádler^{*}
ORCA Computing

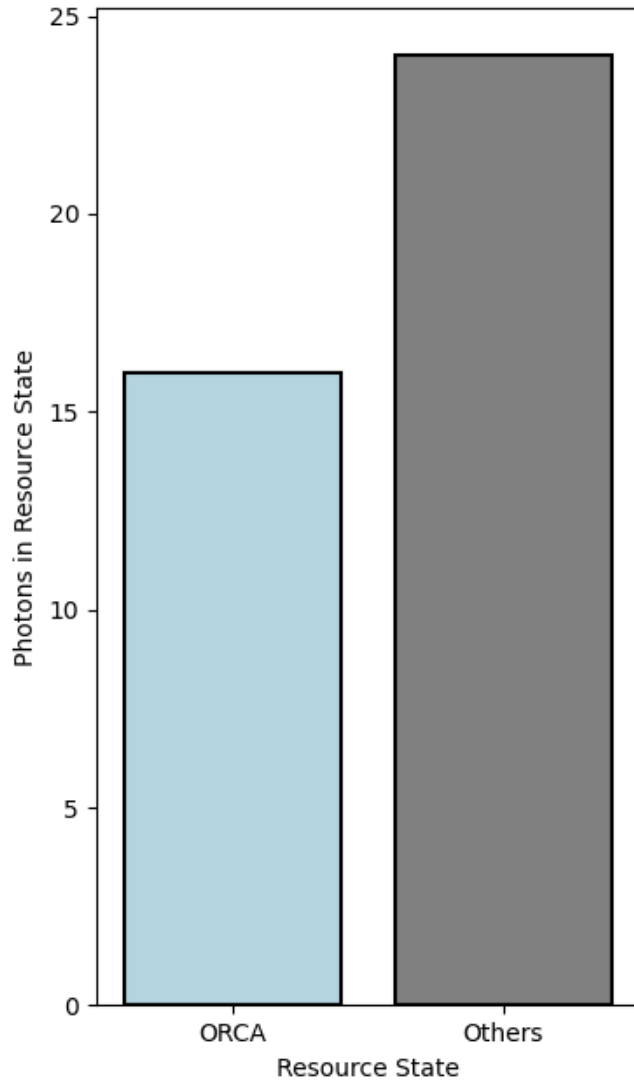
- Quantum parity check encoded Bell states
- Only two-photon Bell pairs required initially
- 3 patents; 2 papers



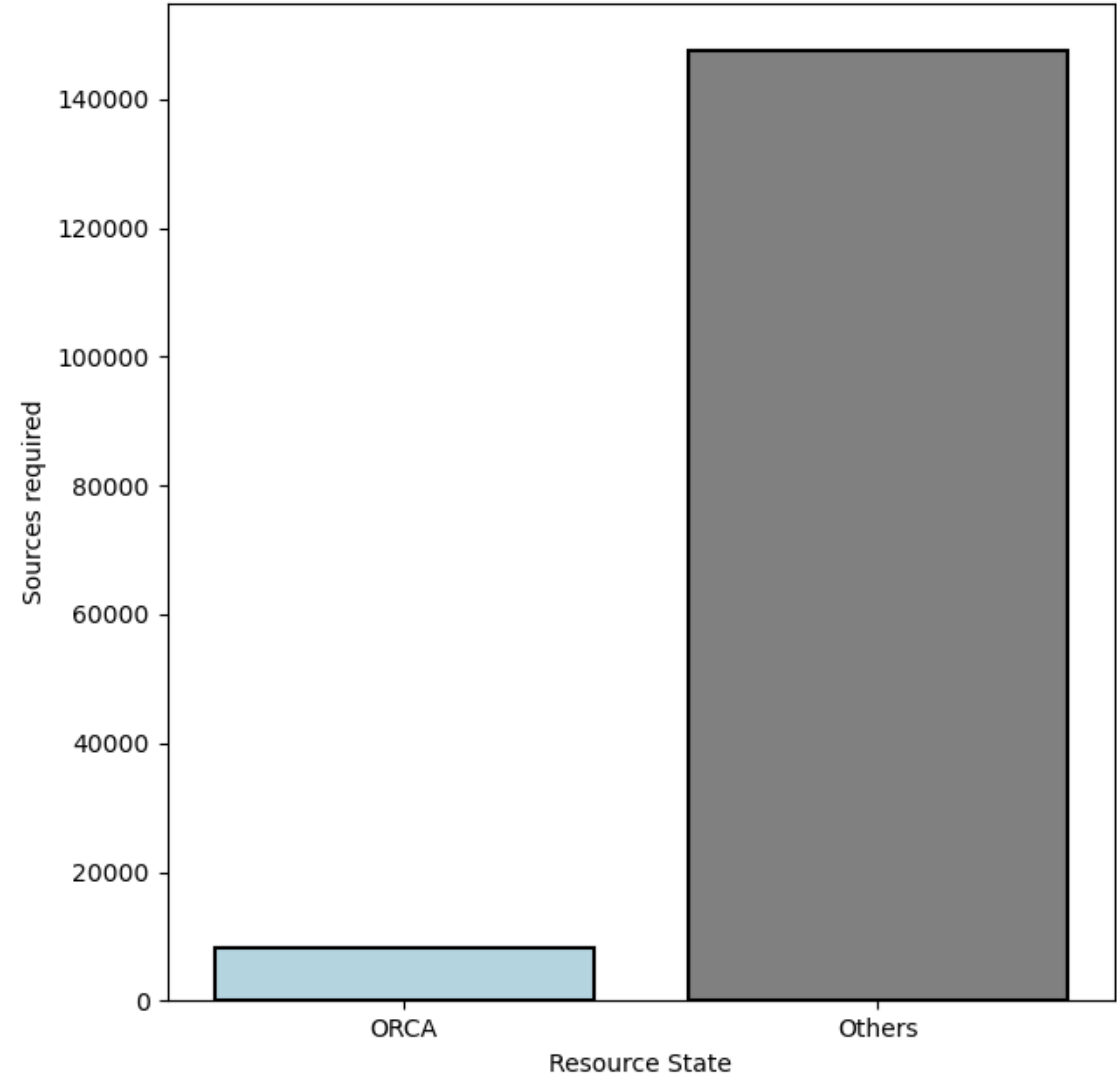
How to construct resource states



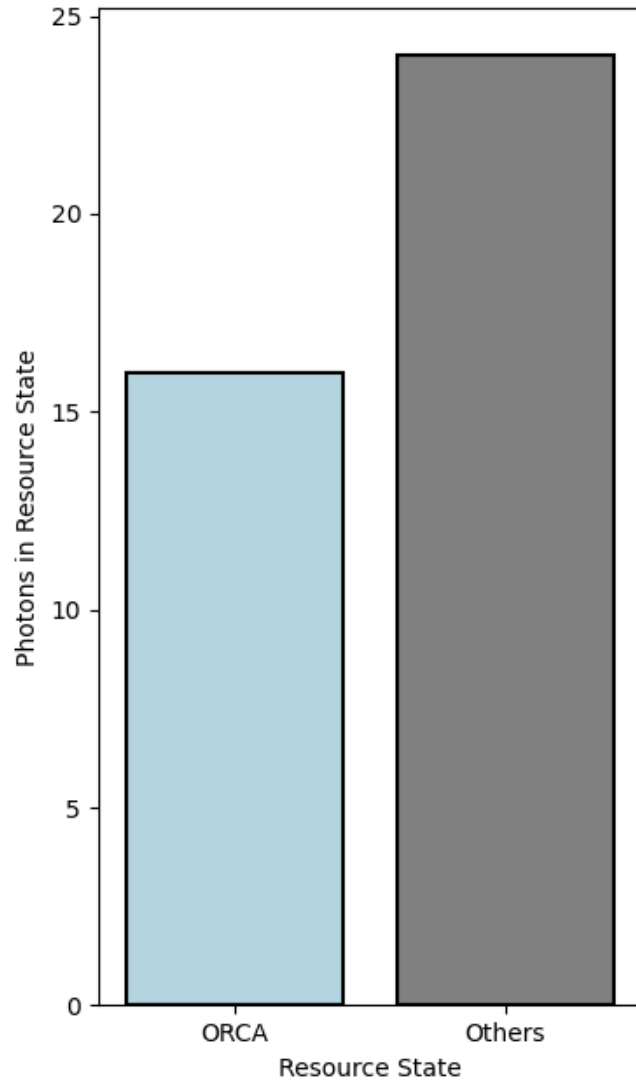
Comparison with other approaches



→
Construct with
SMUX only



Comparison with other approaches



Using TMUX,
FMUX and
SMUX



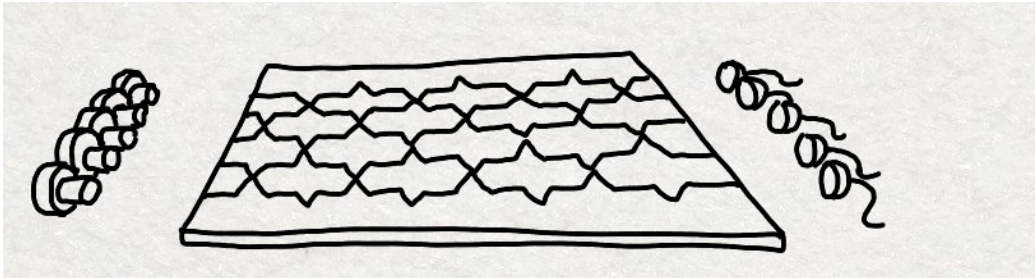
Aligned short- and long-term roadmap

- Identify applications with current technology; build towards fault tolerant systems
- Drives high quality component development and customer engagement/discovery



Photonic quantum samplers

Boson sampling: route to quantum advantage without universality



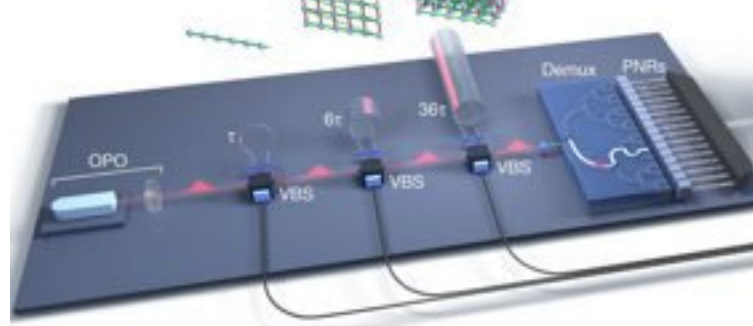
hard to simulate on a laptop beyond 30 photons, and hard for HPC beyond 40 photons

spatial; Gaussian



Jiuzhang, 2020

time-bin; Gaussian



Borealis, 2022

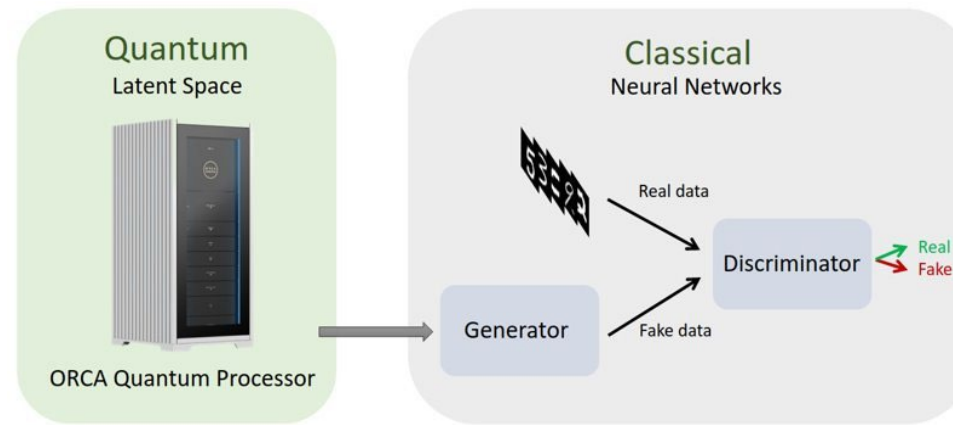
time-bin; non-Gaussian



ORCA PT-Series

Hybrid GANs

Generative adversarial networks convert a small-scale latent vector to potentially large data.



In recent work¹, we show that using a photonic quantum processor to produce the latent space in a GAN can allow a model to:

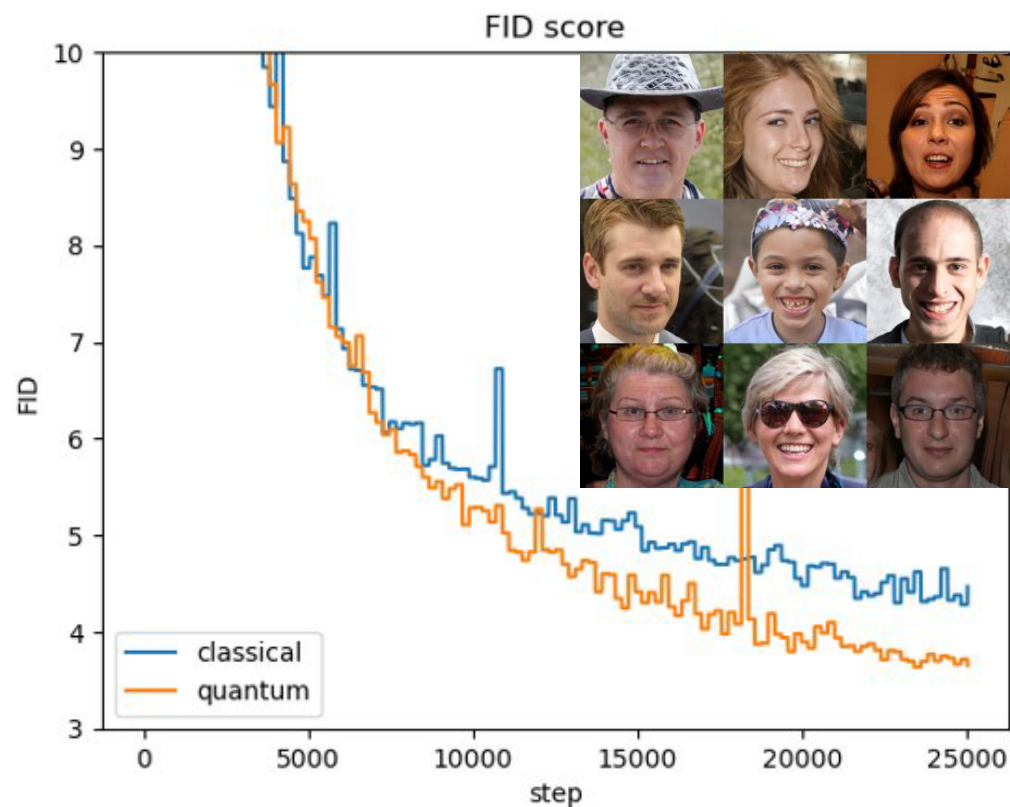
- Generate a broader range of distributions
- Produce higher-quality results for some models and datasets

This approach is scalable and suitable for near-term photonic quantum processors

¹Wallner, Hugo, and William R. Clements. "Towards an inductive bias for quantum statistics in GANs." ICLR 2023 Workshop on Physics for Machine Learning. 2023.

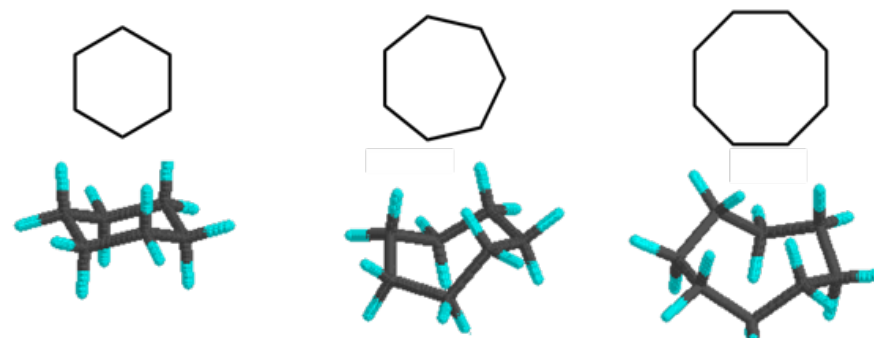
Initial results (simulated)

Images



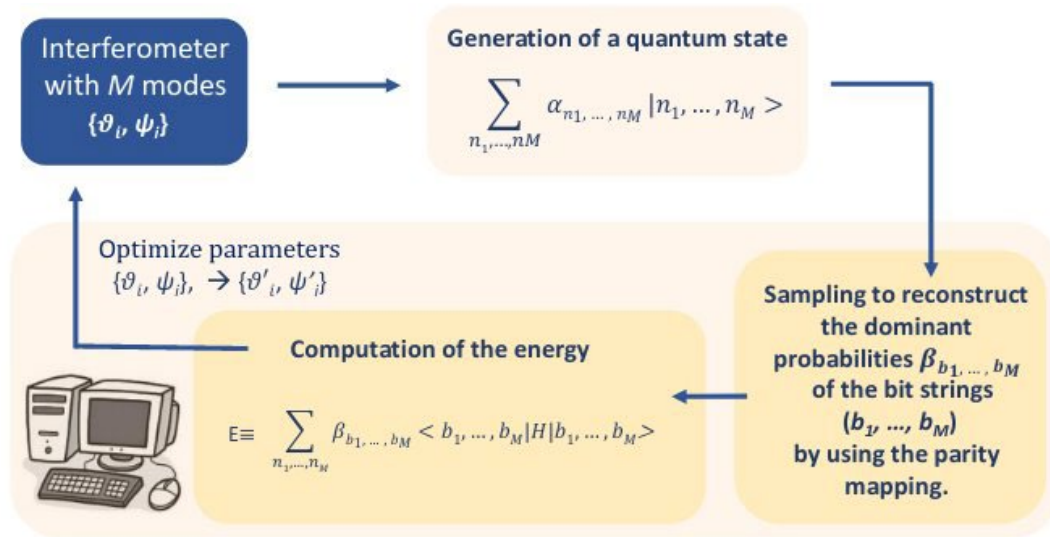
Chemistry

Molecules can take many different conformations, which determine their chemical properties



Up to 20% improvement in the generated conformation angles on the test set than the classical latent space

Binary bosonic solver



CERTAIN PROPERTIES AND APPLICATIONS OF SHALLOW BOSONIC CIRCUITS

KAMIL BRÁDLER AND HUGO WALLNER

ORCA Computing

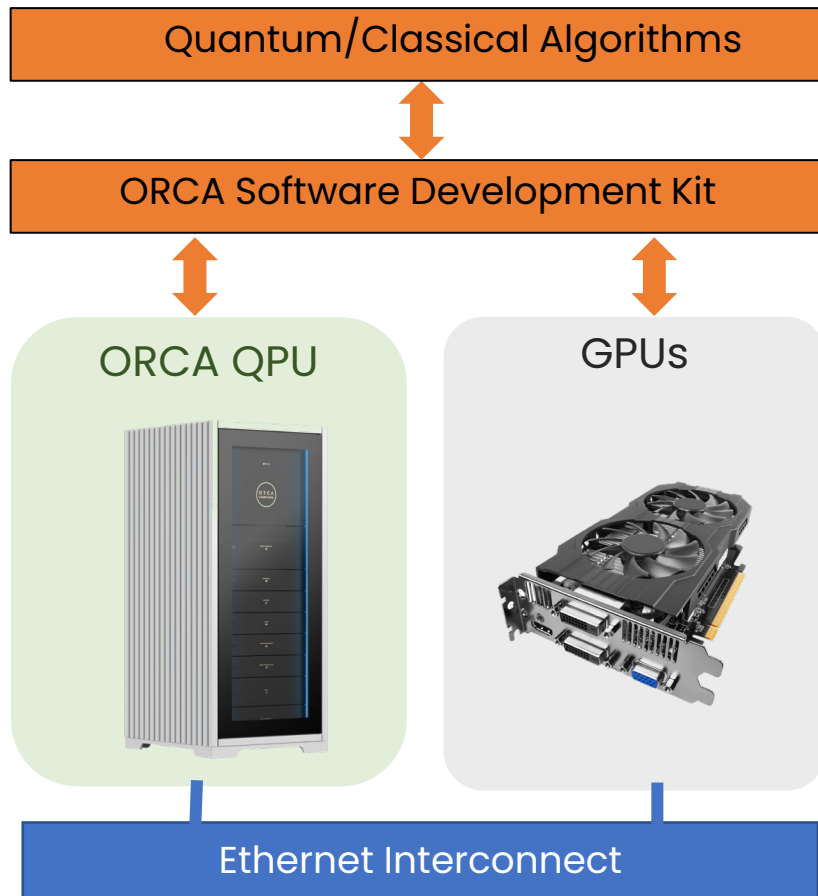
- Map output photon number to binary string
- Train photonic circuit to minimise cost function (challenge to train efficiently)
- Explores solution space non-classically
- Problem size limited by photon number

Beyond QUBO and HOBQ formulations, solving the Travelling Salesman Problem on a quantum boson sampler

Daniel Goldsmith ^{*1} and Joe Day-Evans¹

¹Digital Catapult, 101 Euston Road, London NW1 2RA

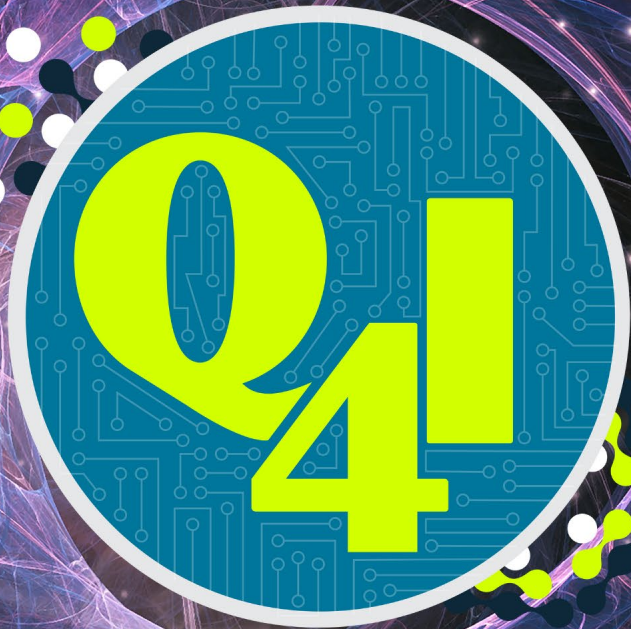
Integration with HPC



- PT-Series quantum processor connected to NVIDIA GPU cluster
- ORCA SDK coordinating neural networks in PyTorch and the PT-Series for hybrid ML applications
- Integration with CUDA Quantum and HPC environments

A perspective view of a server room aisle with rows of server racks on both sides. The racks are dark with blue vertical light strips. The floor is tiled, and the ceiling has recessed lighting. The overall atmosphere is high-tech and professional.

Thank you.
www.orcacomputing.com



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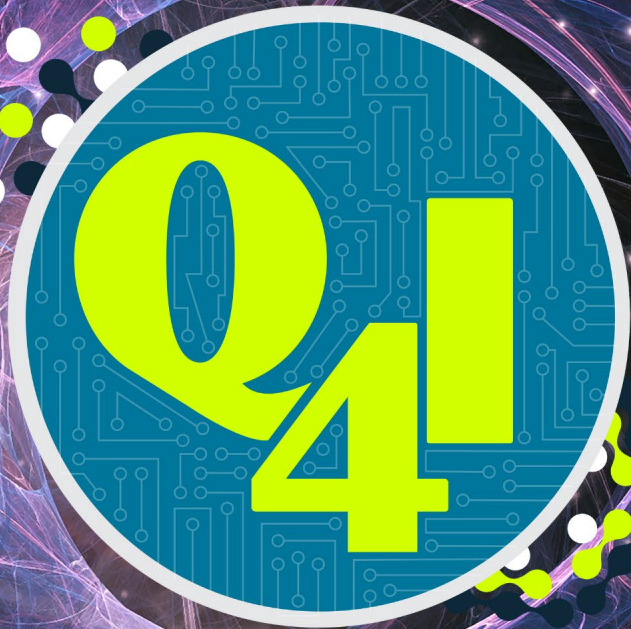
DR. MATTHEW LAHAYE
Senior Research Physicist
AFRL/RI



DR. ERIN SHERIDAN
Research Physicist
AFRL/RI



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INTERNATIONAL
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LUNCH BREAK

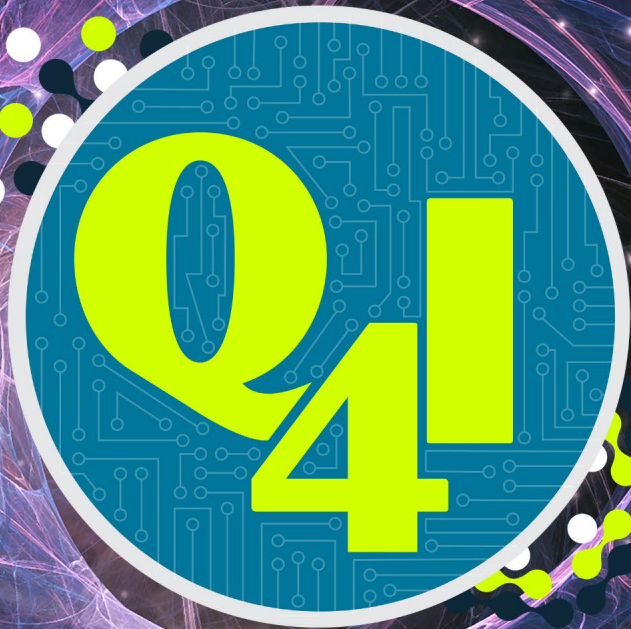


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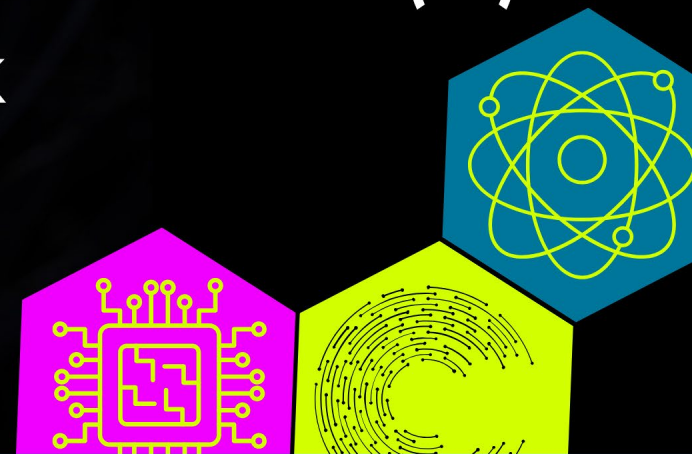
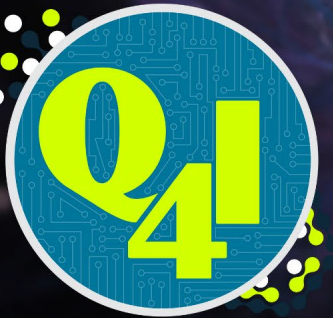
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AFRL



MS. REBECCA MILLS
Senior International Focal Point
Air Force Research Lab (AFRL)
Information Directorate (RI)
Rome, New York



6TH ANNUAL Q4I WORKSHOP | JUNE 25-27 | ROME, NY



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AFRL INTERNATIONAL COLLABORATION MECHANISMS

REBECCA MILLS,
SENIOR INTERNATIONAL FOCAL POINT
AFRL INFORMATION DIRECTORATE
27 JUN 2024



INTERNATIONAL ARMAMENTS COOPERATION (IAC) INSTRUCTION

- AIR FORCE INSTRUCTION (AFI) 16-110
 - Explains USAF participation in International Armaments Cooperation (IAC) programs
 - Seeks to achieve the goals and objectives
 - National Security Strategy (NSS), National Defense Strategy (NDS), National Military Strategy (NMS)
 - USAF Strategic Master Plan (SMP)
 - Secretary of the Air Force (SECAF) science and technology (S&T) priorities
 - And a few others
- AIR FORCE RESEARCH LABORATORY INSTRUCTION 16-110, dtd 19 Jun 2017
 - Establishes responsibilities for the AFRL International Program
 - Enhance ability for AFRL to meet its mission and strategic goals
 - Harness global critical technologies and talent
 - Increases effectiveness, reduces duplication, and improves compatibility and performance
 - Promotes interoperability and improves political-military relationships



International Agreement Types (Gov't-to-non Gov't) (Academic or Industry)



AFRL (Gov't) International Collaboration with Industry or Academia

- **International Cooperative Research And Development Agreement (iCRADA)**
 - Enable sharing and collaborative research with an international company or academic institution
 - No funds are exchanged
 - Time, equipment, facilities, knowledge are committed
 - Each side must benefit equitably from the effort
 - These are new for AFRL/RI, but new understanding in how to proceed and accomplish the paperwork
- **AFOSR Grants** – Partner with AFOSR to provide grants to key universities/professors for specific research to complement Tech Directorate portfolios.
 - 6.2 funds are allowed to be added to AFOSR 6.1 funded research
 - Strive for 50:50 co-funding
- **Cooperative Agreements (CAs)**
 - The CA is a contractual document/vehicle with funding
 - Although funding is provided (like a grant), a dual work plan is developed with both nations for a collaborative project
 - Army Research Lab frequently uses this approach in
 - AFRL/RI has small experience





International Agreement Types (Gov't-to-Gov't)



Master Memorandums of Understanding (MOUs)

- **Master Research, Development, Test and Evaluation (RDT&E) MOUs**
 - Provides the construct or framework for the type of collaboration allowed with a nation
 - DoD establishes with various countries to allow parties to legally interact in some capacity
 - Bilateral or Multilateral
 - Can be up to 25-year length
 - Can be classified
- **Under Master MOUs - specific activity agreements are written**
 - Project Agreements (PAs) – Bi- or Multi-lateral
 - Information Exchange Agreements (IEAs) or Data Exchange Agreements (DEAs)
 - *These are synonymous* – Dependent on Master MOU verbiage
 - Equipment and Material Transfer Agreement (E&MTA) (Loan Agreements)
 - Working Group – Defines Terms of Reference (TOR)
 - Exploratory purposes
- **Engineering and Science Exchange Program (ESEP)**





Primary MOU Mechanisms

PROJECT ARRANGEMENT (PA) UNDER A MASTER RDT&E MOU



- Gov't-to-Gov't agreement with detailed provisions on specific collaborative projects
- Equitability for programmed resources (\$\$\$)
- Requires an overarching RDT&E MOU to be in place

DATA/INFO EXCHANGE AGREEMENT (D/IEA) UNDER A MASTER D/IEA MOU

- Basic gov't –gov't agreement in specified technical areas
- *No* material or personnel exchanged; *No* resources programmed; Quid-pro-quo basis of sharing
- Requires an overarching Master D/IEA MOU to be in place

ENGINEER & SCIENTIST EXCHANGE PROGRAM (ESEP) MASTER MOU

- Full-time placement of AFRL S&Es in foreign government lab, or vice-versa – 16 Nations
- Maximum 2-year time limit
- Selections boarded at SAF/IA
- Language training provided
- Flexible use of ESEP is available

• OTHER COLLABORATION AVENUES

- The Technical Cooperative Program (TTCP), NATO Science & Technology Office (STO)





International Personnel Exchange Agreements



Personnel Exchange Summary

Government

Traditional ESEP

Competitive Program Selection

Require Master Engineering and Science Exchange Program (ESEP) MOU Agreement with Nation

- Minimum of 3 years RDT&E experience
- UNCLASS Level Work Only – Public Domain
- Requires position descriptions & full package and approvals

CPP

Cooperative Program Placement

Requires RDT&E MOU AND Project Agreement (PA)

Academic

WOS

Windows on Science

AFOSR support for short visit (< ~14 days) for ACADEMICS via seminar/presentation

WOW

Windows on the World

Provides opportunity for AF researcher at a foreign university (21 days to 179 days TDY)



Current Nations with Established ESEP (Gov't) MOU

Australia	Japan
Canada	Korea
Chile	Norway
Czech Republic	Poland
France	Singapore
Germany	Spain
Israel	The Netherlands
Italy	United Kingdom



Agreement Process

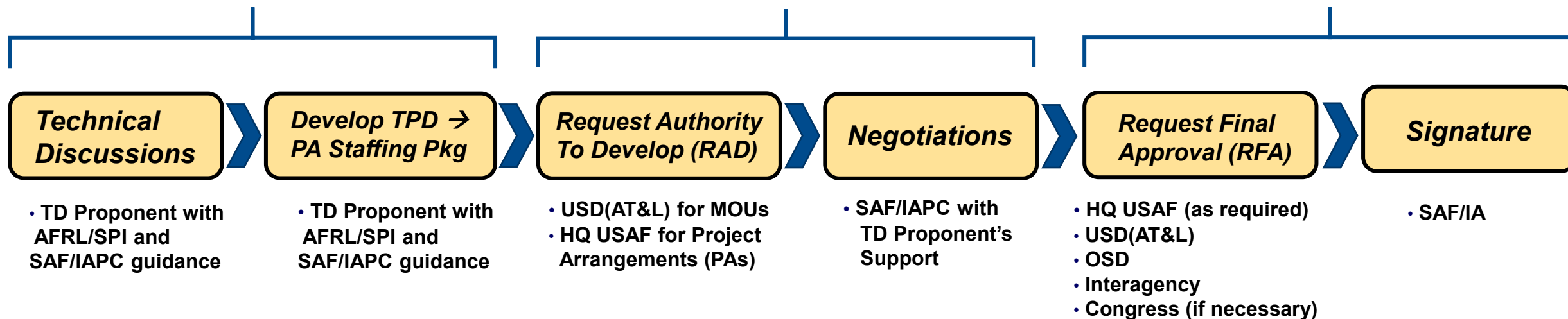


Project Agreement (PA) Process Timeline

Initiation&Development (1-18 months-TPO dependent)

Staffing&Negotiation (6-12 months)

Final Review &Approval (3-6 months)



Dependent on the partner, sensitivity of the tech, other dept/agency involvement, etc...



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(Domestic and Int'l CRADAs)



QUESTIONS?



Backup



FIRST Steps for Agreement Creation

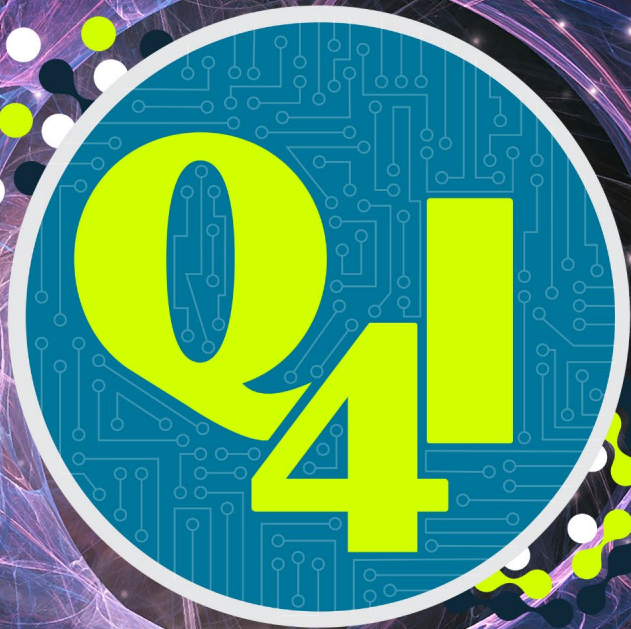
- US AFRL HQ International Office (XPPI) will engage Senior International Focal Point (SIFP) or Alternate: International Point of Contact (IPOC) at appropriate AFRL tech directorate
 - Meet to discuss plans/desires for collaboration
 - Determine correct Master RDT&E PA/IEA MOU
- Create the Technical Planning Document (TPD)
 - Template based
 - Shared with partner cohort to draft and refine – often in working groups or via email, phone
 - Define objective, scope and tasks and funding needs
 - Once both sides agree on content, TPD serves the basis of technical information for the PA
- Iterative process



Agreement Execution

- Agreement becomes effective the date that the last final signature is obtained
 - Behind the scenes while waiting, work occurs to prepare necessary contracts, equipment research, etc. to enable immediate start
 - No technical work is allowed to get a head start – defeats nature of collaboration
- Partners usually have a kickoff meeting
 - Regrouping of all teams
 - Detailed project plan and schedule, milestones, etc are created
 - Logistics for actual sharing and experimenting are discussed/planned
- Yearly reports are often required
- Final reports are always required and must be finished with all edits before the end of the PA
 - Usually plan for draft final report to be ready 6 months before the end date to allow refinement and approval processes for each nation.
- Agreements can be amended as needed for extra time, extra tasks, additional funding, etc.
 - Plan for amendment one year before the end date





6TH ANNUAL
**QUANTUM
FOR
INTERNATIONAL
WORKSHOP**

25-27 JUNE 2024

ROME, NEW YORK

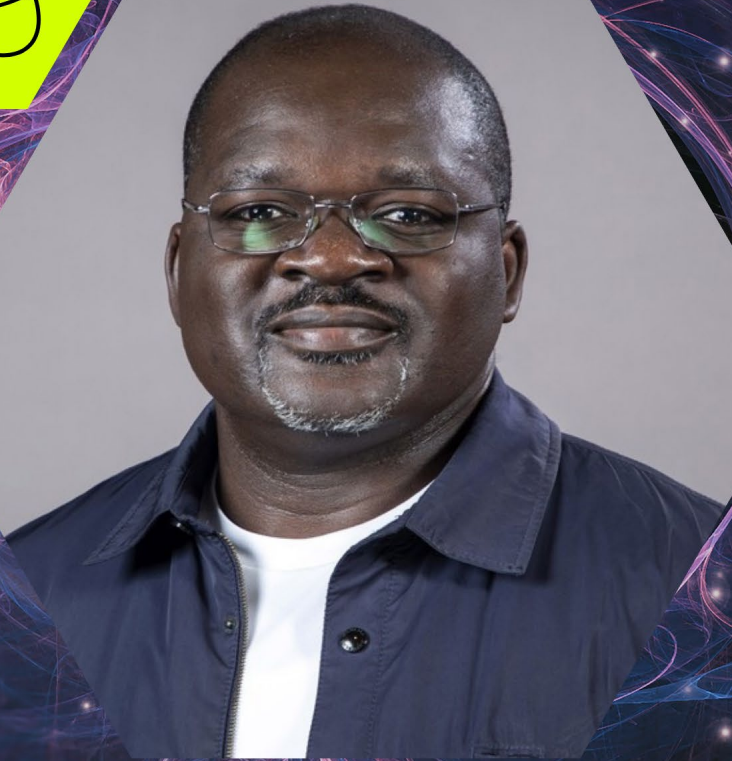


INNOVARE
ADVANCEMENT CENTER

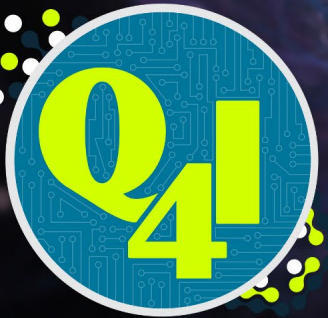
AFRL



GRIFFISS
INSTITUTE



PROF. HERBERT FOTSO
Associate Professor
Department of Physics
University at Buffalo



6TH ANNUAL Q4I WORKSHOP | JUNE 25-27 | ROME, NY

Enabling Efficient Qubit-Photon Interfaces for Scalable Quantum Information Processing Platforms

Herbert F. Fotso

**Department of Physics
University at Buffalo, SUNY**



Outline

- ▶ Qubits/QIP, why do we care?
Technologically promising materials and their challenge
- ▶ Limits of classical computation
- ▶ Challenges at the interface of quantum optics and QIP
- ▶ Spectral diffusion, restoring photon indistinguishability
- ▶ Experimentally achievable external fields protocols
VFRP and Collaboration with AFRL Quantum Group

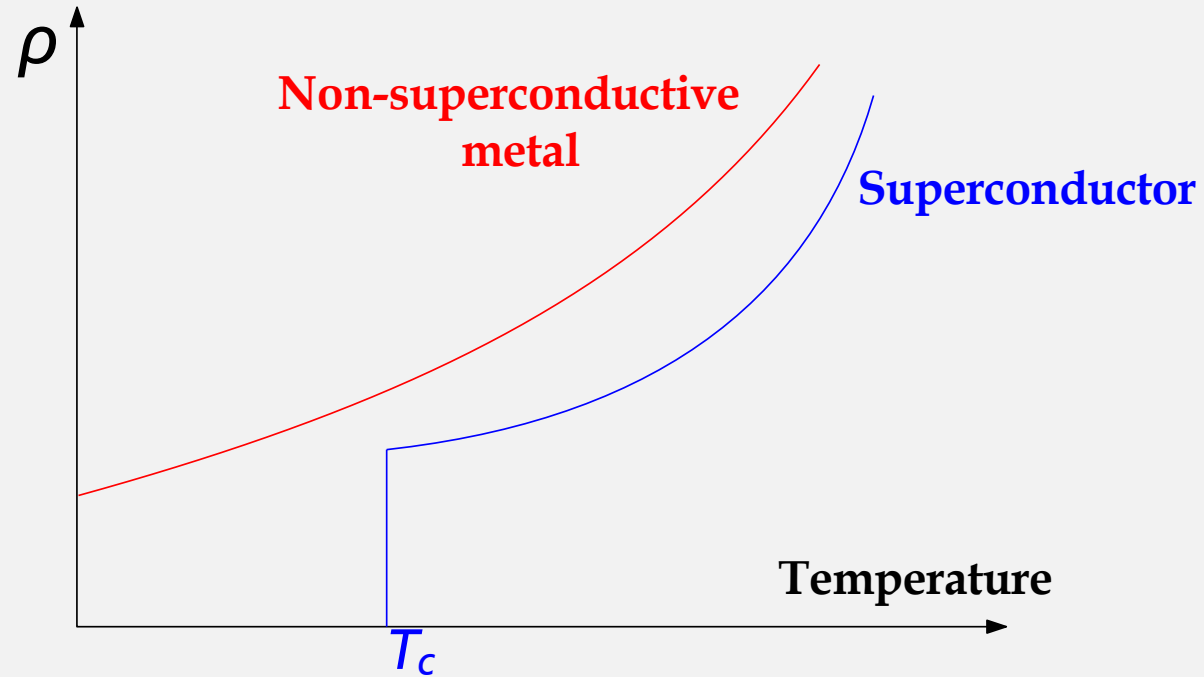
Electric current and dissipation



Metallic conductor \Rightarrow heat, dissipation
US Power Grid, Loss \sim 14 New York City's

Superconductivity

Superconductivity, What is it?



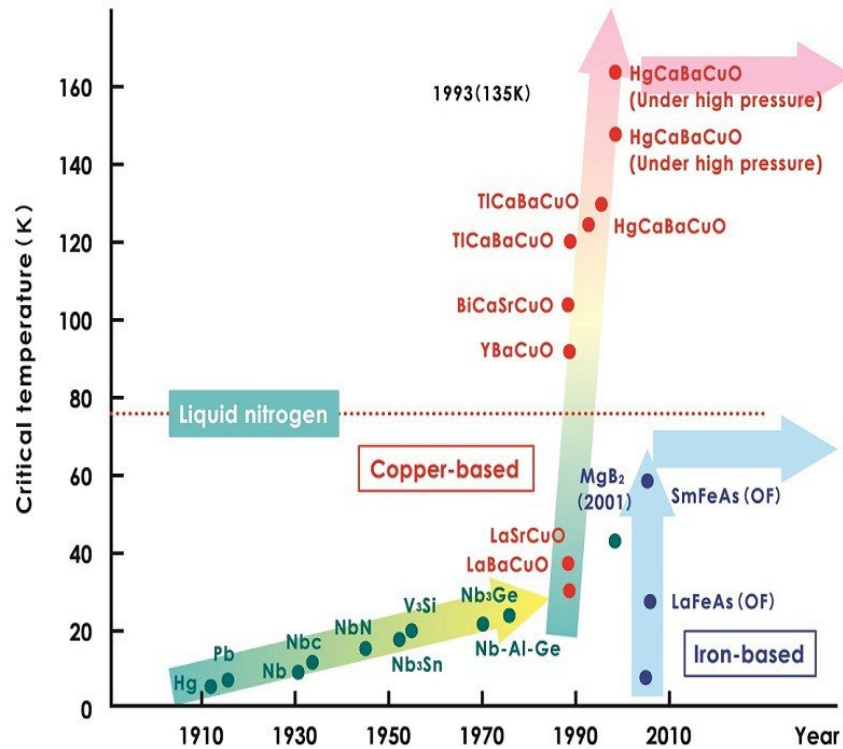
No dissipation/loss below a certain (**critical**) temperature (T_c)

Ideally, we want T_c to be room temperature.

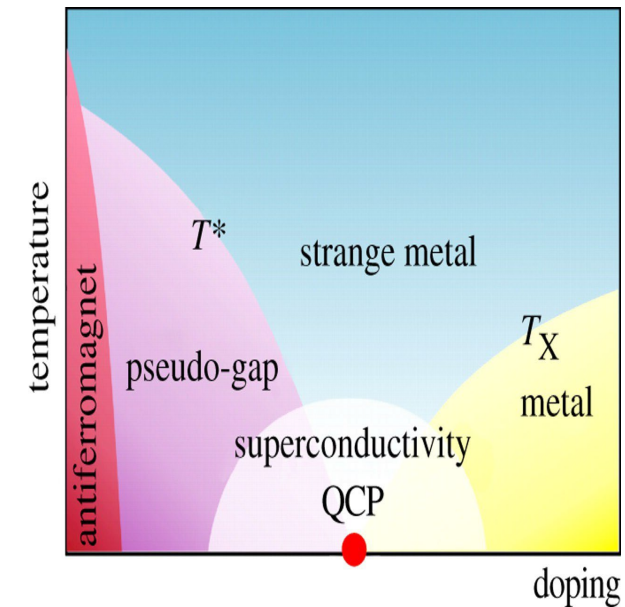
Superconductivity ...

High temperature superconductivity.

The T_c timeline:



Cuprates, phase diagram



Many competing phases
High complexity

Developing Novel Materials: High T_c Superconductivity

Technological challenges



Metallic conductor \Rightarrow heat, dissipation
US Power Grid, Loss \sim 14 New York City's

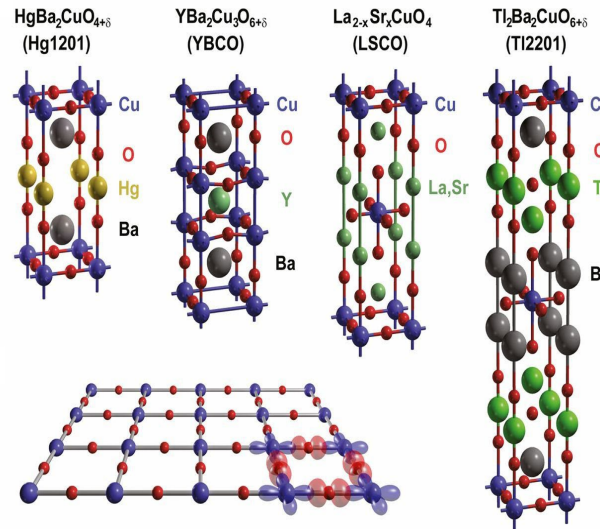


Levitating trains, top speed \sim 300mph



Better electromagnets, liquid Nitrogen
 \sim 77K
Liquid Helium \sim 4K

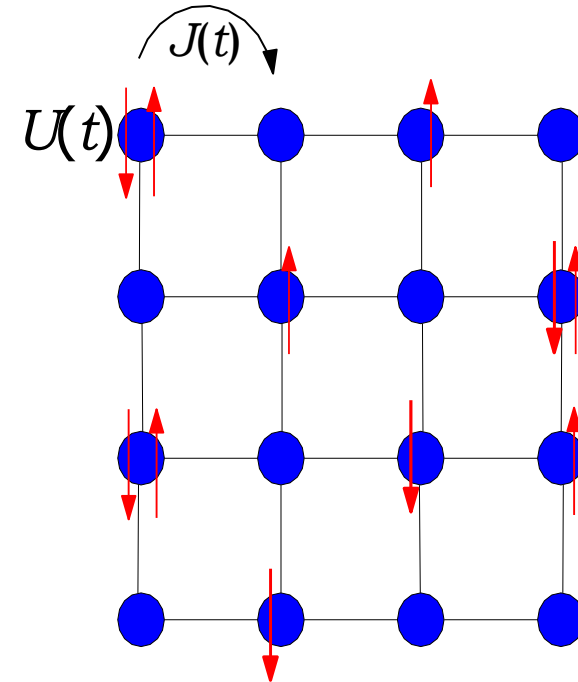
Promising Materials



Neven Barišić et al. PNAS 2013;110:12235-12240

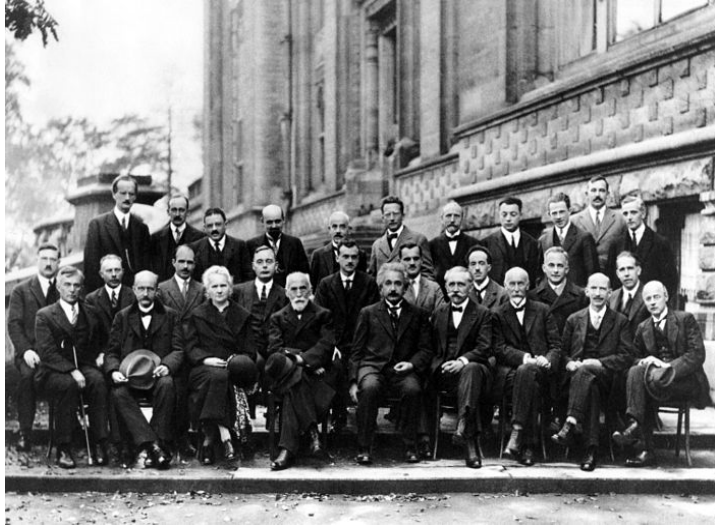
Cuprates
High T_c superconductors
Crystal structure

Challenging Theory



Hubbard model
Deceptively simple

Computational Methods. Why?



“Theory of everything”

- ▶ Quantum Mechanics:
Solvay conference 1927
- ▶ Only a handful of problems are solvable
EXACTLY
- ▶ Progress relies on well understood
approximations
- ▶ May also solve small systems numerically



- Many interacting particles
- ▶ “More is Different”
P.W. Anderson, Science **177**,
4047 (1972).
- ▶ Many emergent phenomena

Computational Methods

- ▶ New insights
- ▶ Guide experiments
- ▶ Suggest new materials
- ▶ Explore possible mechanisms
- ▶ :
- ▶ Ongoing efforts
- ▶ **Challenge: Quantum problem on Classical computers**

The limits of classical computation



State of the art classical computer
~ **50 electrons**

Double the capacity \Rightarrow 1 more
electron

Computer power alone
will not be enough

1 Petaflop $\rightarrow \sim 2$ MW
of power
(1 MW powers ~ 1000
homes)

\rightarrow **Better algorithms
are essential**

Fundamental limits!

A Path Forward: Quantum Computation

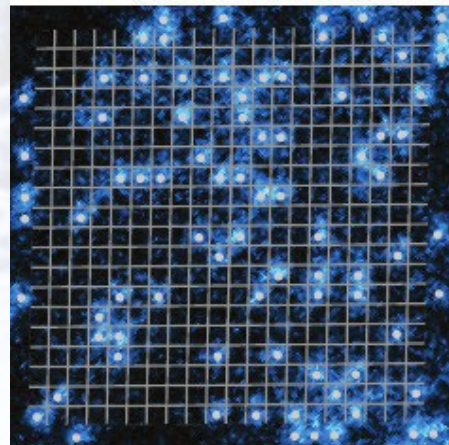


Quantum computation for quantum systems.

Richard Feynman, 1982.

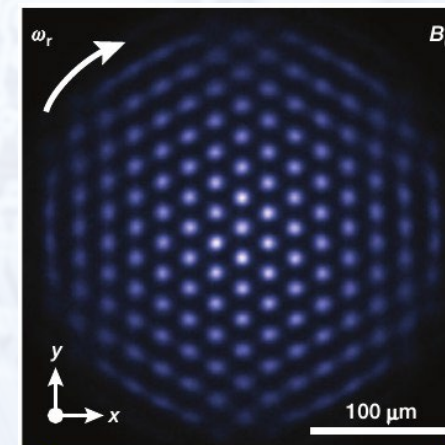
Match the exponential growth of the problem.

Quantum Simulators



M.F. Parsons et al. PRL **114**, 213002 (2015)

Quantum Computing



J.W.Britton et al. Nature **484**, 489 (2012)

The Future: Quantum Computation?

Linear VS Exponential Scaling

Classical bit, on/off

- ▶ 1 bit: 1 or 0
- ▶ 2 bits: 00, 10, 01, 11
system is completely defined by
2 independent numbers
- :
- ▶ N bits:
... N numbers

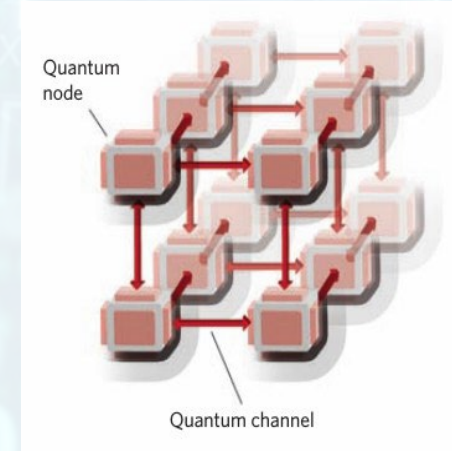
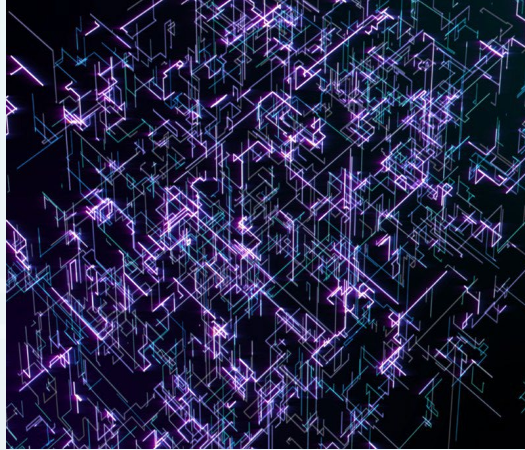
Quantum bits, **qubit**, spin-1/2

- ▶ 1 spin $|\uparrow\rangle$ or, $|\downarrow\rangle$
- ▶ 2 spins: **a** $|\uparrow\uparrow\rangle$
b $|\uparrow\downarrow\rangle + |\downarrow\uparrow\rangle$ **c** $|\uparrow\downarrow\rangle - |\downarrow\uparrow\rangle$ **d** $|\downarrow\downarrow\rangle$
4 numbers needed (2^2)
- ▶ 3 spins:
8 numbers needed (2^3)
- :
- ▶ N spins: 2^N numbers

300 qubits $\Rightarrow 2^{300}$ numbers/states
Number of particles in the Universe!!!
As long as they are fully entangled.

Beyond novel materials: ...

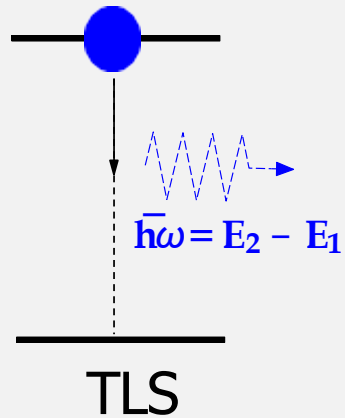
- ▶ Quantum Communication/Networking



J. Kimble, Nature **453**, 1023 (2008).

- ▶ Encryption
- ▶ Quantum Chemistry
- ▶ Quantum Sensing
Detect/measure increasingly weak signals with high resolution
- ▶ What else? The future will tell...

QIP The Building Blocks: Quantum Bits

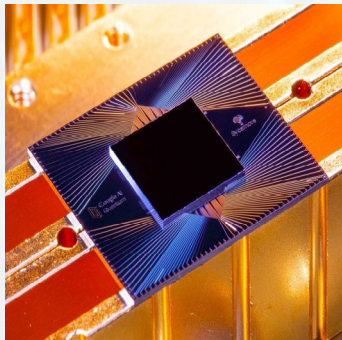


Loss - DiVincenzo criteria:

- * State initialization of the qubits
- * Long-lived coherences
- * Universal set quantum gates
- * Efficient qubit measurement
- * Scalable to large numbers of qubits

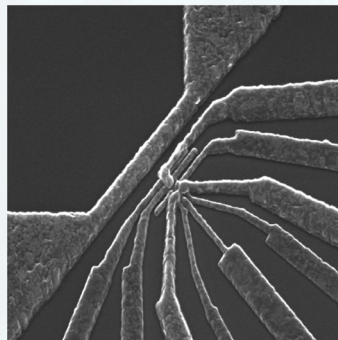
Different promising implementations:

Superconducting qubits



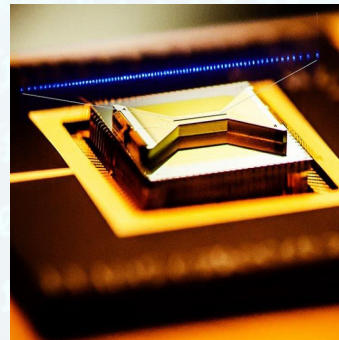
Google

QDots



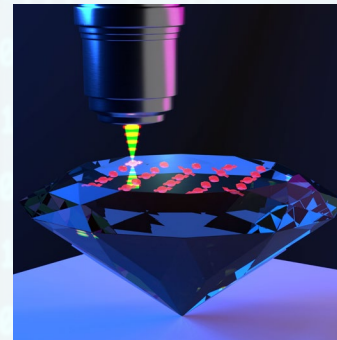
A. Dzurak

Trapped ions



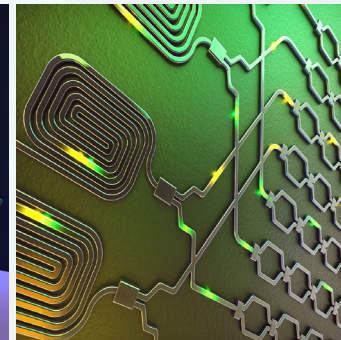
IonQ

Electron/nuclear spins



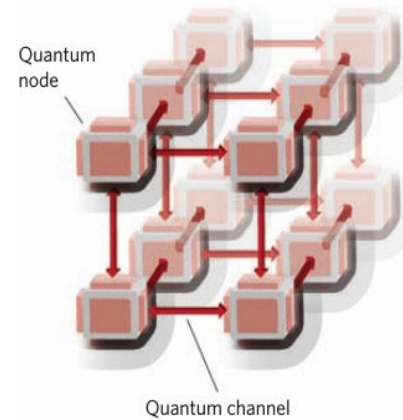
Oxford Univ.

Photons ...



X Qiang

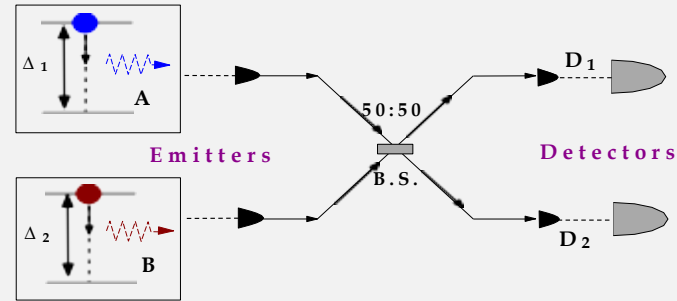
Hybrid Platforms, The Future?



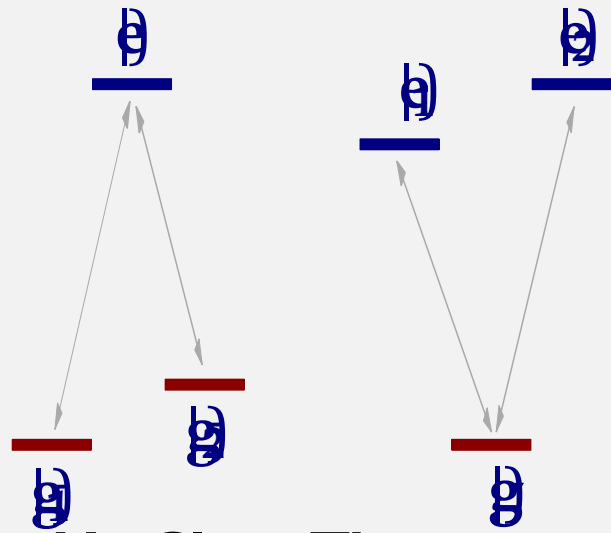
J. Kimble, Nature **453**, 1023 (2008).

- ▶ Use different systems for their optimal properties:
 - * Superconductors for computation
 - * Electron/nuclear spins for networking
 - * Atomic clouds for memories ...
- ▶ Establish efficient interfaces between platforms
- ▶ **Optimal light-matter interfaces are essential!**

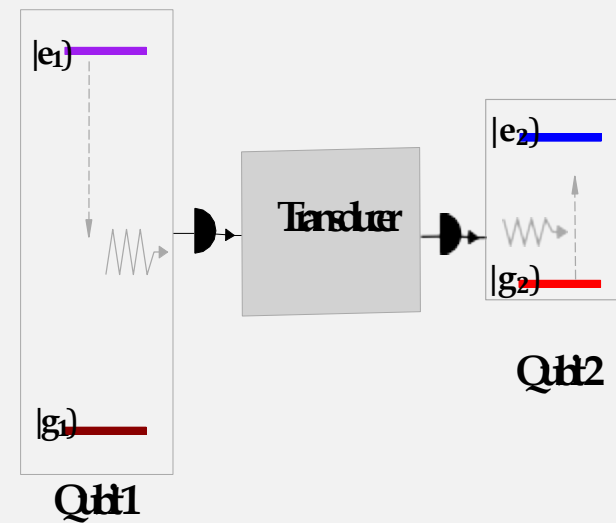
Photon-mediated processes for QIP challenges



Two-Photon Interference, Entanglement Generation



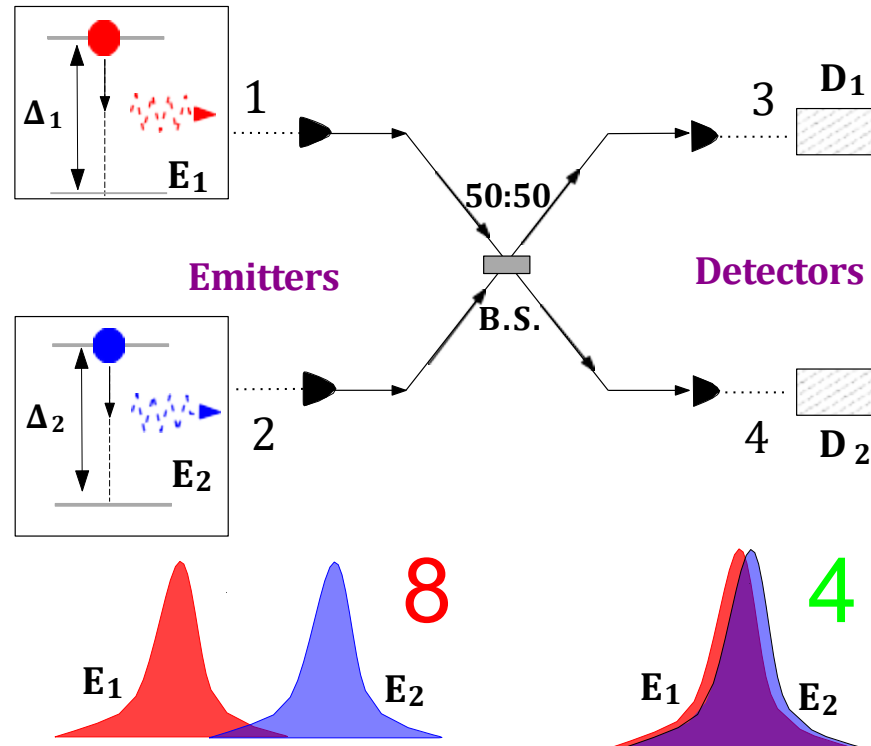
No-Clone Theorem, Quantum Memories



Different Frequencies, Quantum Transduction

Photon-mediated processes for QIP challenges ...

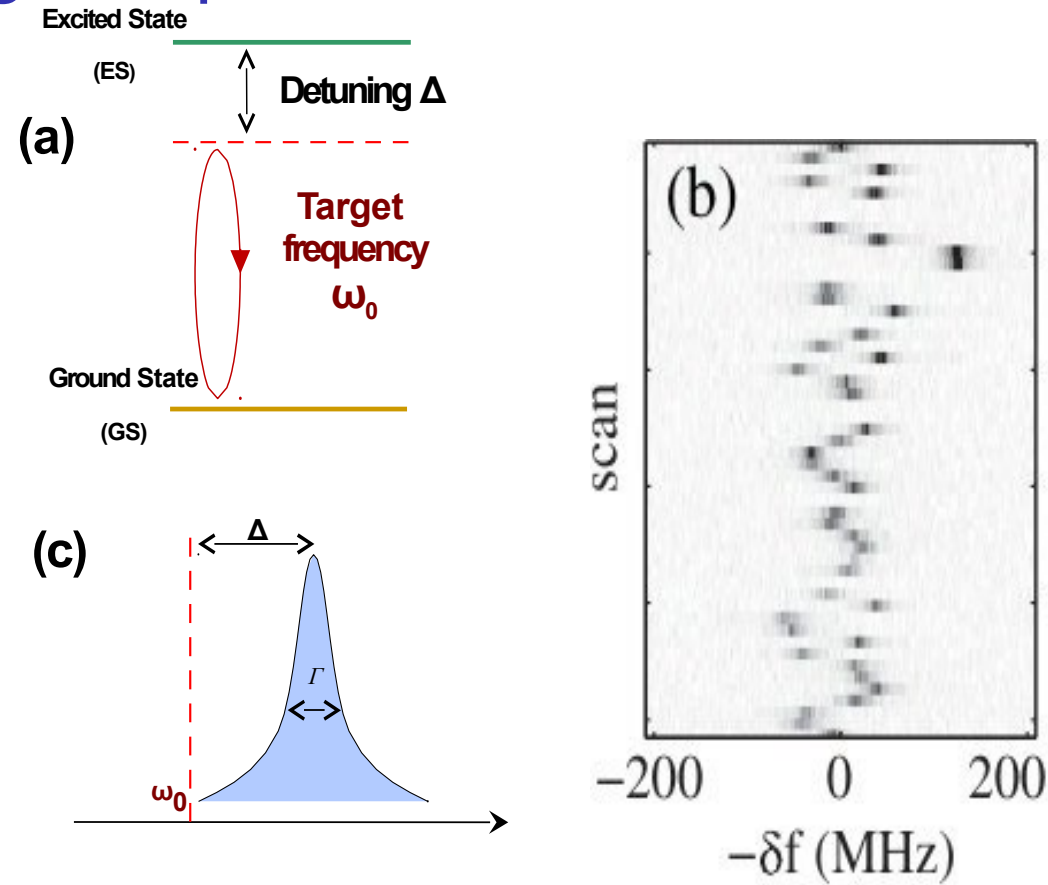
Hong-Ou-Mandel Two-Photon Interference and Distinguishable Photons



Can the spectra be adjusted as needed?
Can we overcome spectral diffusion?

Can we restore TPI with external controls?

The challenge of spectral diffusion



K. M. Fu et al. PRL **103**, 256404 (2009)

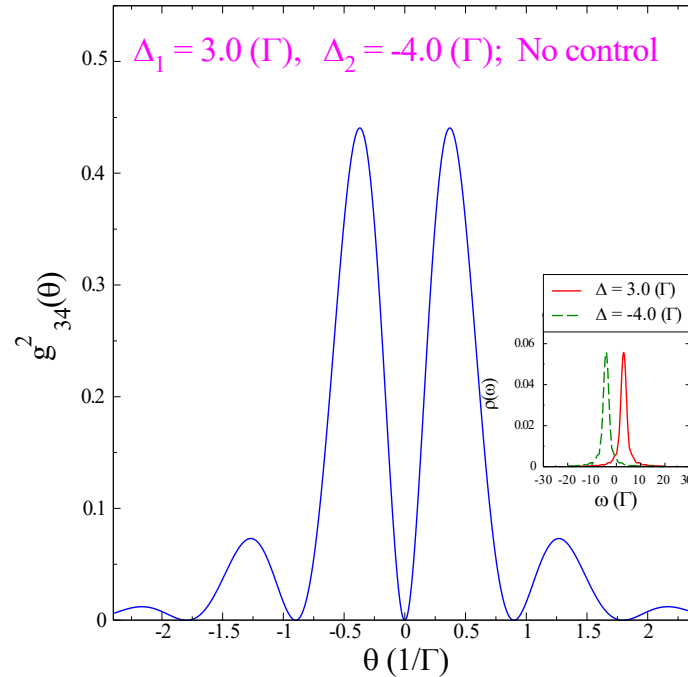
Can we use pulse sequences to suppress spectral diffusion?

Two-Photon Interference

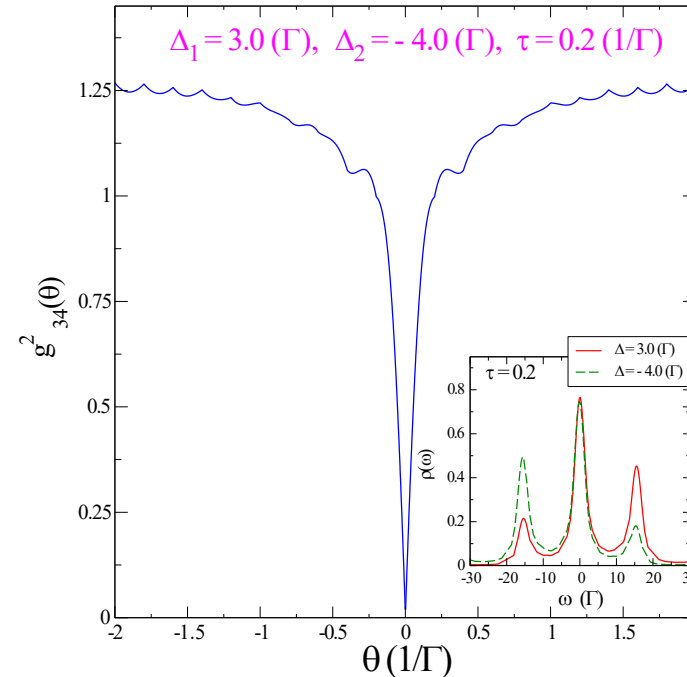
HOM with pulse-driven quantum emitters:

Intensity correlation function: $G_{34}^{(2)}(t, \theta) = \langle a_3^\dagger(t) a_4^\dagger(t + \theta) a_4(t + \theta) a_3(t) \rangle$

Integrated cross-correlation function: $g_{34}^{(2)}(\theta) = \lim_{T \rightarrow \infty} \frac{1}{T} \int_0^T G_{34}^{(2)}(t, \theta) dt$



No control



Periodic pulse sequence

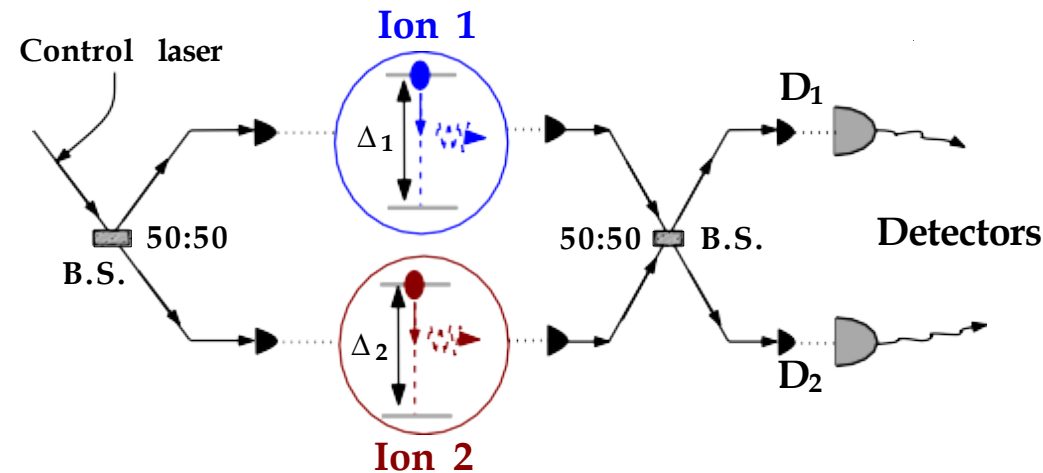
Minimal dependence on the detuning/environment:

up to $|\Delta_2 - \Delta_1| \sim 10\Gamma$

Collaboration with AFRL

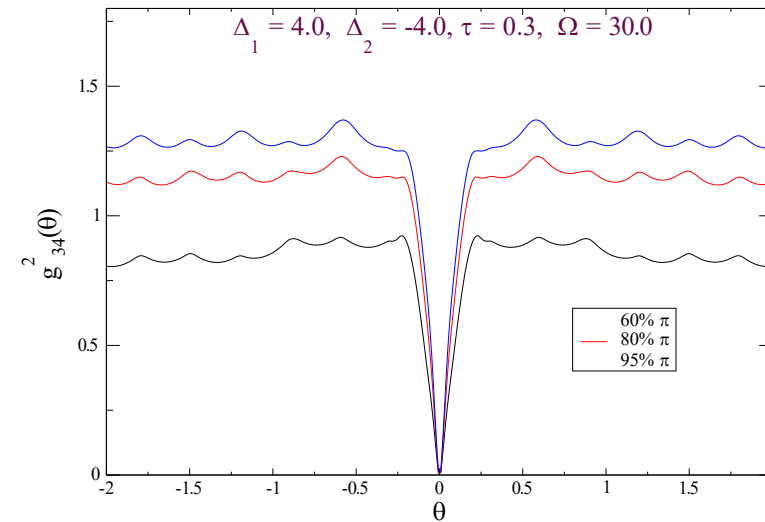
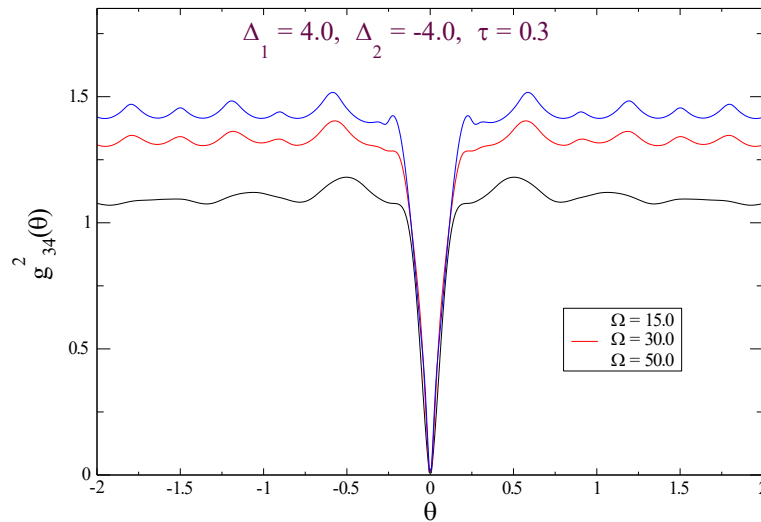
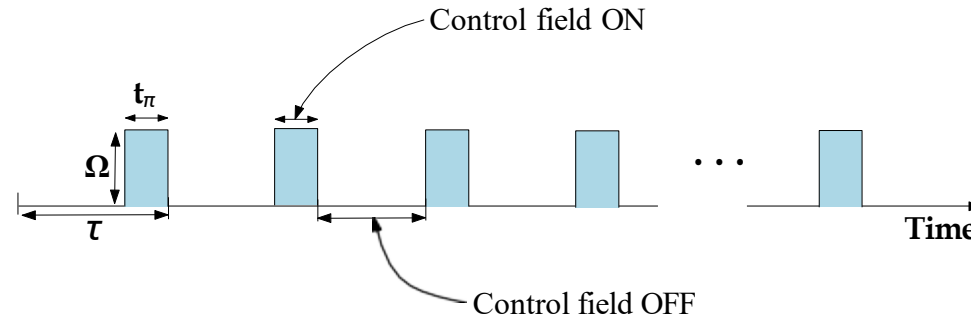
- ▶ Innovare Advancement Center
 - * Multiple qubit modalities:
Trapped Ion, Photon, Superconducting qubits
 - * Theory - Experiment connection
 - * Exploration of new frontiers
- ▶ Realistic protocols for spectral modulation and TPI

Scheme for TPI with spectrally different ions:



Collaboration with AFRL ...

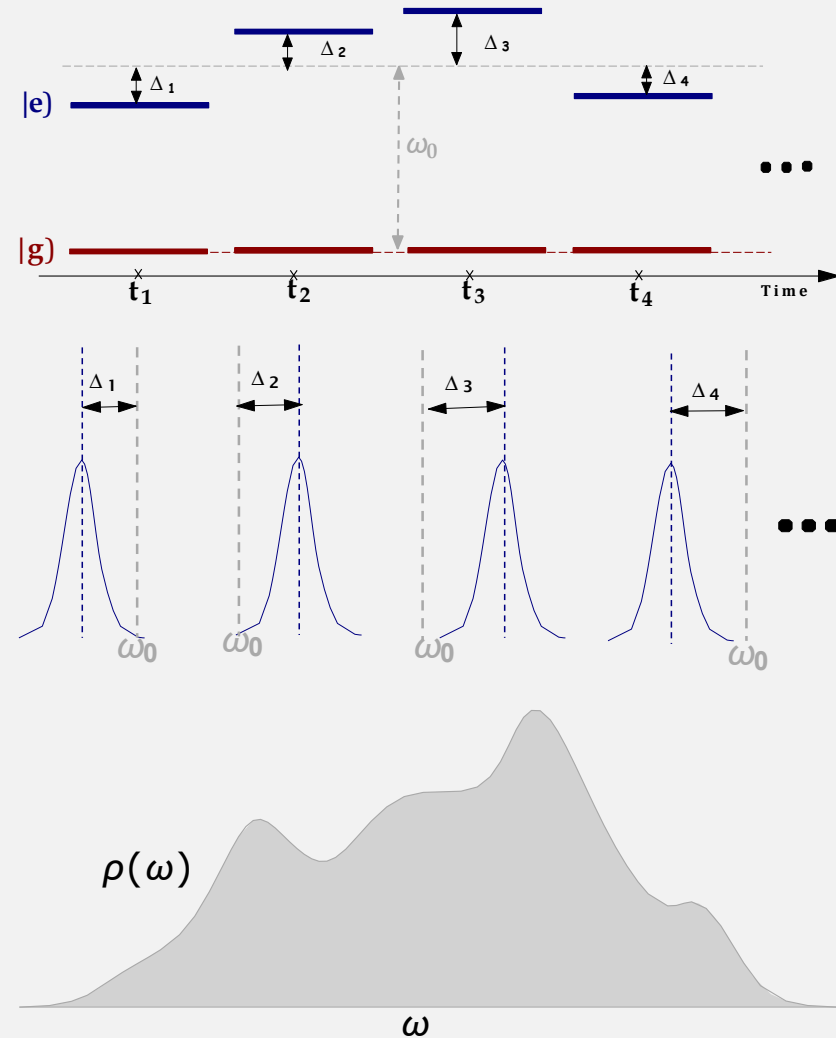
Imperfect Pulses: finite width, incomplete rotations



Pulse sequence effective even when highly non-ideal:
Finite width, Imperfect rotations

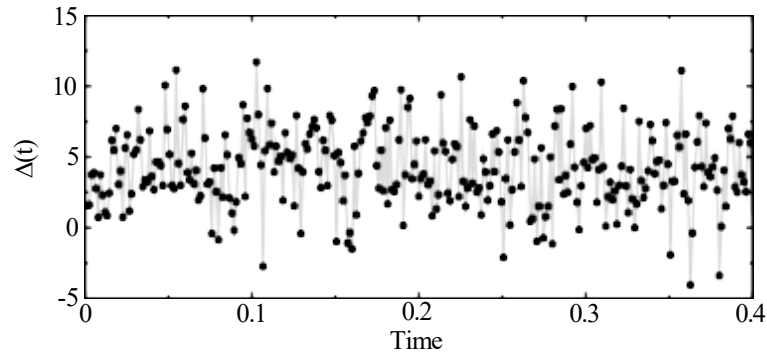
Explicitly Noisy Quantum Emitters

Spectral Diffusion: Explicit Noise

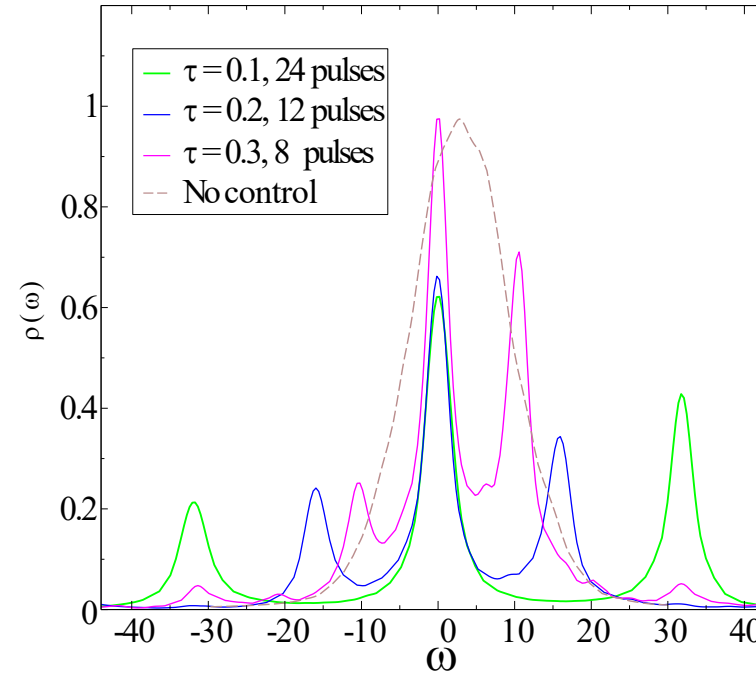
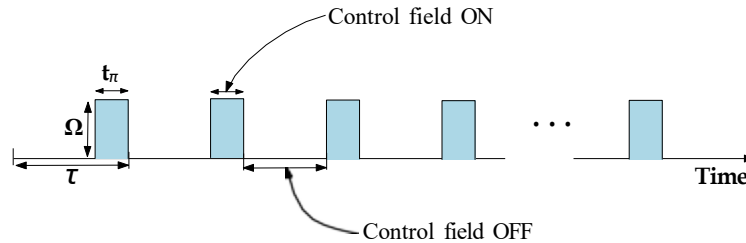


Emitter in Noisy Environment, Finite Width Pulses

Gaussian detuning $\Delta(t)$: $\Delta_0 = 4.0$, $\sigma_\Delta = 4.0$



Finite width pulses

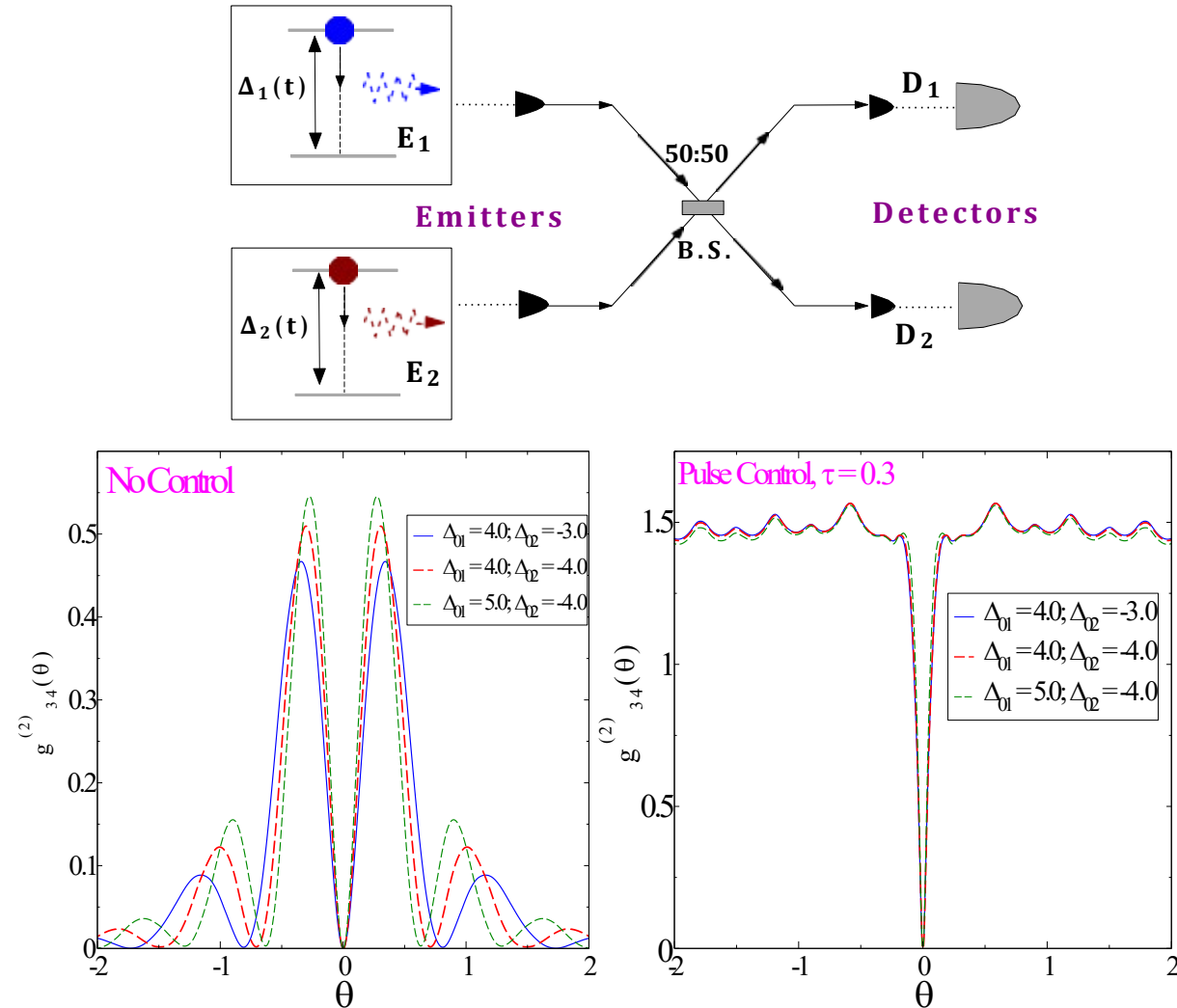


Well defined refocused spectrum:

- ▶ Narrow central peak at pulse carrier frequency
With $\sim 50\%$ of spectral weight and width $\sim \Gamma$
- ▶ satellite peaks at $\pm n/\tau$

HFF, Phys. Rev. A 107, 023719 (2023)

Two-Photon Interference: Two Distant Noisy Emitters



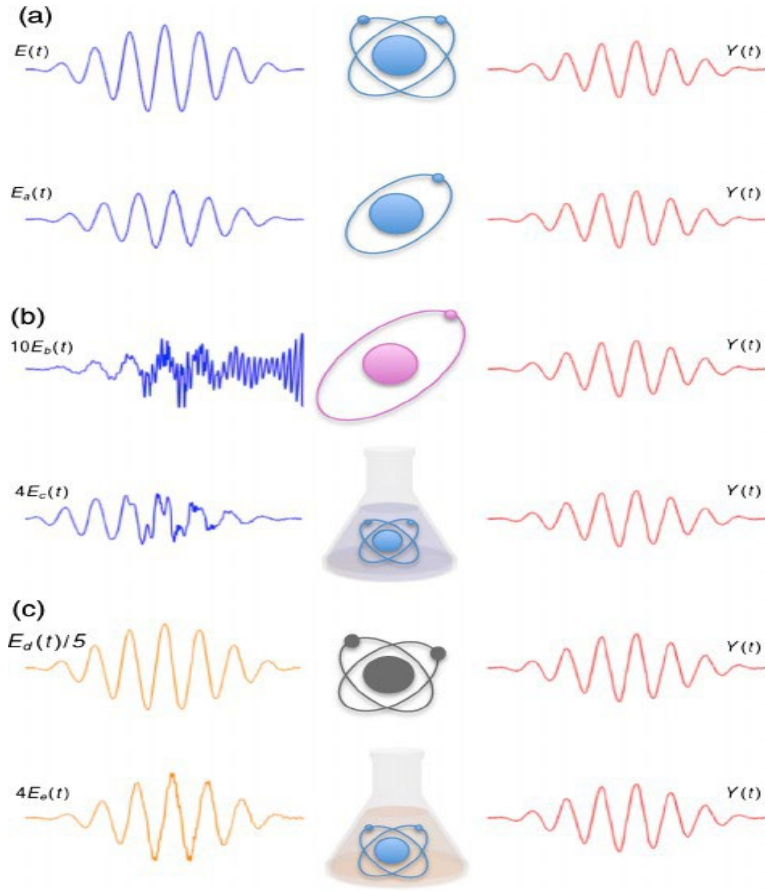
Two random Gaussian detunings: $\sigma_{\Delta 1} = \sigma_{\Delta 2} = 6.0$

Enhancement of Two-Photon Interference from noisy emitters

Other similar efforts

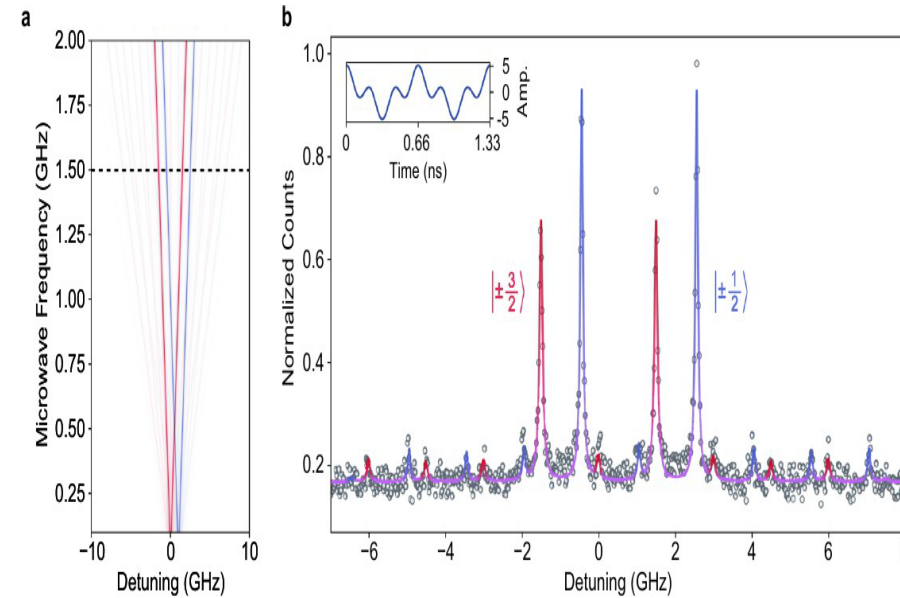
Quantum Mimicry

Can we make multiple different systems behave in the same way?



A. G. Campos et al. PRL 118, 083201 (2017).

Experiment-Theory on SiC

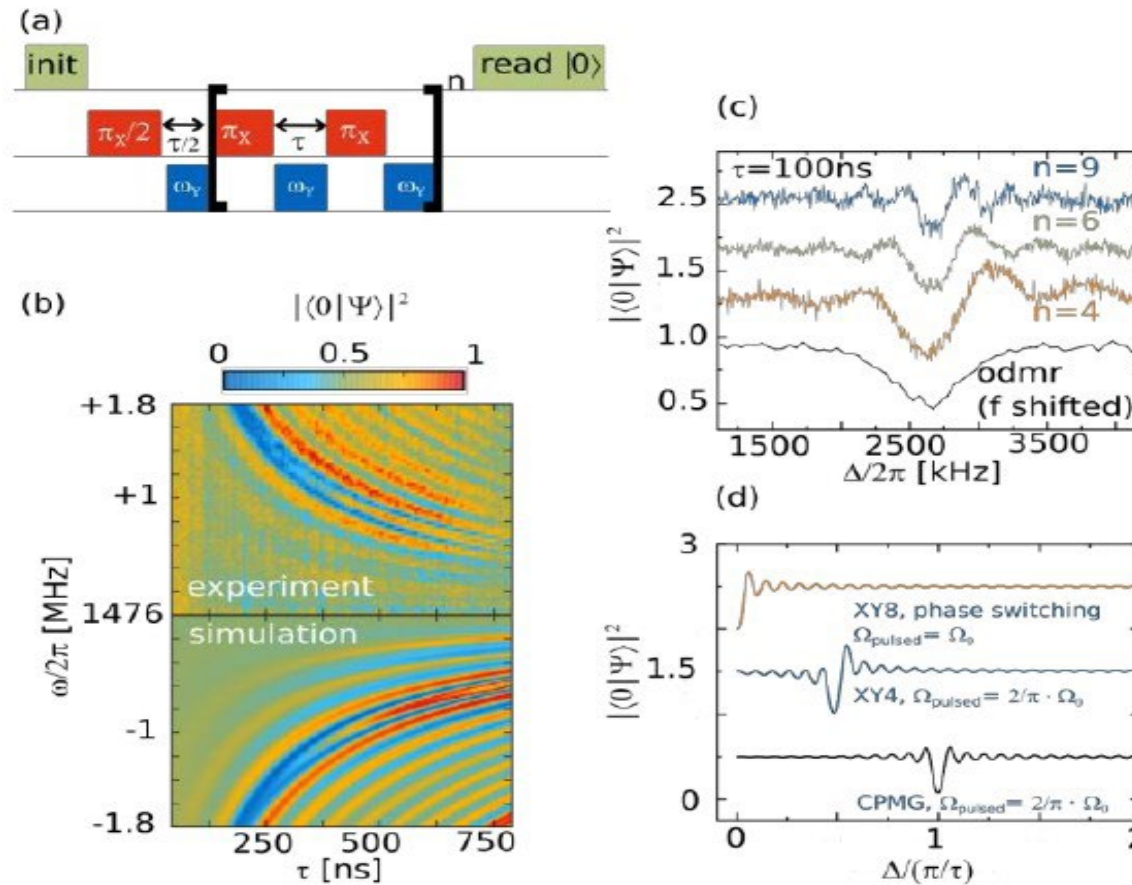


Lukin et al., npj Quantum Information **6**, 80 (2020).

Use of RF sideband for QDots or NVs two-qubit gates ...

Sensing with absorption spectrum of pulse-driven emitters

Sensing of weak E&M signals: $1/T_2$ instead of $1/T_2^*$



T. Joas et al, Nat. Comm., **8**, 964 (2017)

Conclusion and Outlook

- ▶ The Promise of quantum computation
- ▶ Quantum Optics and QIP intersection
- ▶ Spectral inhomogeneity challenges for scalable QIP platforms
- ▶ External control fields to supplement materials engineering
- ▶ Can overcome spectral diffusion with pulse protocols

Emission/absorption spectrum independent of the environment

Restored photon indistinguishability between different qubits

- ▶ Protocols can improve efficiency of critical QIP operations
- ▶ Outlook: two-qubit gates, ...

Acknowledgement

Collaborators:

- ▶ D. Awschalom (U Chicago)
- ▶ V. Dobrovitski (TU Delft)
- ▶ Kathy-Anne Soderberg (AFRL)
- ▶ David Hucul (AFRL)



Thank You!

Model and Solution

Model: TLS coupled to bosonic bath + driving field.

Rotating Frame, Rotating-Wave Approximation:

$$H = \frac{\Delta}{2} \sigma_z + \sum_k \omega_k a_k^\dagger a_k - i \sum_k g_k a_k^\dagger \sigma_- - a_k \sigma_+ + \frac{\Omega_x(t)}{2} (\sigma_+ + \sigma_-)$$

$\Omega_x(t)$ is the external control field e.g periodic π pulses

Units Γ and Γ^{-1} for energy and time. With $\Gamma = 2$

Initially, Emitter in the excited state + all bosonic modes unoccupied

Emission profile: $N_\omega(t) = \langle a_\omega^\dagger(t) a_\omega(t) \rangle$.

$$N_\omega(t = 0) = 0. \quad N_\omega(t > 0) = ?$$

Solve with different complementary methods

Solving the Problem

Analytical solution

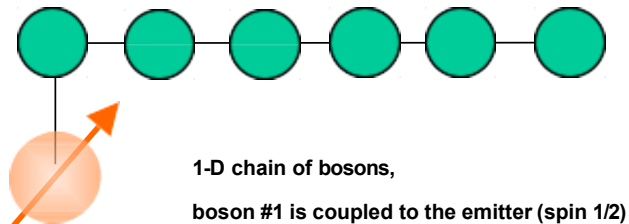
Integrate the E.O.M iteratively between consecutive pulses

- ▶ Large number of pulses
- ▶ Markovian approximation
- ▶ Evaluate integrals numerically.

Master equation

- ▶ Large number of bosonic modes
- ▶ Markovian approximation
- ▶ integrate out the bath
- ▶ iteratively integrate the master equation for ρ of the TLS.

Simulation with t – DMRG



Finite number of pulses

Number of modes

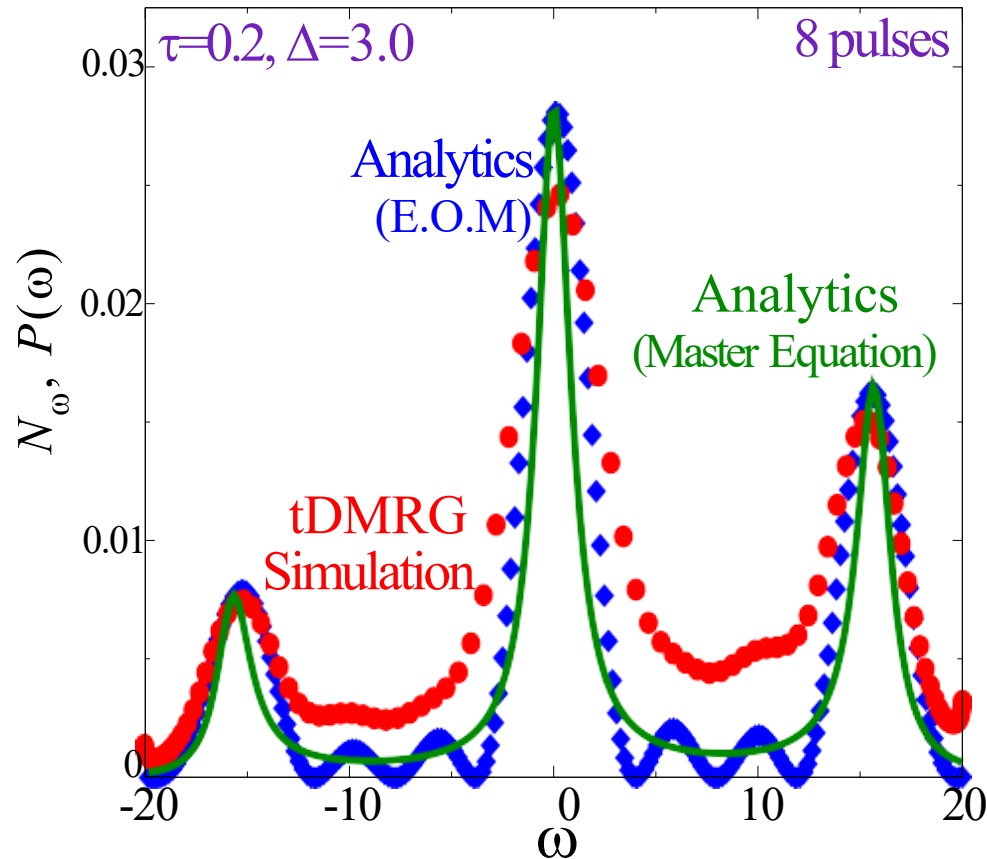
$\sim 151, 201, \dots$

A. E. Feiguin and C. A. Büsser, Phys. Rev. B **84**, 115403 (2011).

S. R. White and A. E. Feiguin, Phys. Rev. Lett. 93, 076401 (2004).

Simulation and Analytical Results

Periodic sequence of (instantaneous) n pulses, with period τ
Good agreement of emission lineshapes



Spectral weight kept at
the desired frequency
($\omega_0 = 0$)

satellite peaks at $\pm n/\tau$,
 $\pm 2n/\tau$, ...

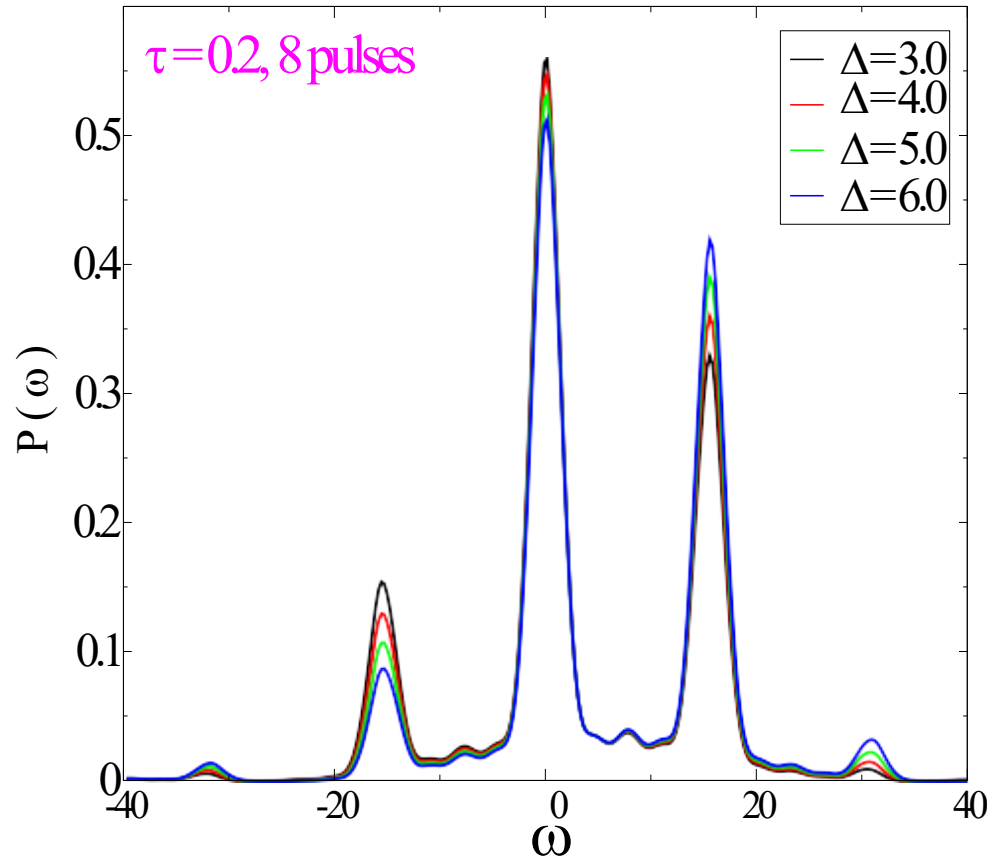
peak amplitude grows
with time (number of
pulses)

satellite peaks suppressed
with smaller τ

Simulation and Analytical Results

Periodic sequence of (instantaneous) n pulses

Little dependence on the environment



Spectral weight kept at
the desired frequency
($\omega_0 = 0$)

Satellite peaks at $\pm n/\tau$,
 $\pm 2n/\tau$, ...

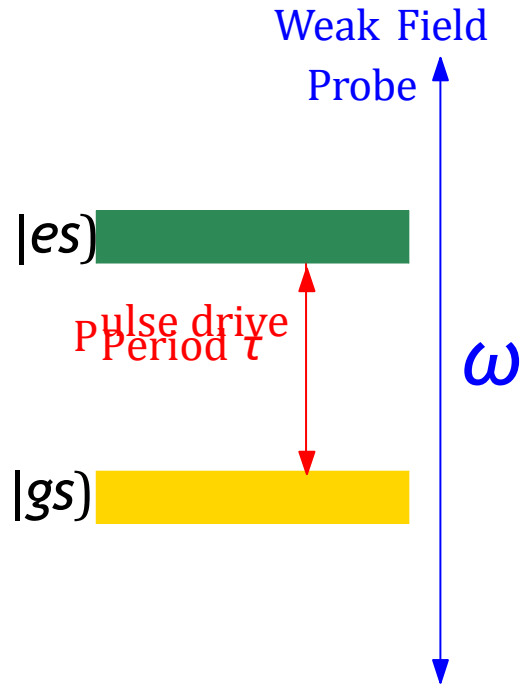
Peak amplitude grows
with time (number of
pulses)

satellite peaks suppressed
with smaller τ

H.F.F., A.E. Feiguin, D.D. Awschalom, V. V. Dobrovitski, PRL **116**, 033603
(2016)

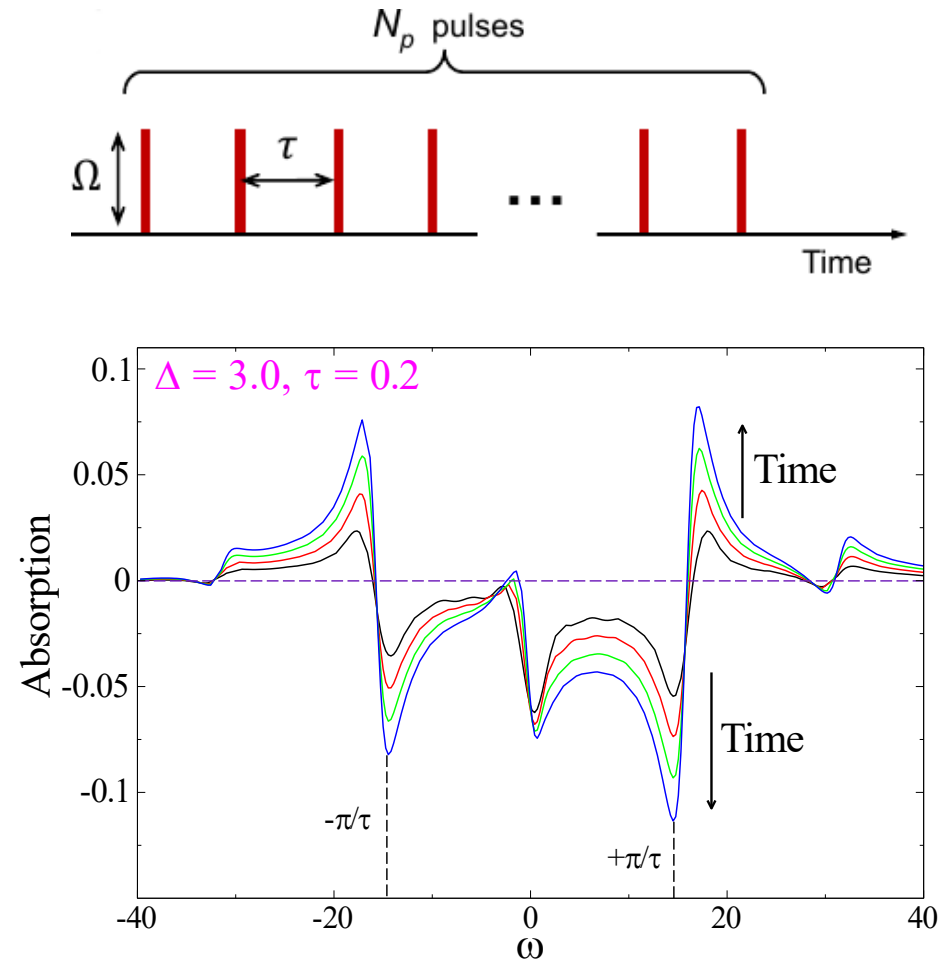
Absorption Spectrum

How does the absorption spectrum change under a pulse sequence?



- Negative and Positive spectral weights
- Peaks at $\pm n\pi/\tau$
- Similarity with CW

System not driven on resonance.



H. F. F and V. V. Dobrovitski, Phys. Rev.
B **95**, 214301 (2017).

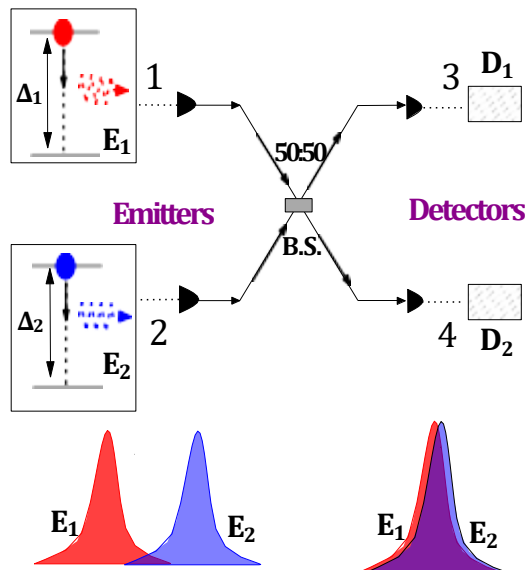
External Protocols to Mitigate the Effects of Spectral Diffusion

HOM with pulse-driven quantum emitters:

Two-Level System coupled to a bosonic bath + control protocol

Rotating Frame, Rotating-Wave Approximation:

$$H = \sum_k \omega_k a_k^\dagger a_k + \frac{\Delta}{2} \sigma_z - i \sum_k g_k a_k^\dagger \sigma_- - a_k \sigma_+ + \frac{\Omega_x(t)}{2} (\sigma_+ + \sigma_-)$$



$$G_{34}^{(2)}(t, \theta) = \langle a_3^\dagger(t) a_4^\dagger(t + \theta) a_4(t + \theta) a_3(t) \rangle$$

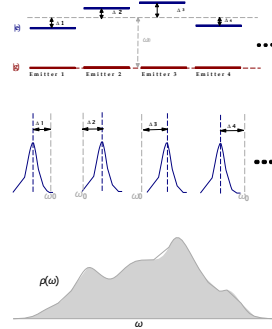
$$g_{34}^{(2)}(\theta) = \lim_{T \rightarrow \infty} \frac{1}{T} \int_0^T G_{34}^{(2)}(t, \theta) dt$$

Master equation + Quantum Regression Theorem

Photon Indistinguishability \Rightarrow "HOM dip in"
 $g_{34}^{(2)}(\theta)$

Inhomogeneous Broadening - Refocusing With External Pulses

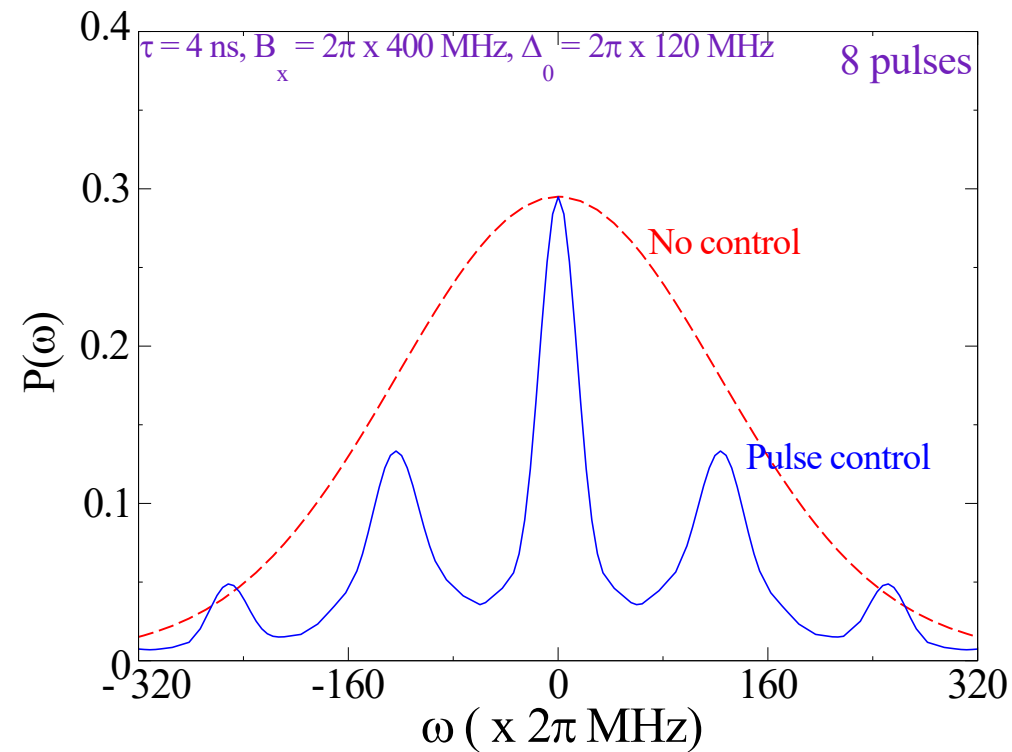
Periodic pulse sequence



Ensemble with Gaussian distribution.

Periodic sequence of π pulses.

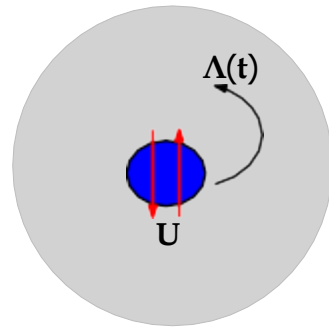
Ensemble of quantum emitters



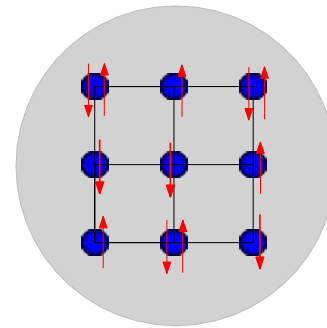
Correlated Systems, the Scientific Difficulties:

- ▶ Diagrammatic perturbative treatments inaccurate.
Systems are **strongly** correlated (**Hubbard with $U \gtrsim J$**)
- ▶ Exact Numerical methods constrained by poor scaling
(exponential scaling of computer resources needed)
 - Exact Diagonalization (ED)
 - Quantum Monte Carlo (QMC)
- ▶ Embedding schemes:

Dynamical Mean Field Theory



Dynamical Cluster Approximation



Two length scales:

- **Short:** Exact, ED or QMC
- **Long:** Mean-field



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